

The physics and astrophysics of merging neutron-star binaries

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Outline

- the irresistible “attraction” of gravity
- beauty and challenges of general relativity
- neutron stars: Einstein’s richest laboratory
- binary mergers:
gravitational waves, gamma-ray bursts, nucleosynthesis,...

Our experience of gravity

Our experience of gravity

✱ Instinctive notion



Moro reflex

Our experience of gravity

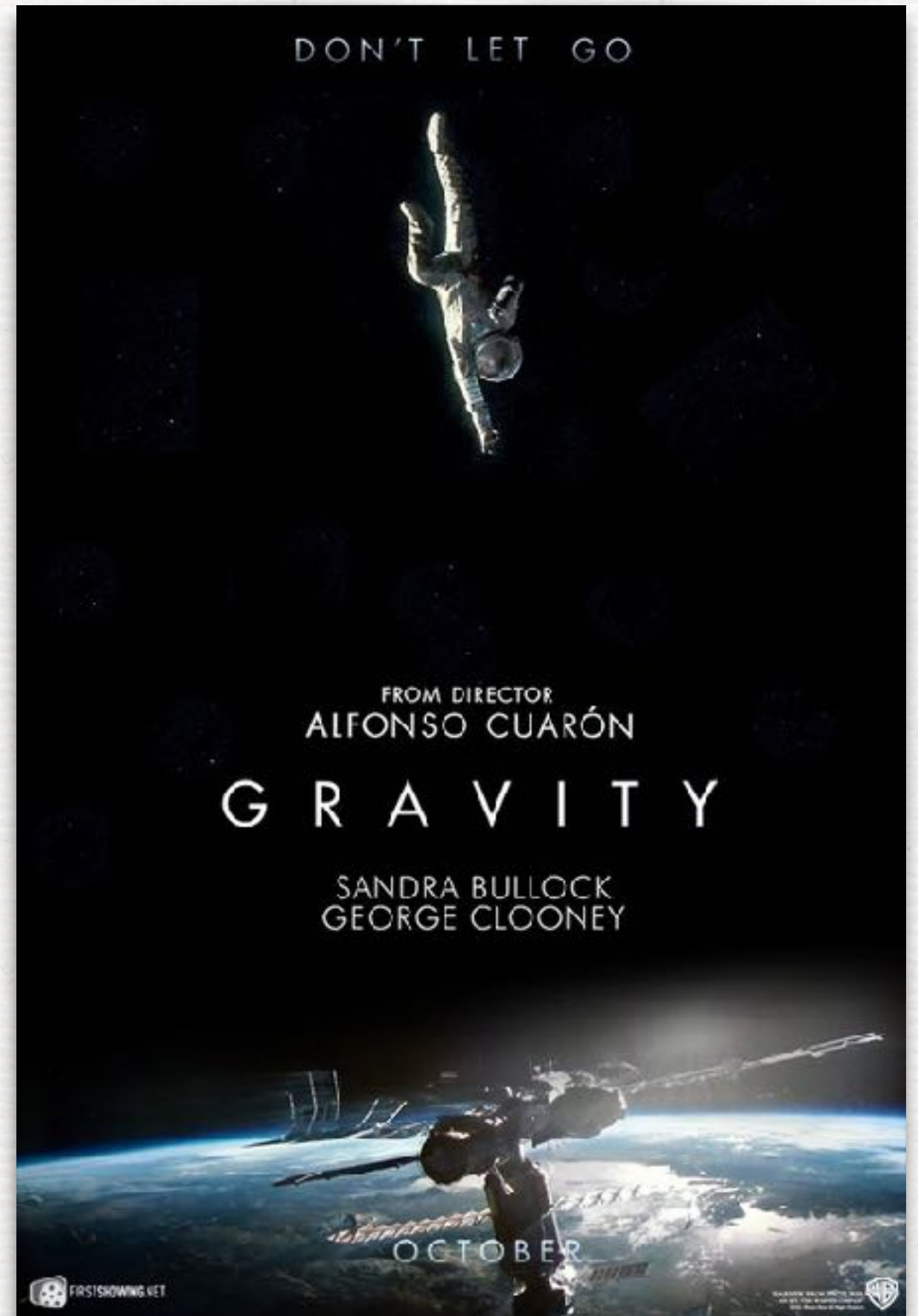
✱ Instinctive notion

✱ Intuitive notion



Our experience of gravity

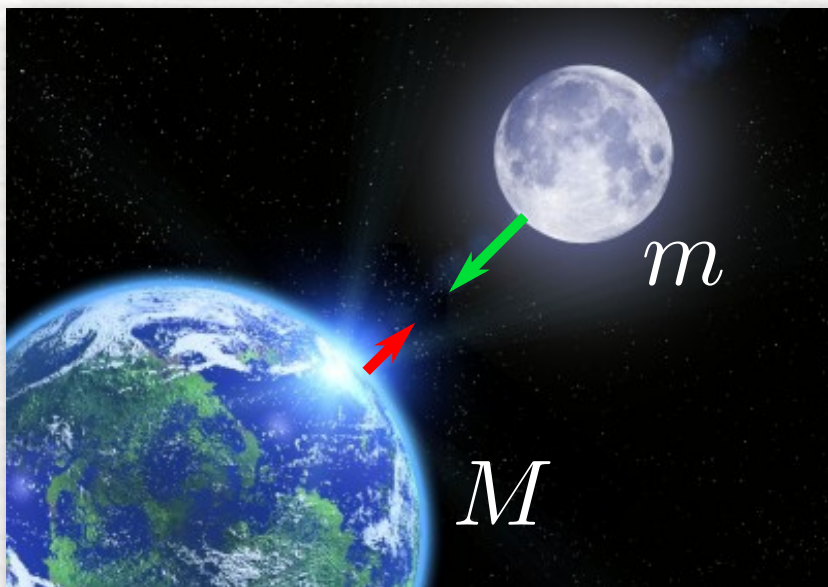
- * Instinctive notion
- * Intuitive notion
- * Imaginative notion



The fathers of gravity

In **1679** Newton publishes his theory of gravity.

Gravity is an instantaneous **force** between two masses proportional to the masses and inversely proportional to the square of the distance.



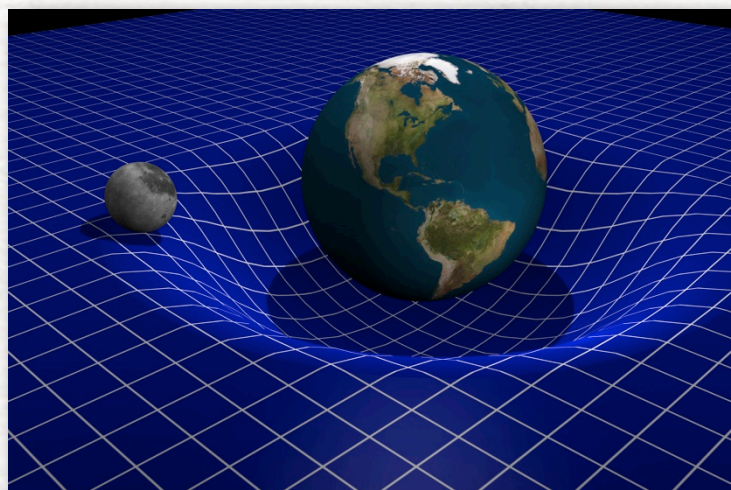
$$\vec{F} = -\frac{G}{c^2} \frac{Mm}{r^2} \vec{e}_r$$

With this theory he could explain essentially **all astronomical** observations of his time.

The fathers of gravity

In **1915** Einstein publishes his theory of gravity (**Allgemeine Relativitätstheorie**) changing our understanding of gravity.

According to Einstein, gravity is the manifestation of spacetime **curvature**.



Any form of mass/energy curves the spacetime.

Implications of this view are: **black holes, neutron stars, gravitational waves.**

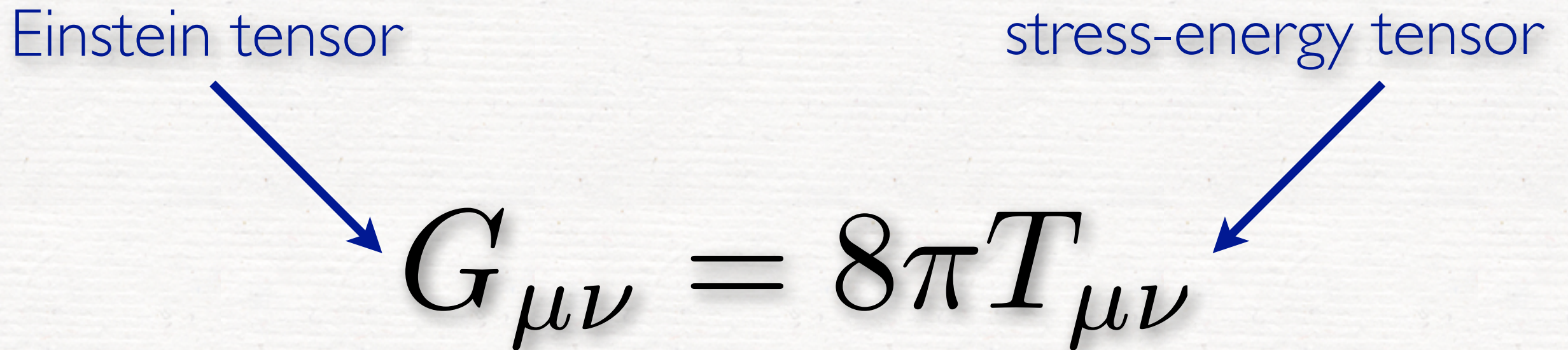
Einstein equations

$$G_{\mu\nu} = 8\pi T_{\mu\nu}$$

Einstein equations

Einstein tensor

stress-energy tensor



The diagram illustrates the Einstein equation $G_{\mu\nu} = 8\pi T_{\mu\nu}$. A blue arrow points from the text 'Einstein tensor' to the $G_{\mu\nu}$ term on the left side of the equation. Another blue arrow points from the text 'stress-energy tensor' to the $T_{\mu\nu}$ term on the right side of the equation.

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spacetime
curvature

mass and energy
in the spacetime

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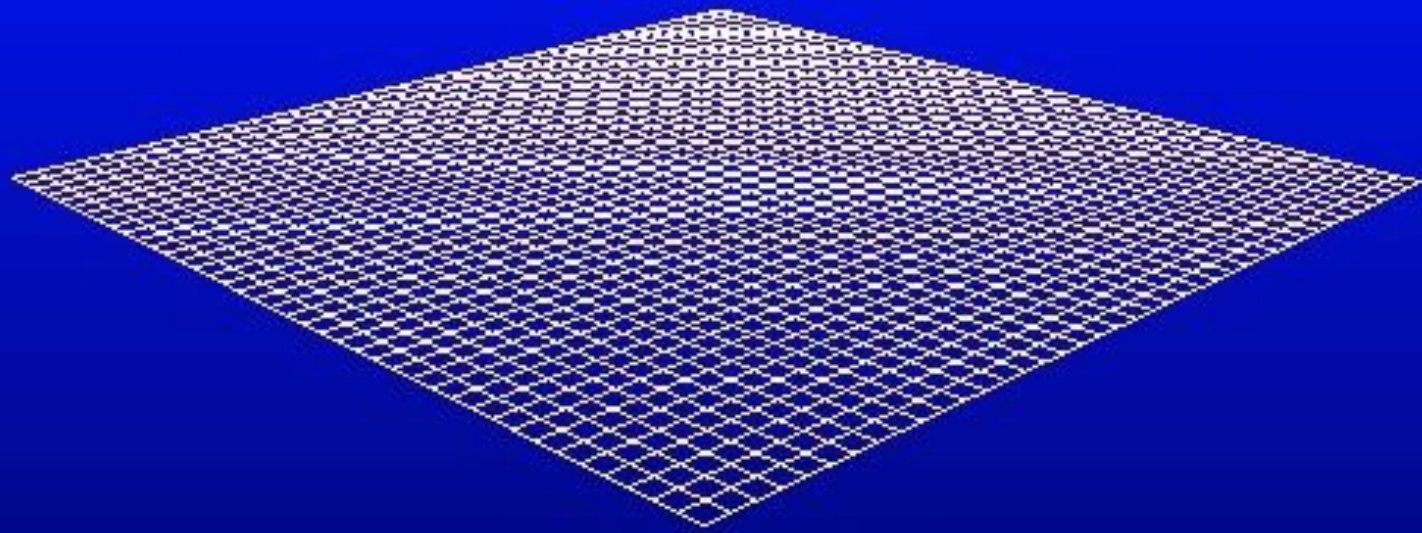
The diagram shows the Einstein field equation $G_{\mu\nu} = 8\pi T_{\mu\nu}$ centered on the slide. A blue arrow points from the text 'Einstein tensor' to the $G_{\mu\nu}$ term. Another blue arrow points from 'stress-energy tensor' to the $T_{\mu\nu}$ term. A red arrow points from 'spacetime curvature' to the $G_{\mu\nu}$ term. A second red arrow points from 'mass and energy in the spacetime' to the $T_{\mu\nu}$ term. A large green double-headed arrow is positioned below the equation, spanning the distance between the two terms.

$$G_{\mu\nu} = 8\pi T_{\mu\nu}$$

There is a relation between the
curvature and **mass/energy**.
gravity is the manifestation of
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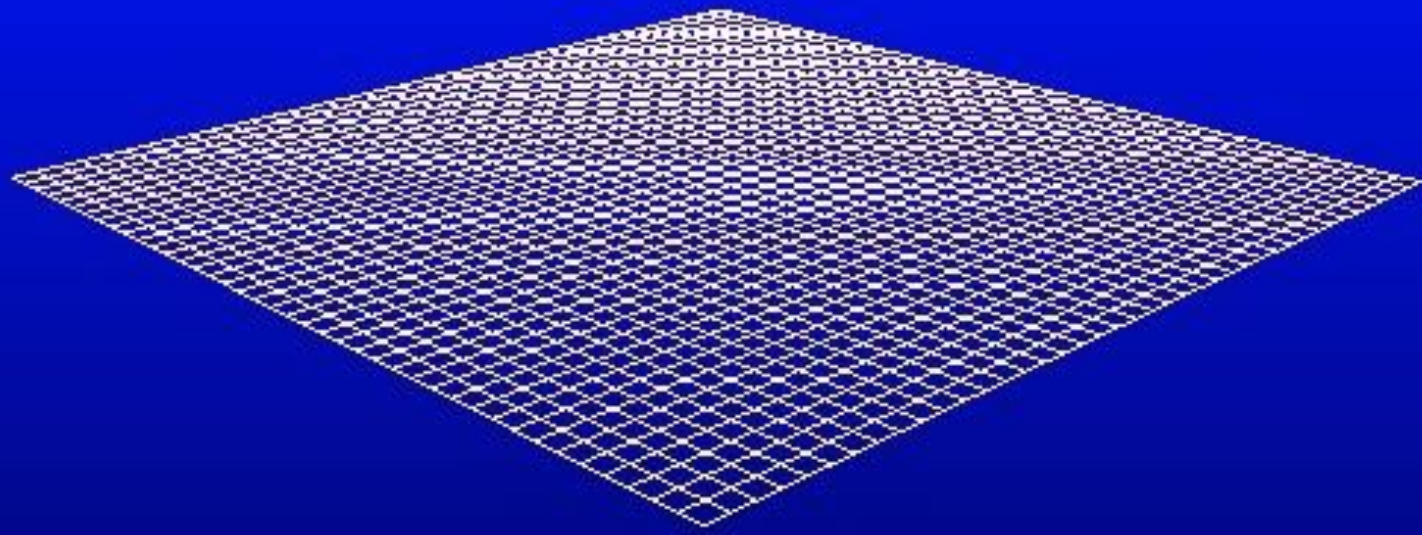
What is spacetime curvature?

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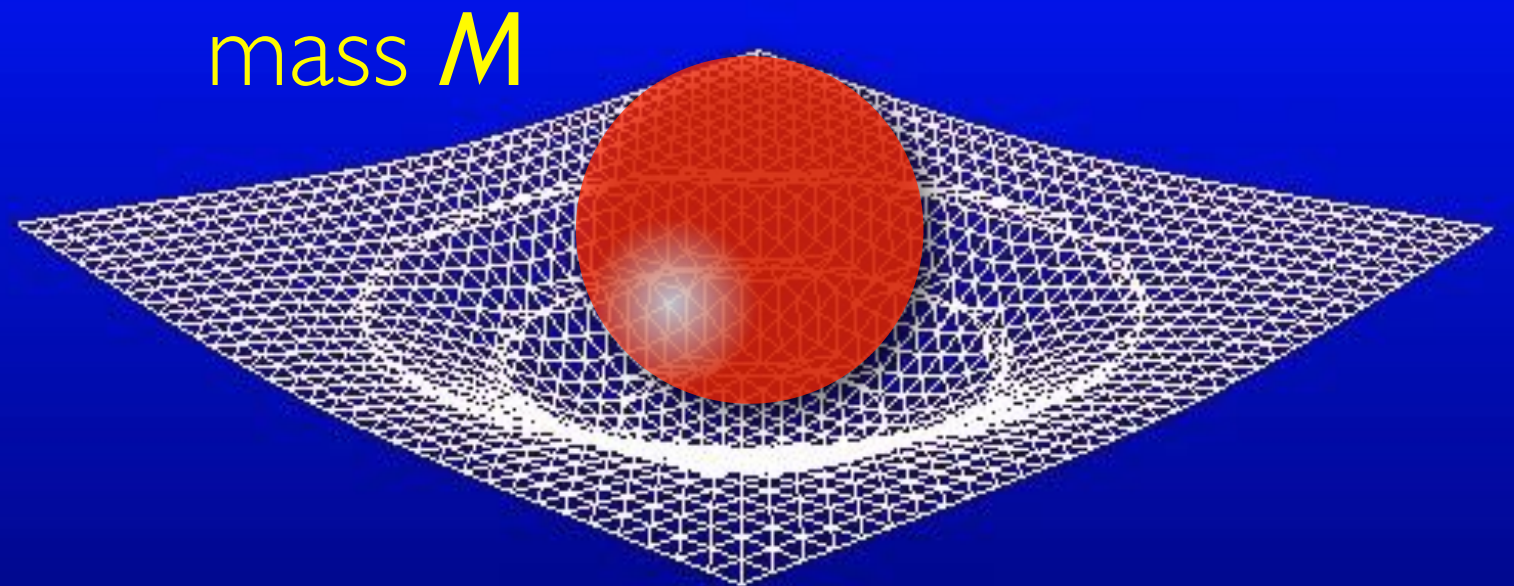
Let's consider a region of space and time (spacetime) void of matter and energy. It will have **zero** curvature and will therefore be **flat**

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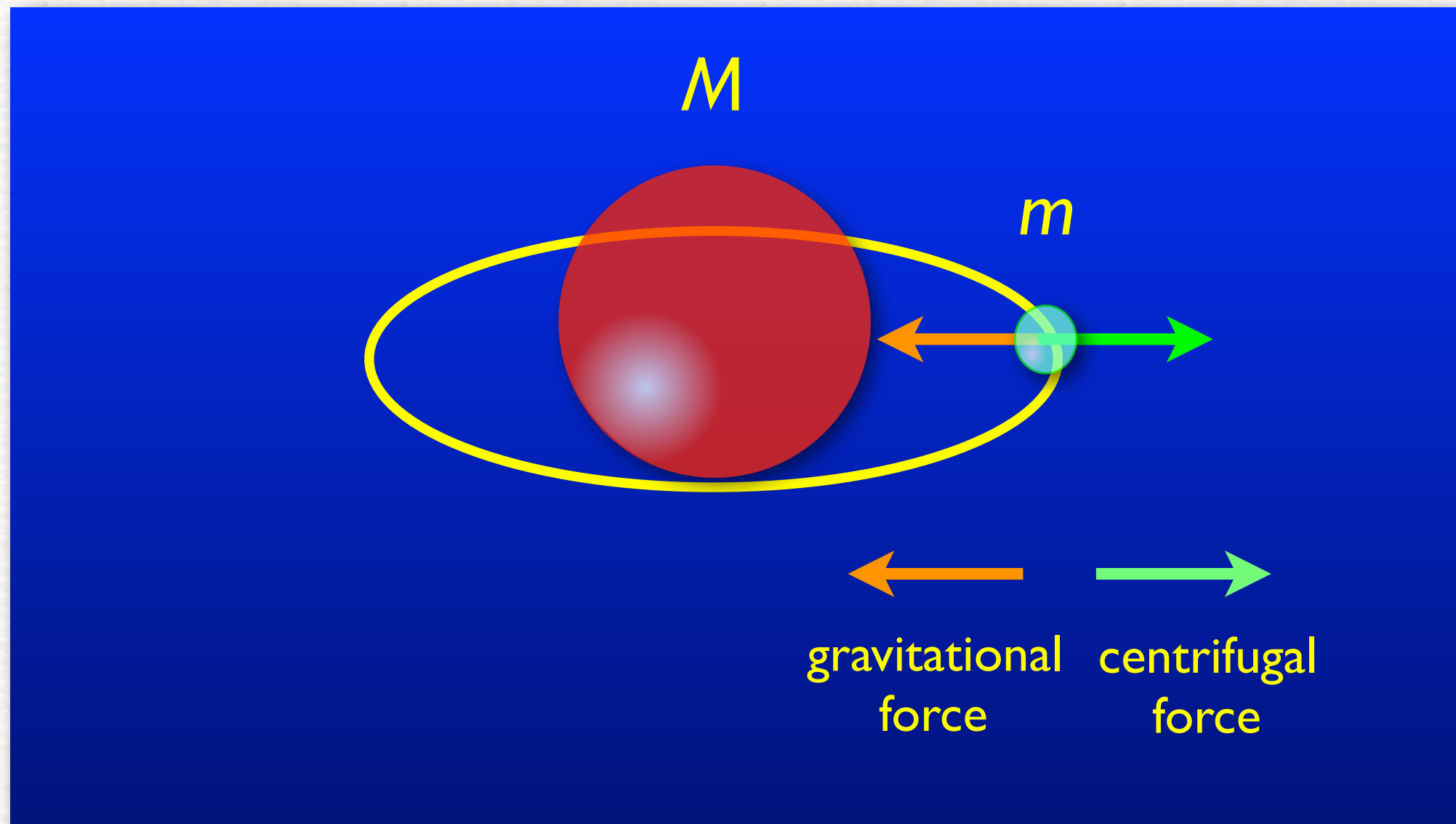
If instead it contains a mass M , it will have a nonzero curvature and will therefore be a **curved spacetime**



Gravity à la Newton

Consider orbital motion of an object of small mass m around an object of large mass M : (e. g., Earth around the Sun)

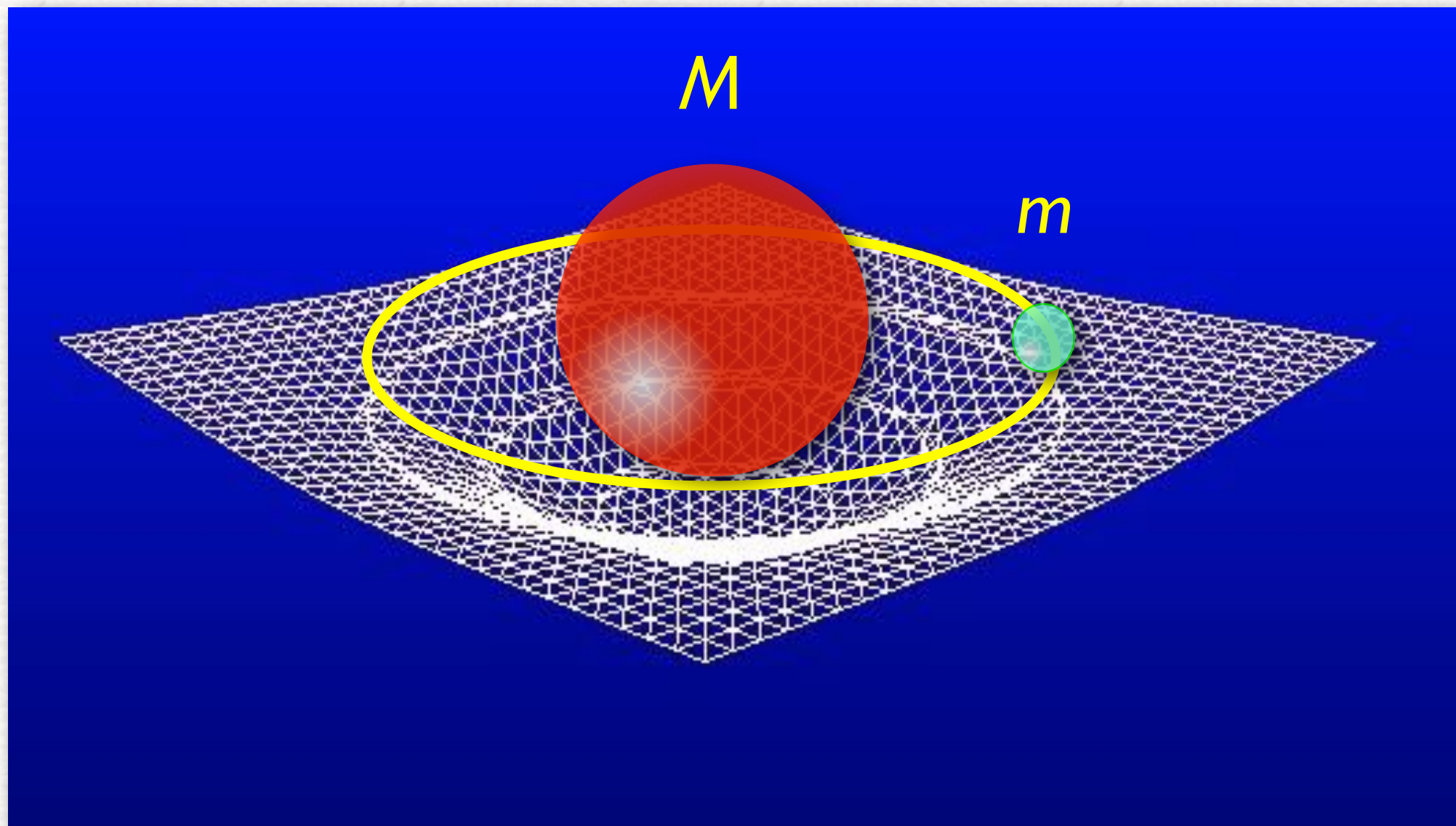
Newton: orbit is the balance between the **gravitational force** and the **centrifugal one**



Gravity à la Einstein

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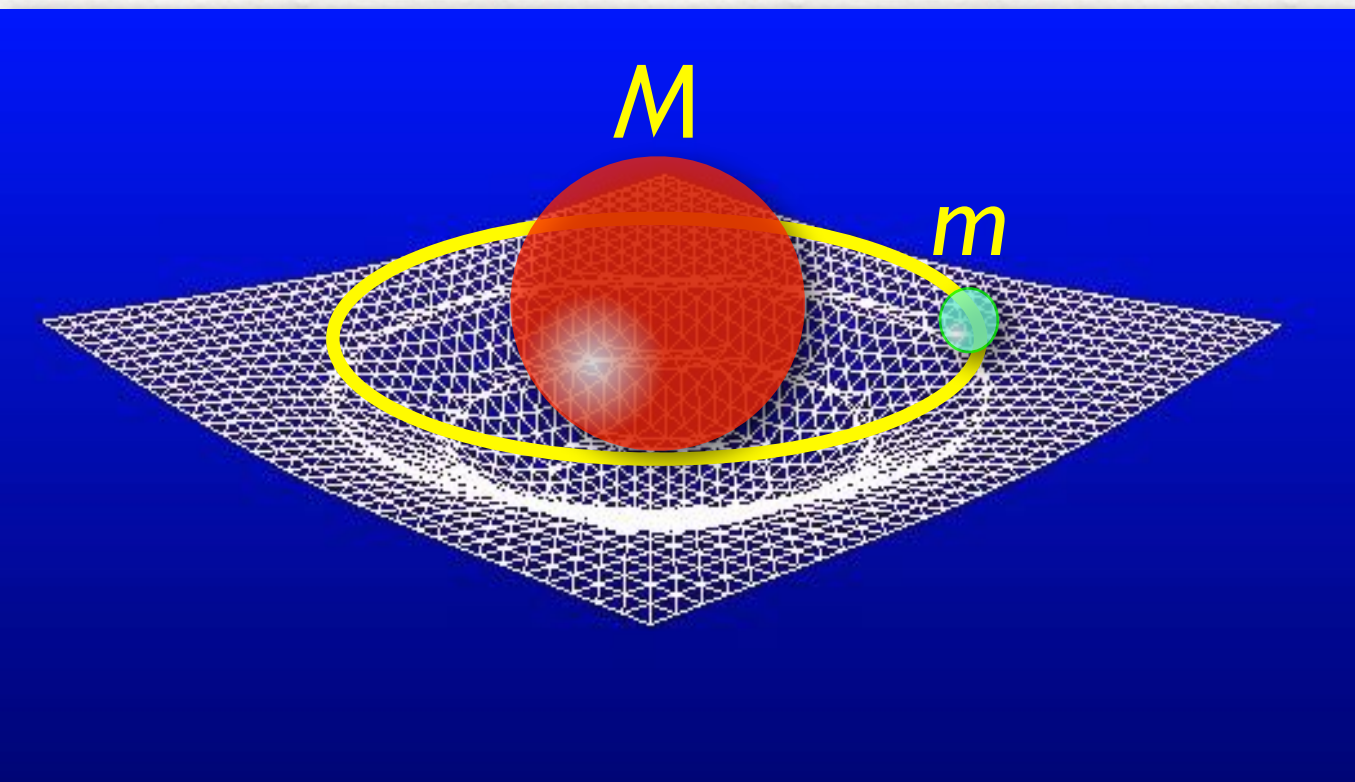
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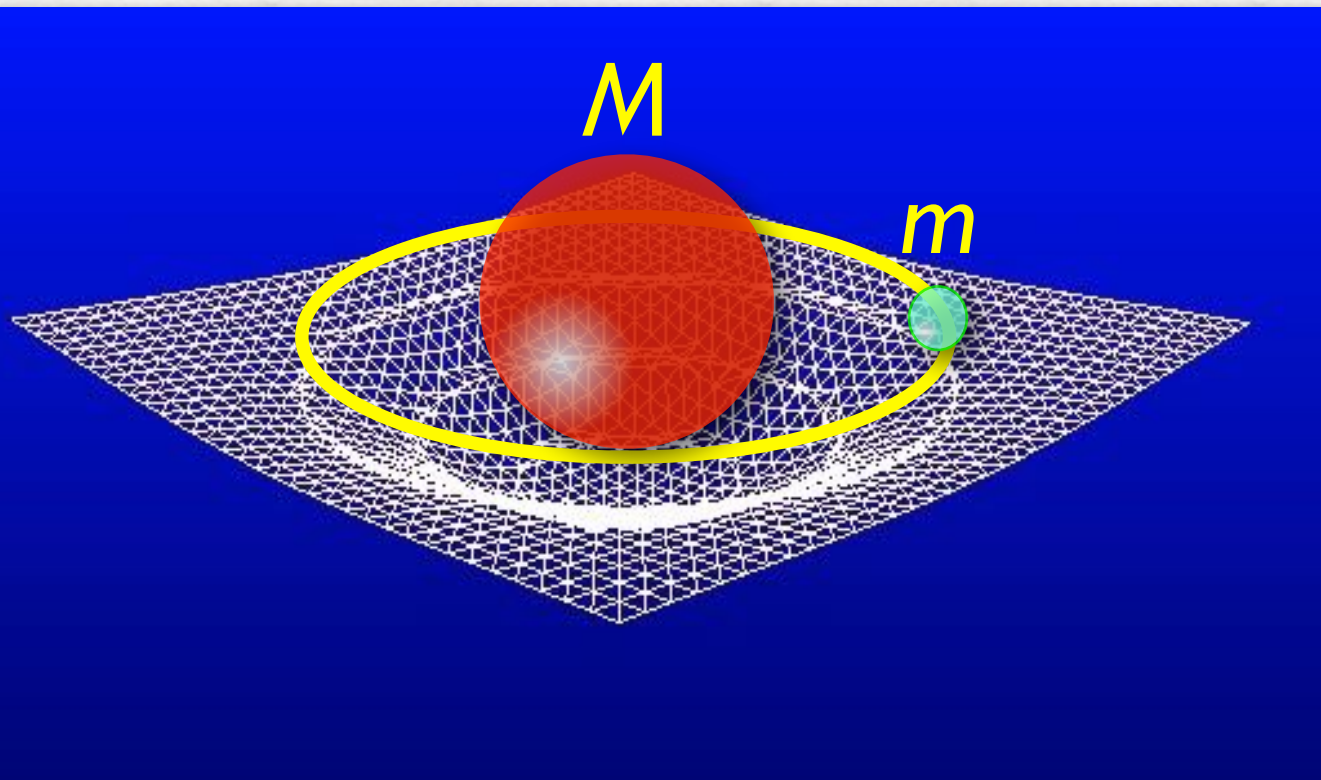
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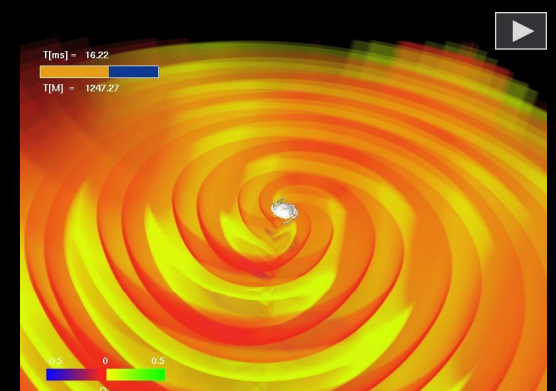
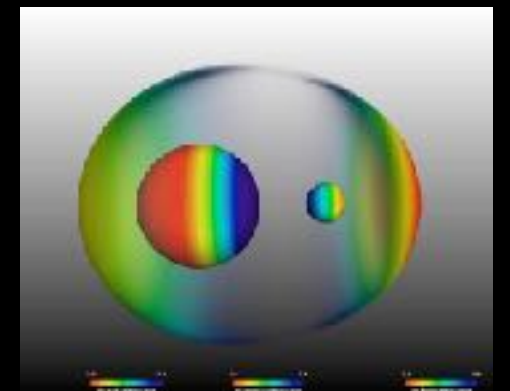
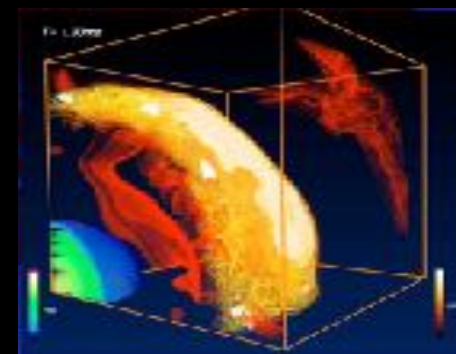
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Studying black holes,
neutron stars and
gravitational waves is
not easy!



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$$G_{\mu\nu} = 8\pi T_{\mu\nu}$$

$$\nabla_{\mu} T^{\mu\nu} = 0$$

$$\nabla_{\mu} (\rho u^{\mu}) = 0$$

Hard not to be fascinated by the compact beauty of these equations and by their profound implications.

but then reality kicks in...

$$\begin{aligned}
\partial_t \tilde{\gamma}_{ij} &= -2\alpha \tilde{A}_{ij}^{\text{TF}} + 2\tilde{\gamma}_{k(i}\partial_{j)}\beta^k - \frac{2}{3}\tilde{\gamma}_{ij}\partial_k\beta^k + \beta^k\partial_k\tilde{\gamma}_{ij}, \\
\partial_t \tilde{A}_{ij} &= \phi^2 [-\nabla_i\nabla_j\alpha + \alpha(R_{ij} + \nabla_i Z_j + \nabla_j Z_i - 8\pi S_{ij})]^{\text{TF}} + \alpha\tilde{A}_{ij}(K - 2\Theta) \\
&\quad - 2\alpha\tilde{A}_{il}\tilde{A}_j^l + 2\tilde{A}_{k(i}\partial_{j)}\beta^k - \frac{2}{3}\tilde{A}_{ij}\partial_k\beta^k + \beta^k\partial_k\tilde{A}_{ij}, \\
\partial_t\phi &= \frac{1}{3}\alpha\phi K - \frac{1}{3}\phi\partial_k\beta^k + \beta^k\partial_k\phi, \\
\partial_t K &= -\nabla^i\nabla_i\alpha + \alpha(R + 2\nabla_i Z^i + K^2 - 2\Theta K) + \beta^j\partial_j K - 3\alpha\kappa_1(1 + \kappa_2)\Theta + 4\pi\alpha(S - 3\tau), \\
\partial_t \hat{\Gamma}^i &= 2\alpha\left(\tilde{\Gamma}_{jk}^i\tilde{A}^{jk} - 3\tilde{A}^{ij}\frac{\partial_j\phi}{\phi} - \frac{2}{3}\tilde{\gamma}^{ij}\partial_j K\right) + 2\tilde{\gamma}^{ki}\left(\alpha\partial_k\Theta - \Theta\partial_k\alpha - \frac{2}{3}\alpha K Z_k\right) - 2\tilde{A}^{ij}\partial_j\alpha \\
&\quad + \tilde{\gamma}^{kl}\partial_k\partial_l\beta^i + \frac{1}{3}\tilde{\gamma}^{ik}\partial_k\partial_l\beta^l + \frac{2}{3}\tilde{\Gamma}^i\partial_k\beta^k - \tilde{\Gamma}^k\partial_k\beta^i + 2\kappa_3\left(\frac{2}{3}\tilde{\gamma}^{ij}Z_j\partial_k\beta^k - \tilde{\gamma}^{jk}Z_j\partial_k\beta^i\right) \\
&\quad + \beta^k\partial_k\hat{\Gamma}^i - 2\alpha\kappa_1\tilde{\gamma}^{ij}Z_j - 16\pi\alpha\tilde{\gamma}^{ij}S_j, \\
\partial_t\Theta &= \frac{1}{2}\alpha\left(R + 2\nabla_i Z^i - \tilde{A}_{ij}\tilde{A}^{ij} + \frac{2}{3}K^2 - 2\Theta K\right) - Z^i\partial_i\alpha + \beta^k\partial_k\Theta - \alpha\kappa_1(2 + \kappa_2)\Theta - 8\pi\alpha, \\
\partial_t\alpha &= -2\alpha(K - 2\Theta) + \beta^k\partial_k\alpha, \\
\partial_t\beta^i &= fB^i + \beta^k\partial_k\beta^i, \\
\partial_t B^i &= \partial_t\hat{\Gamma}^i - \beta^k\partial_k\hat{\Gamma}^i + \beta^k\partial_k B^i - \eta B^i,
\end{aligned}$$

In other words: Einstein's theory is as
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Numerical relativity!



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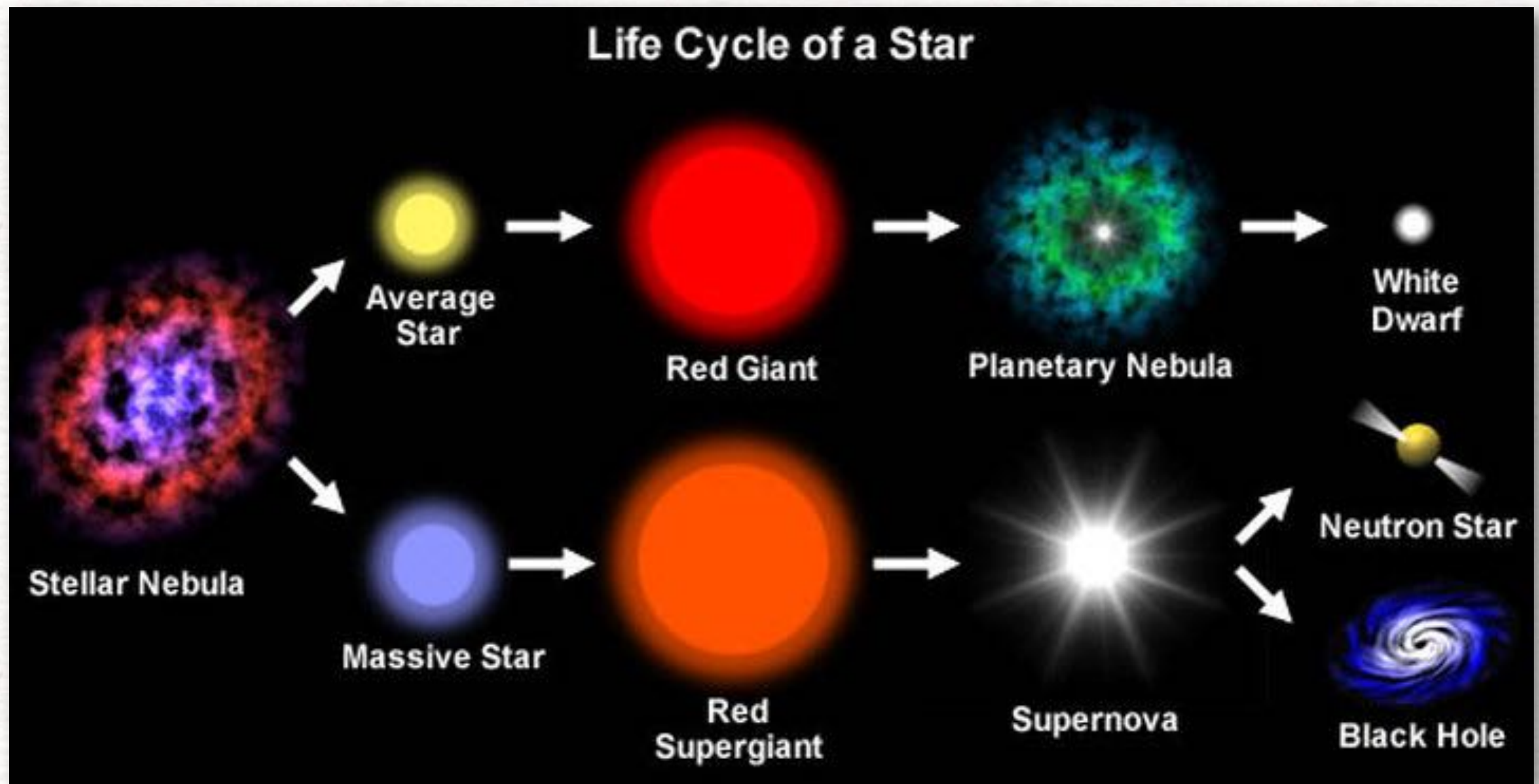


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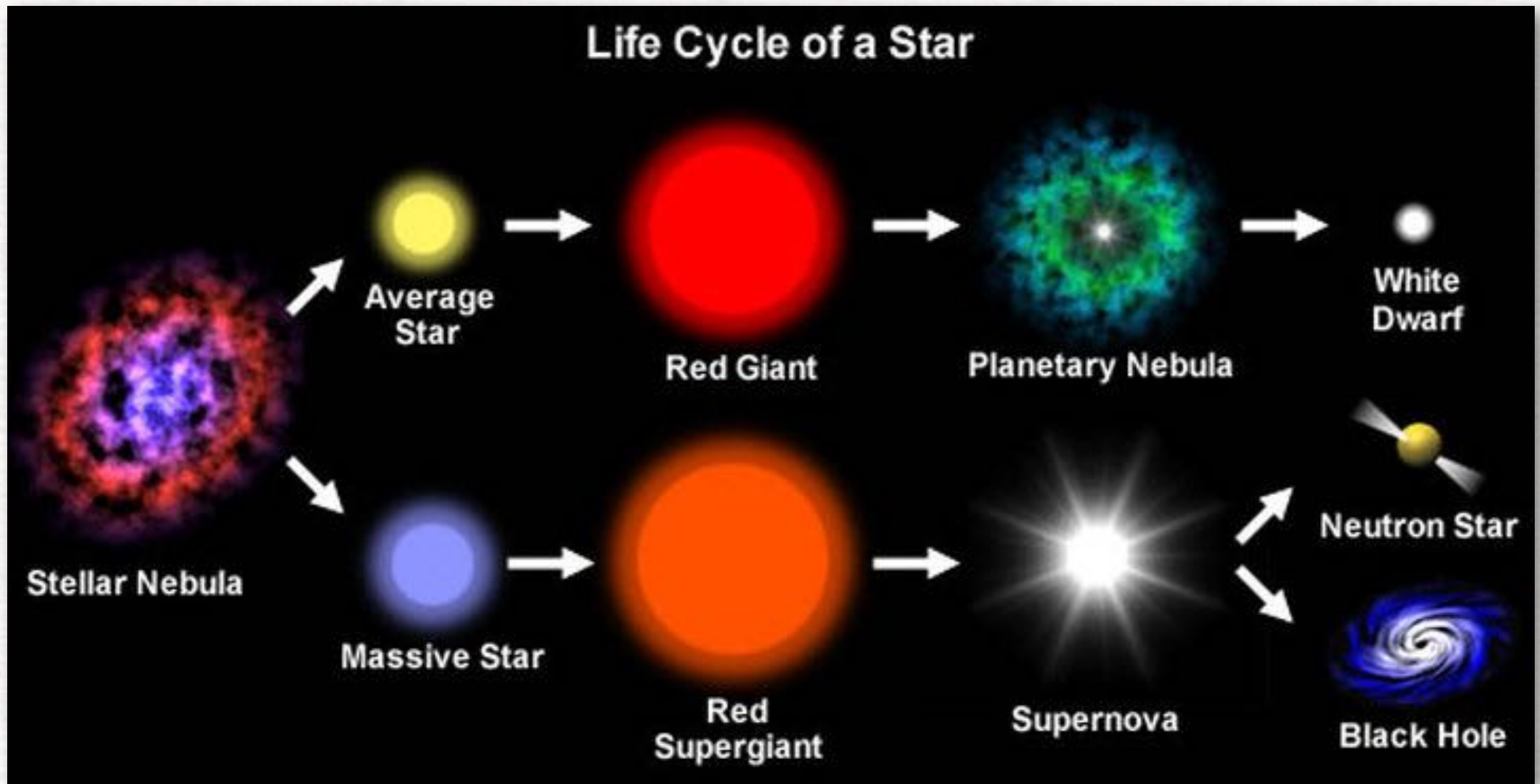
Neutron stars



What is a neutron star?



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Neutron stars are the most common end of the evolution of **massive stars**, ie stars with mass

$$10M_{\odot} \lesssim M \lesssim 100M_{\odot}$$

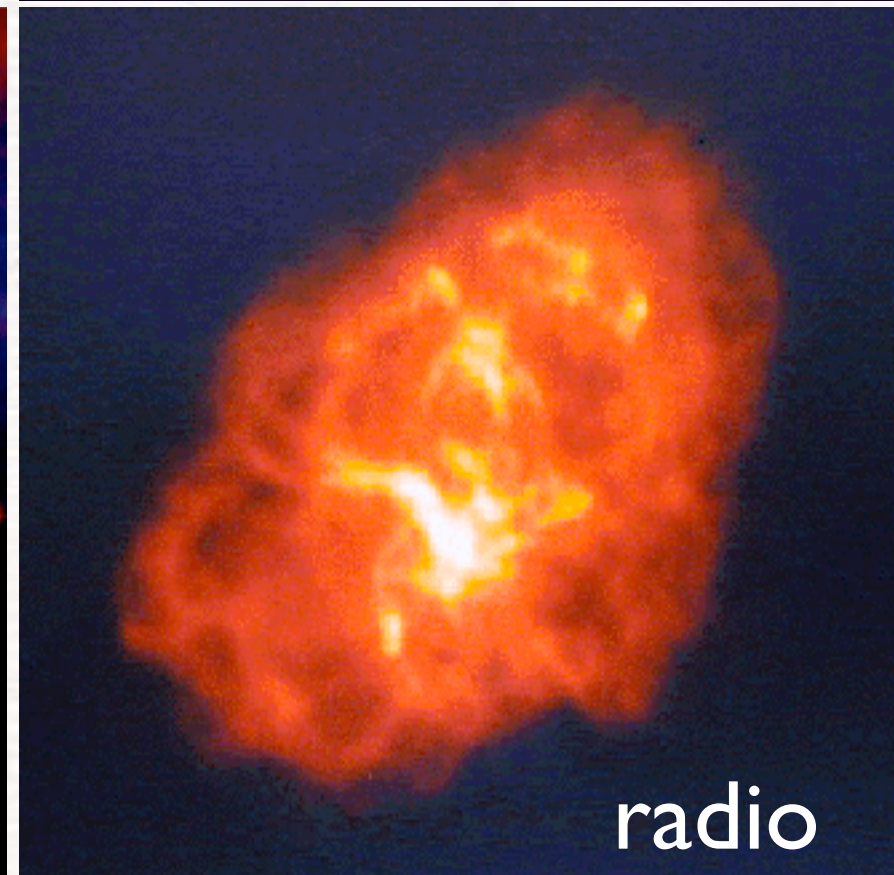
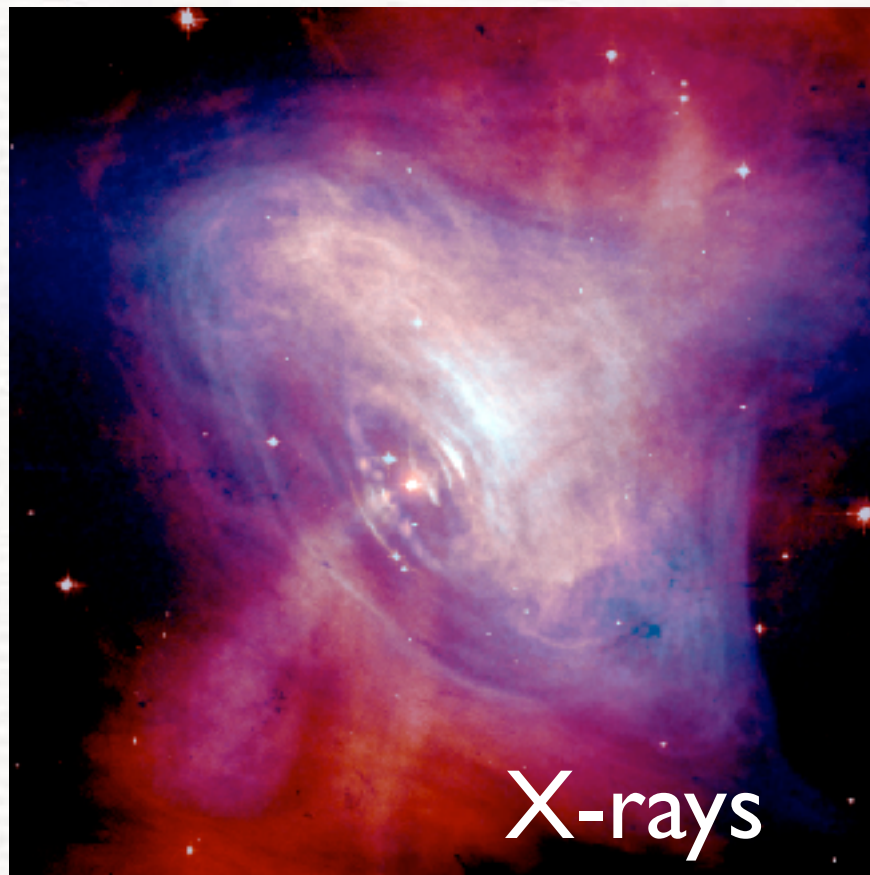
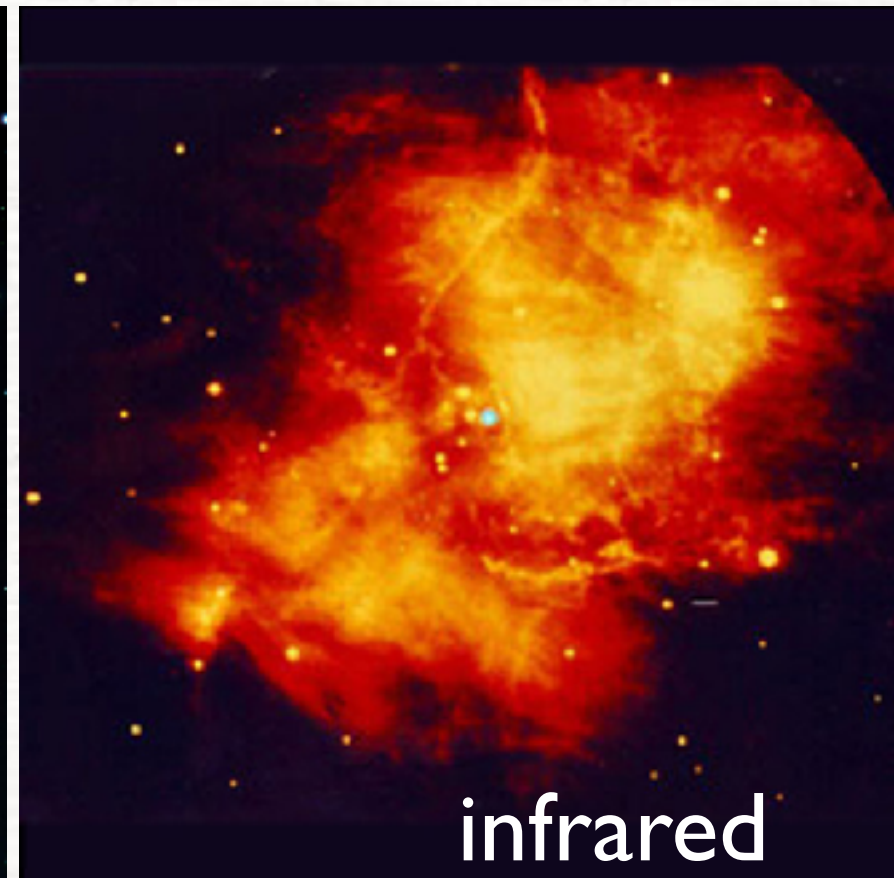
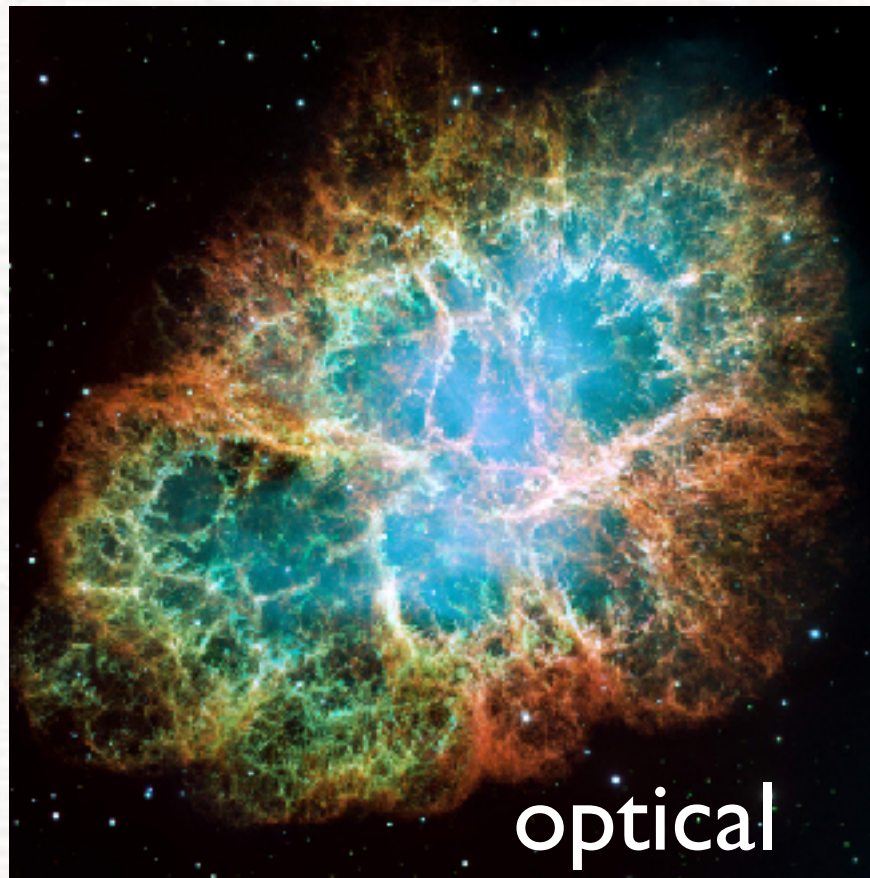
Such stars end their evolution as **supernovae**

A beautiful example

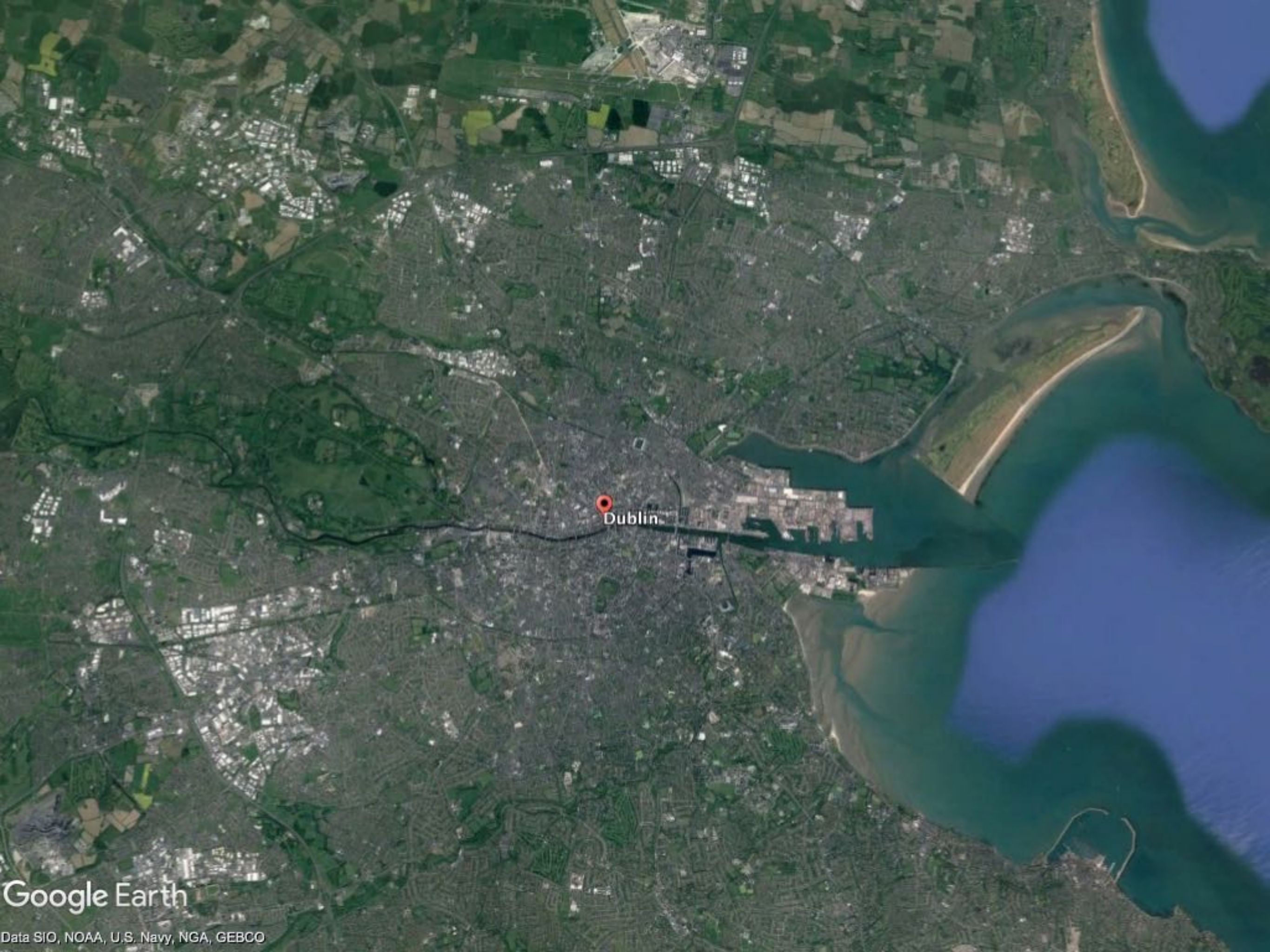
China, **1054 AC**: a new star appears in the sky and is visible even in daylight in the Crab constellation.

In reality it was a **supernova** that had produced a **neutron star**:

Crab pulsar.



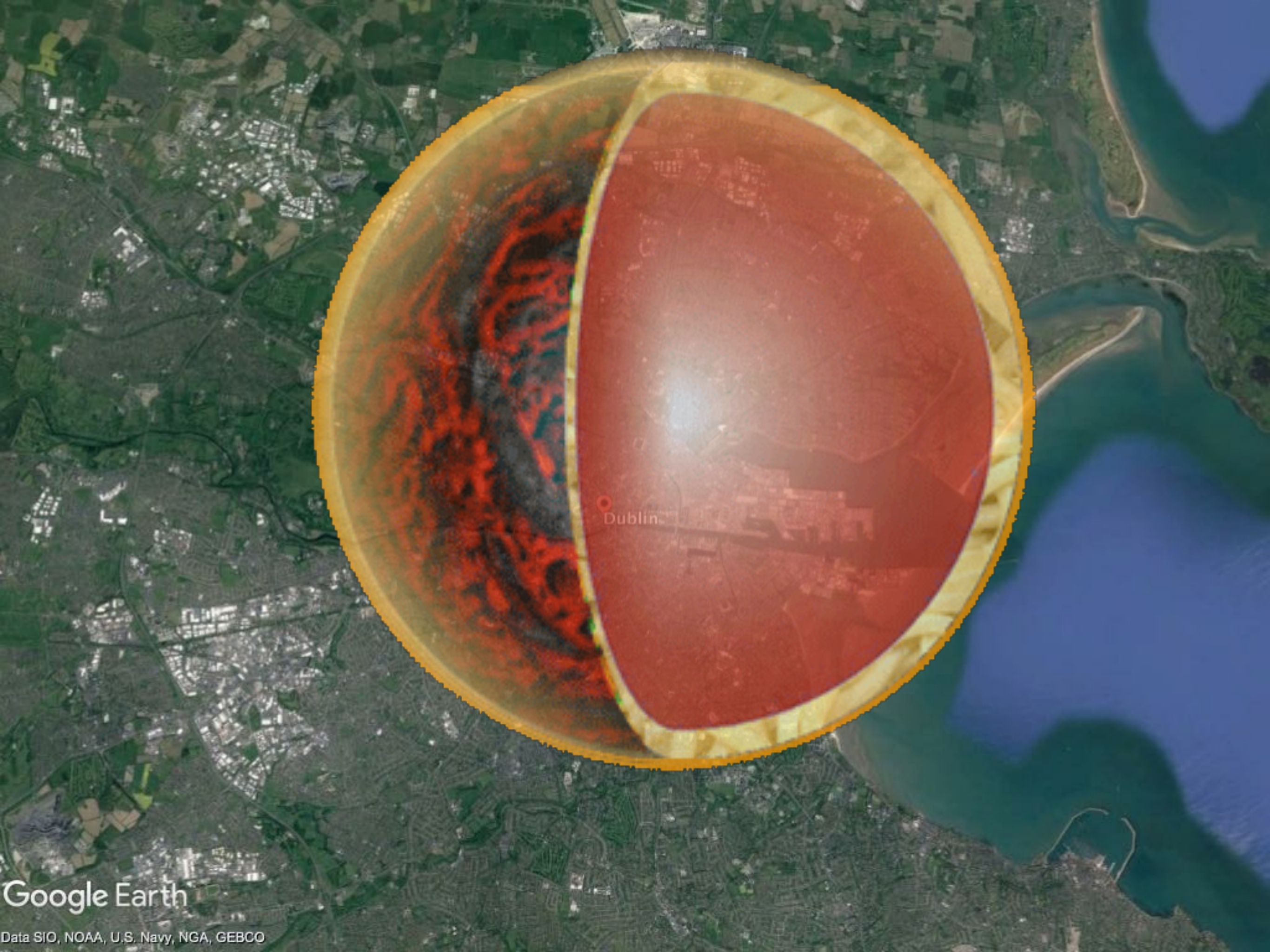
Neutron stars are real
marvels of nature

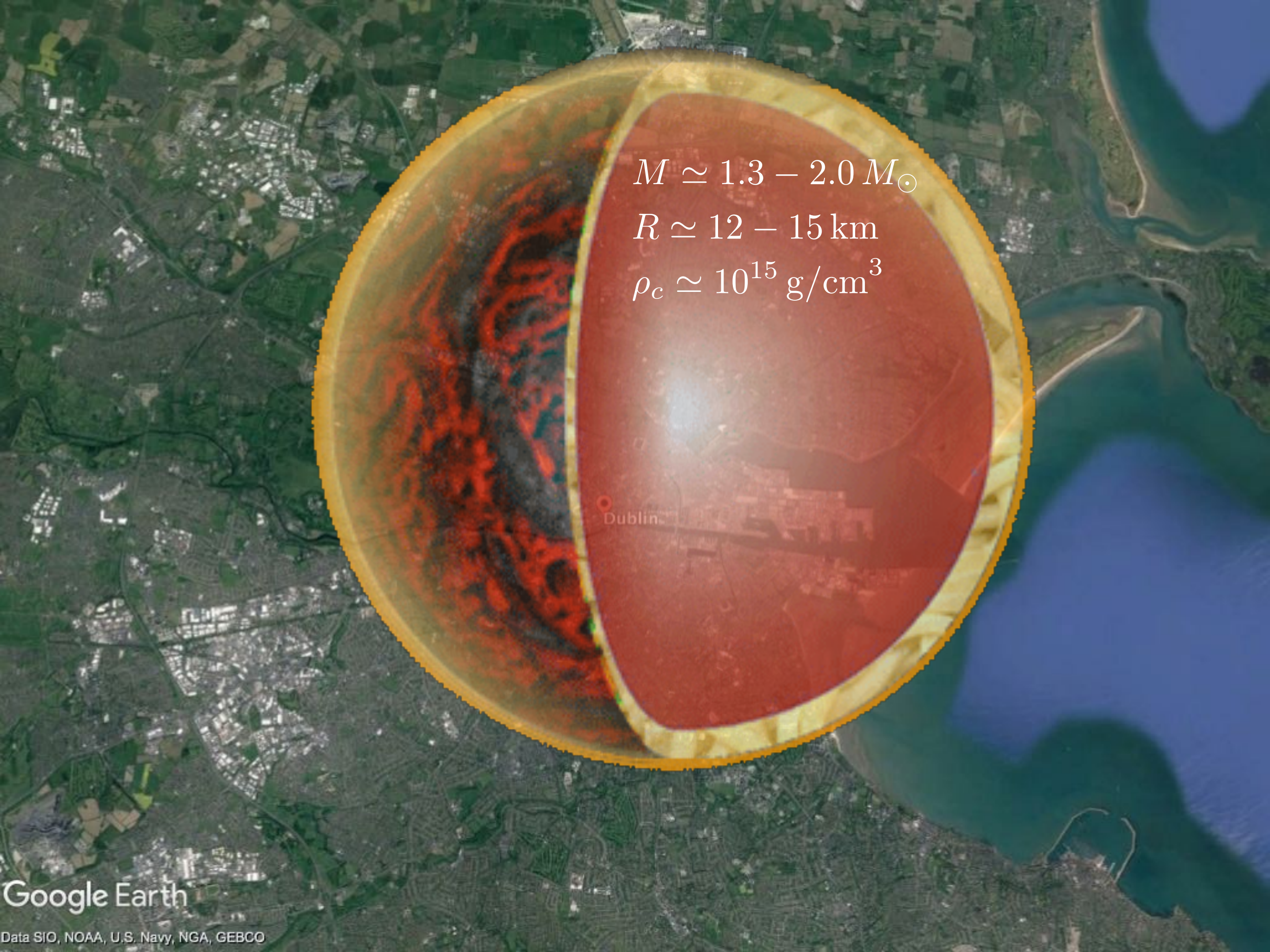


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Google Earth

Data SIO, NOAA, U.S. Navy, NGA, GEBCO






$M \simeq 1.3 - 2.0 M_{\odot}$

$R \simeq 12 - 15 \text{ km}$

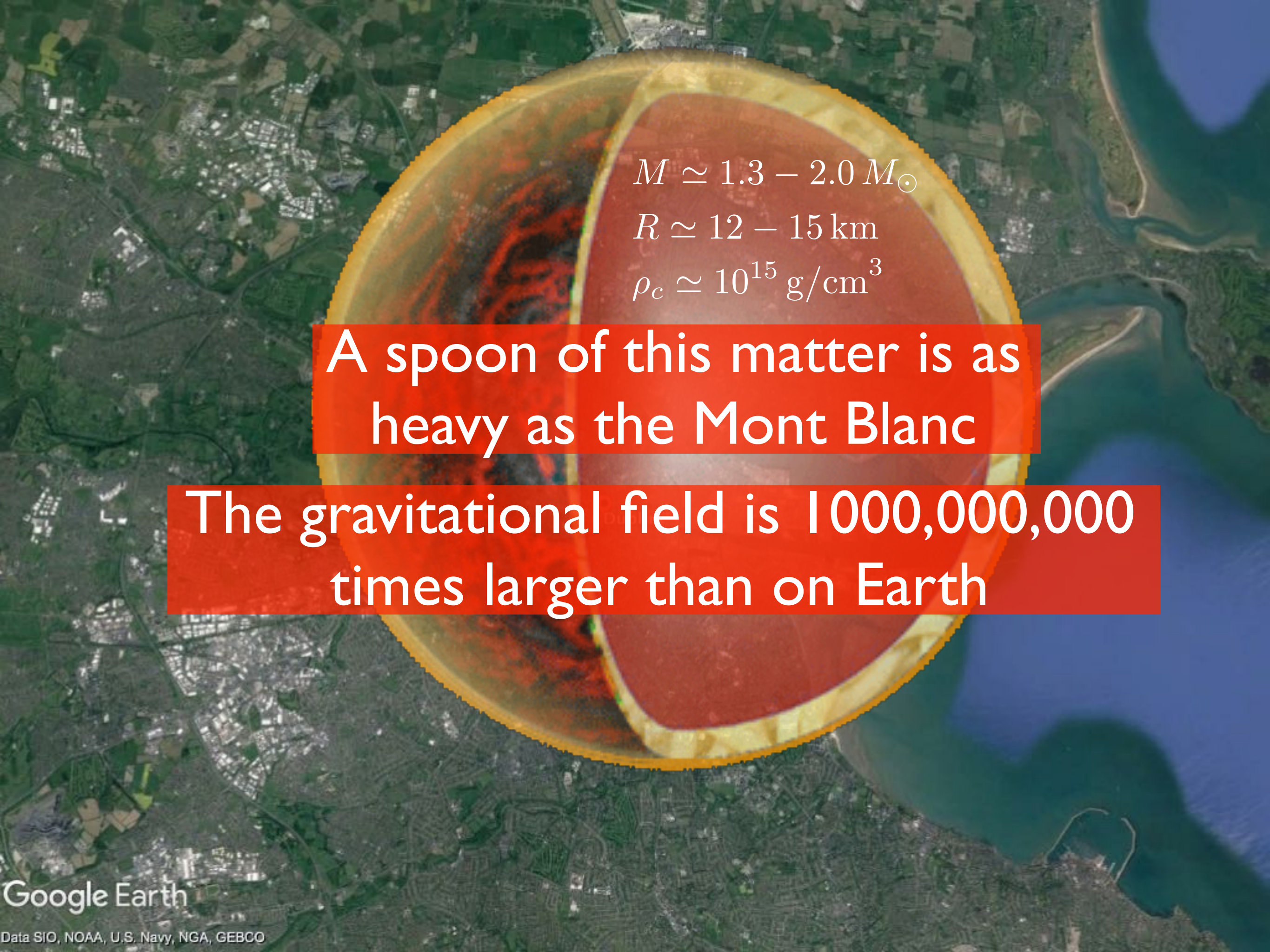
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A spoon of this matter is as
heavy as the Mont Blanc

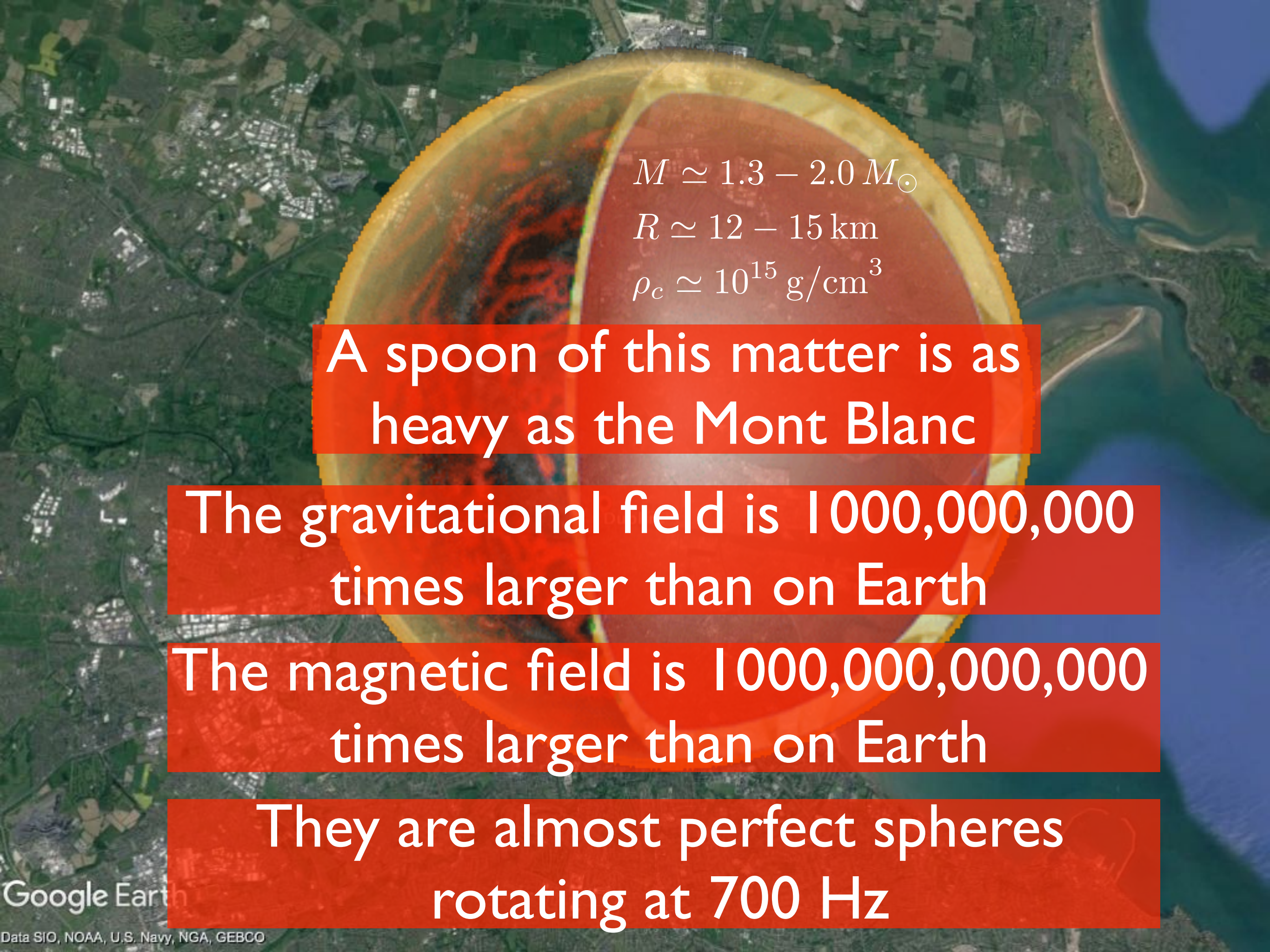

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The gravitational field is 1 000,000,000 times larger than on Earth

An aerial photograph of a landscape with green fields, roads, and a body of water. Overlaid on the image is a semi-transparent sphere with a red and orange interior, representing a neutron star. The sphere is positioned in the upper right quadrant of the image.
$$M \simeq 1.3 - 2.0 M_{\odot}$$

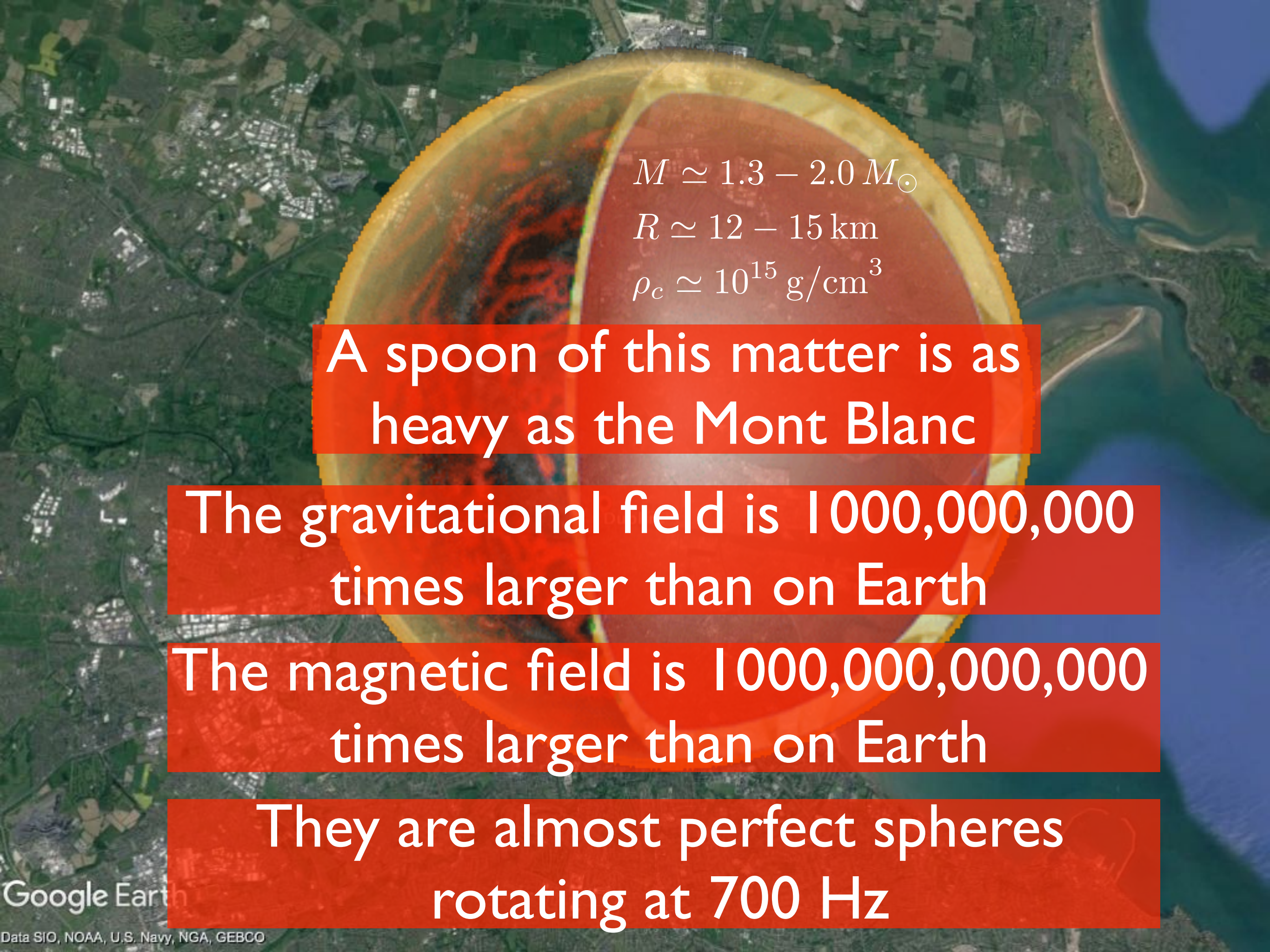
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They are almost perfect spheres rotating at 700 Hz

Let's compare sizes and compactness

Sun

white dwarf

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$$R_{\text{neutron star}} \simeq 12 \text{ km}; M/R \simeq 0.15 - 0.25$$

neutron
star

black hole

$$R_{\text{black hole}} \simeq 1.5 \text{ km}; M/R = 0.5$$

Neutron Star vs Black Hole

In terms of compactness (M/R) neutron stars and black holes are very similar: **extreme!**

$$M/R = 0.44444$$

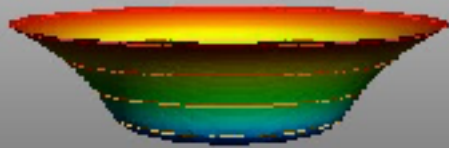
$$\sqrt{-g_{tt}}$$

$$M/R = 0.5000$$

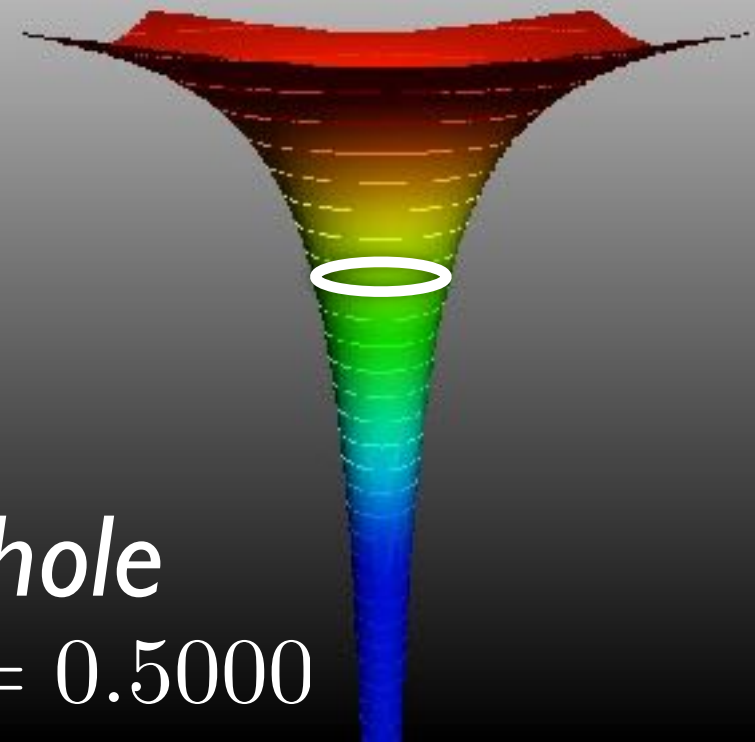
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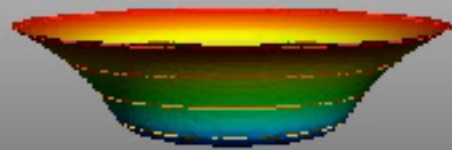
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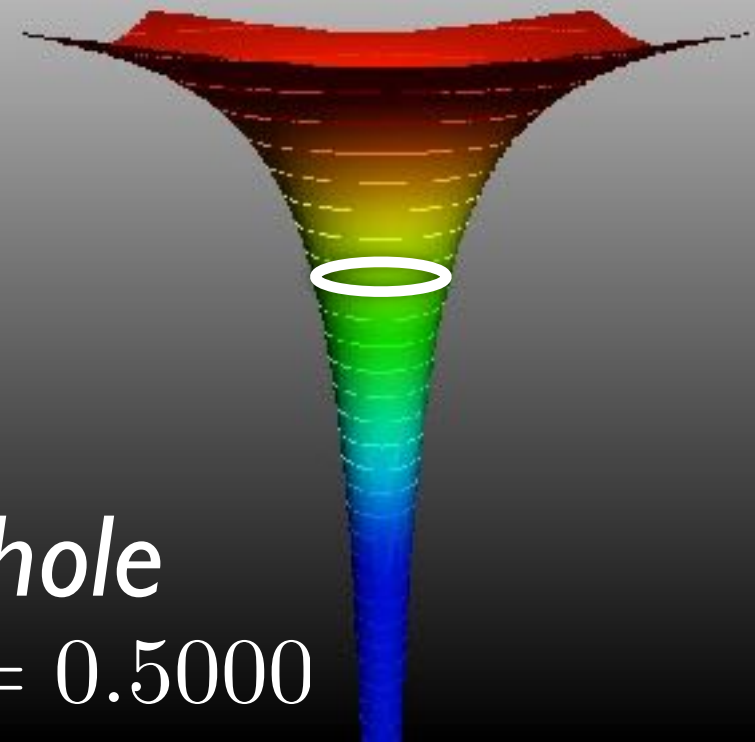
black hole
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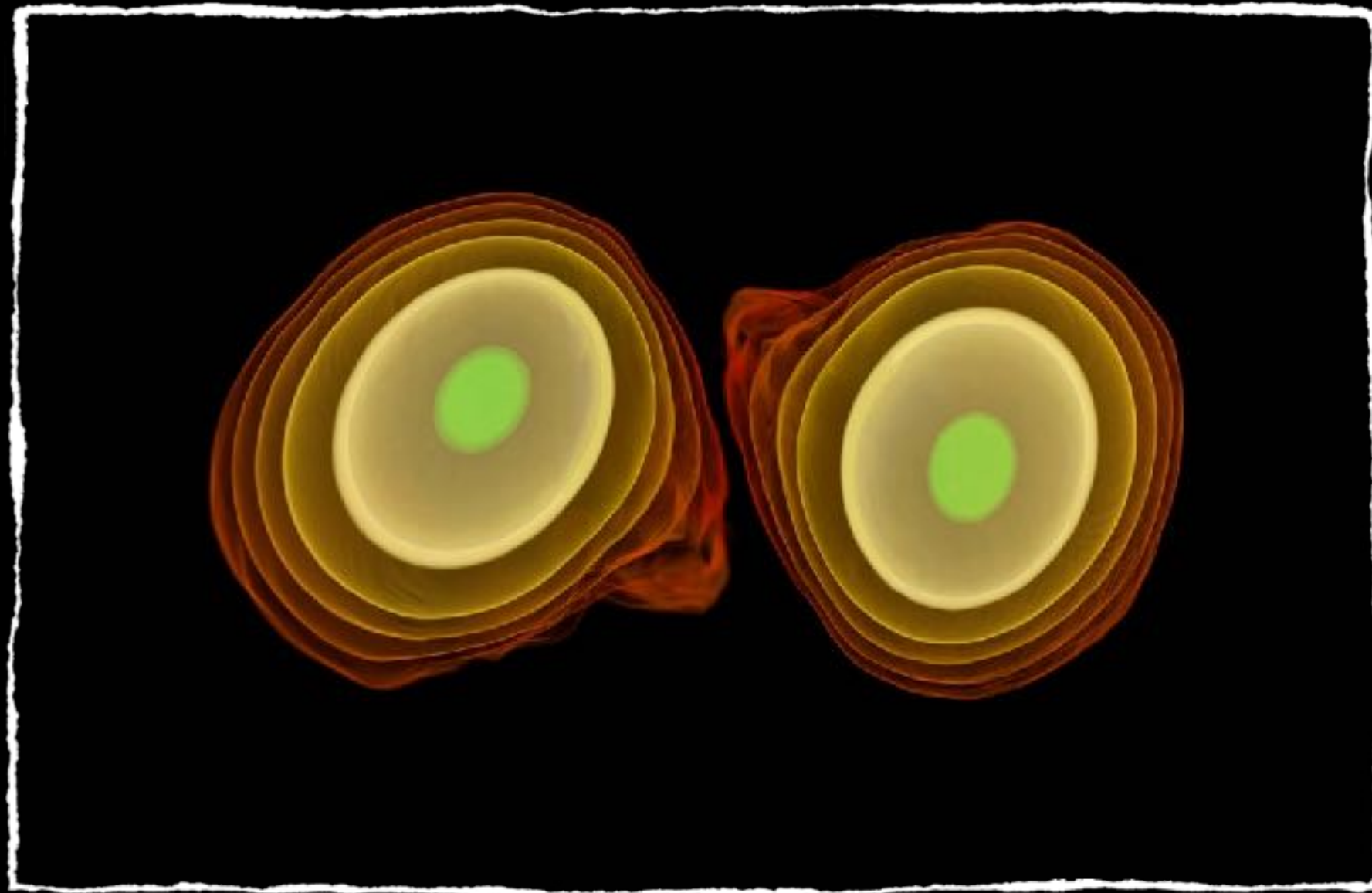


black hole
 $M/R = 0.50000$

In two things they differ:

neutron stars have a *hard surface* and finite curvature;
black holes *have no surface*, central curvature is *infinite!*

Binary neutron stars



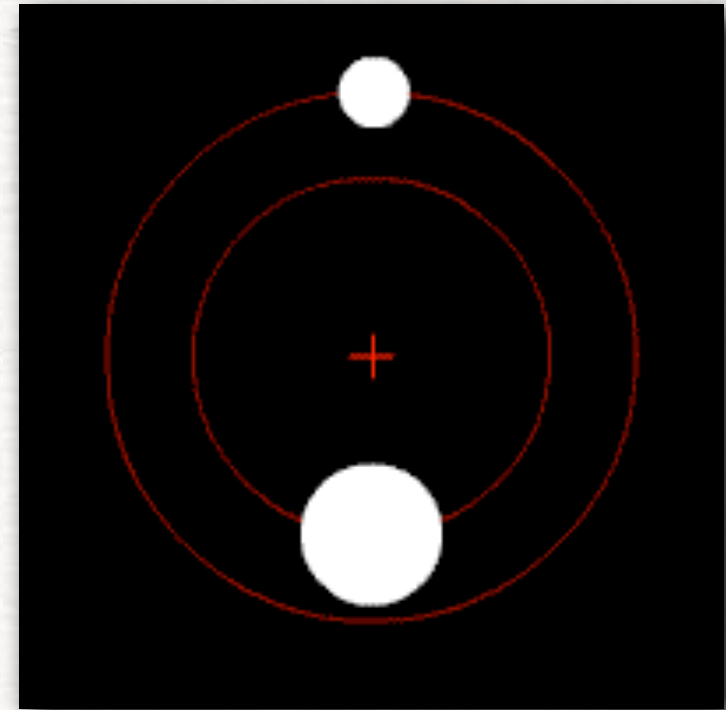
The two-body problem: Newton vs Einstein

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Take two objects of mass m_1 and m_2
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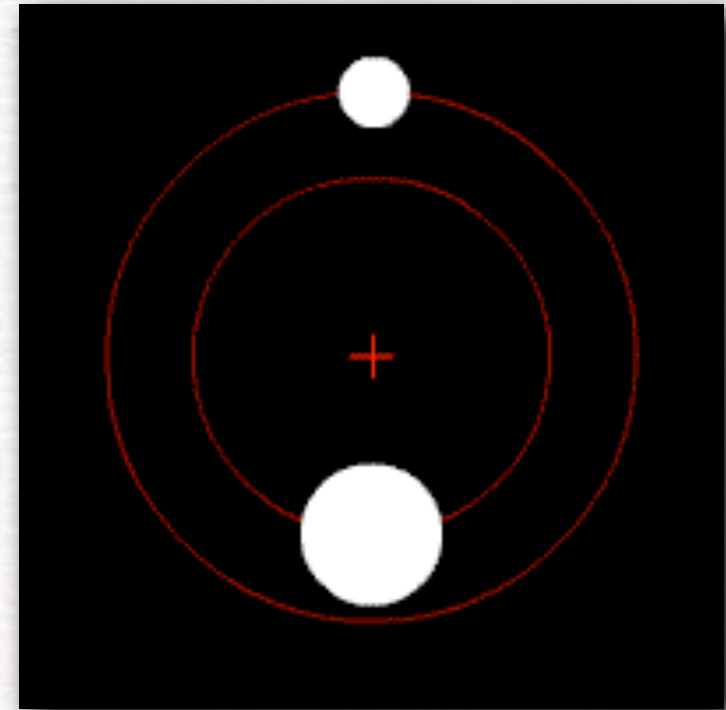
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In **Newton's gravity** solution is analytic:
there exist **closed orbits** (circular/elliptic)

$$\ddot{\mathbf{r}} = -\frac{GM}{d_{12}^3} \mathbf{r}$$

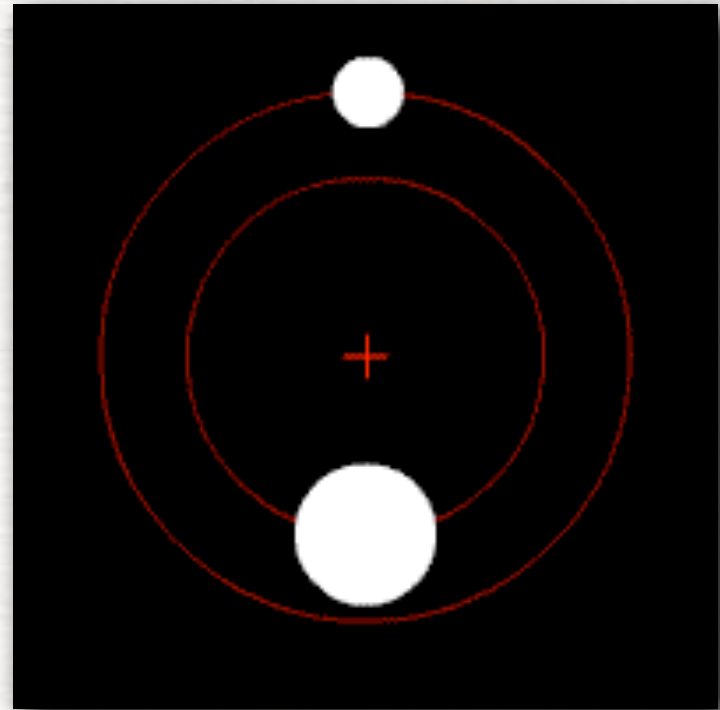
where $M \equiv m_1 + m_2$, $\mathbf{r} \equiv \mathbf{r}_1 - \mathbf{r}_2$, $d_{12} \equiv |\mathbf{r}_1 - \mathbf{r}_2|$.



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In **Einstein's gravity** no analytic solution!

No closed orbits: the system loses energy/angular
momentum via **gravitational waves**.

The two-body problem in GR

- For BHs we know what to **expect**:

$$\text{BH} + \text{BH} \longrightarrow \text{BH} + \text{GWs}$$

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$$\text{NS} + \text{NS} \longrightarrow \text{HMNS} + \dots ? \longrightarrow \text{BH} + \text{torus} + \dots ? \longrightarrow \text{BH}$$

The two-body problem in GR

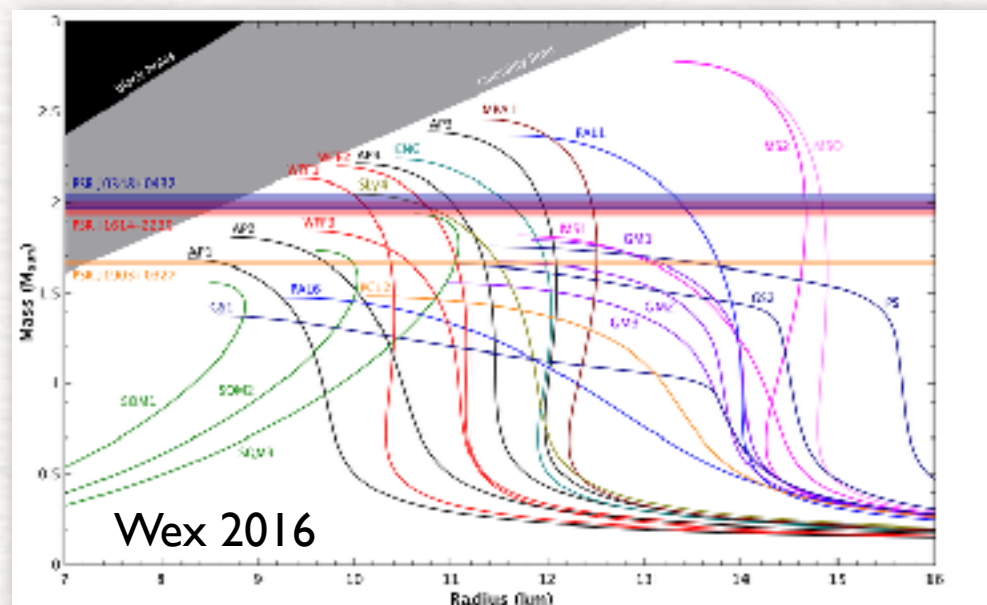
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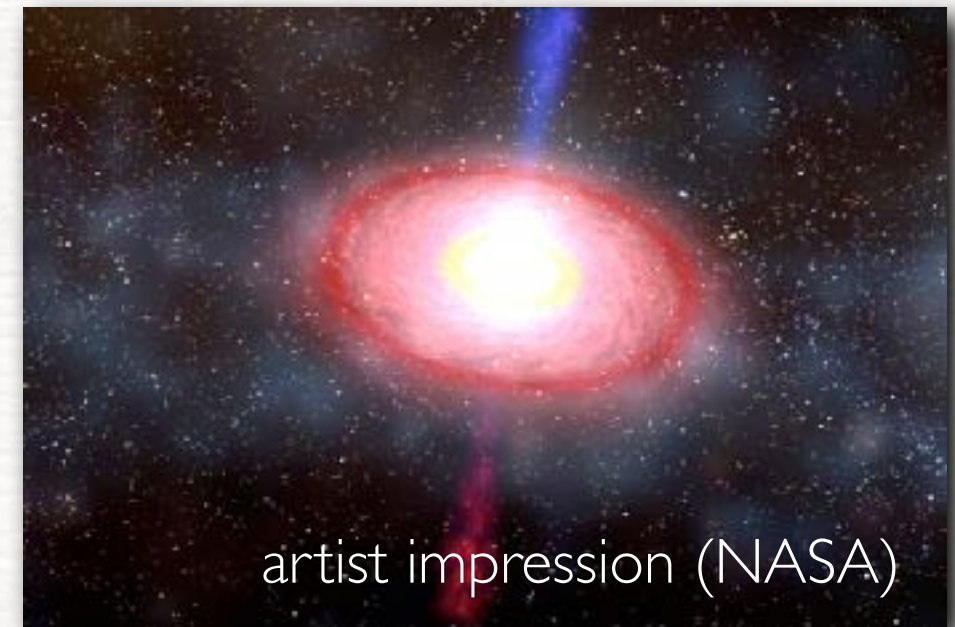
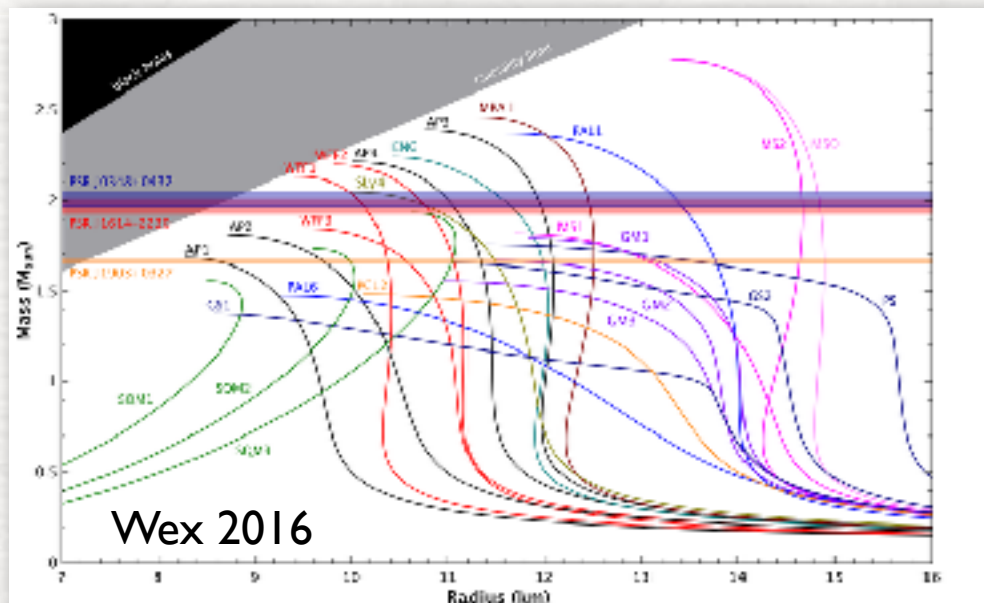
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- **BH+torus** system may tell us on the central engine of **GRBs**

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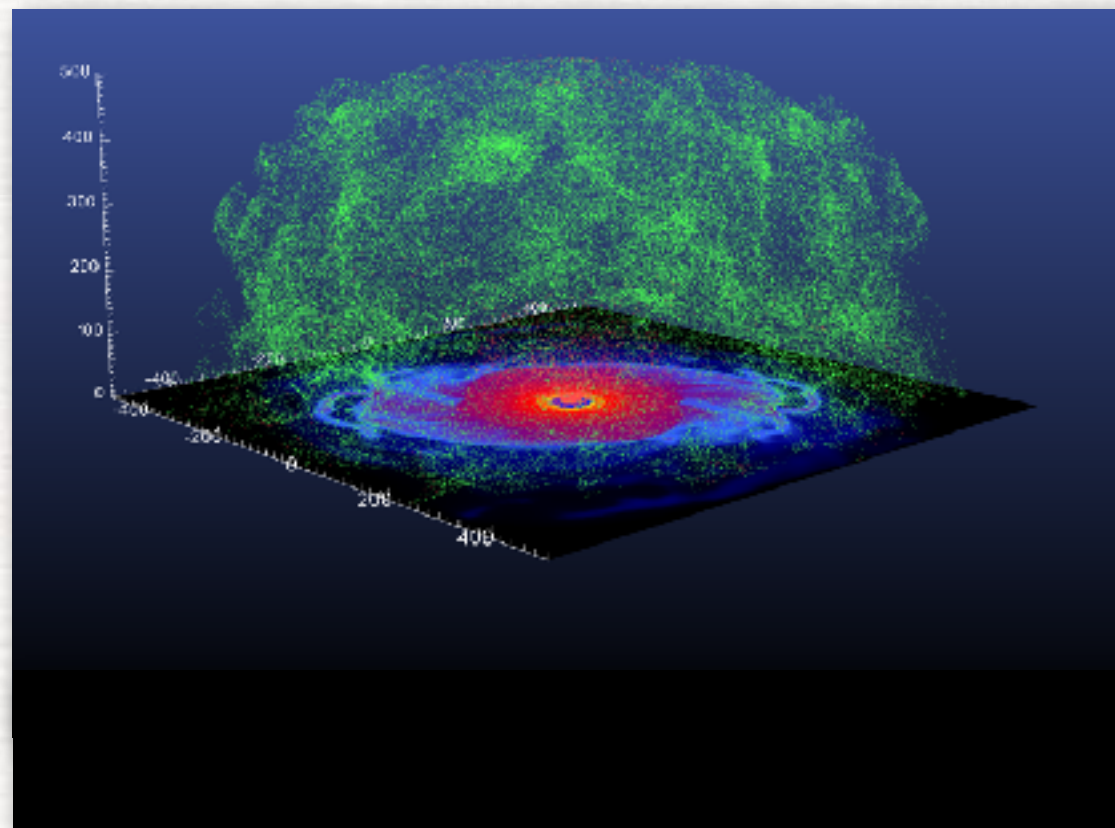
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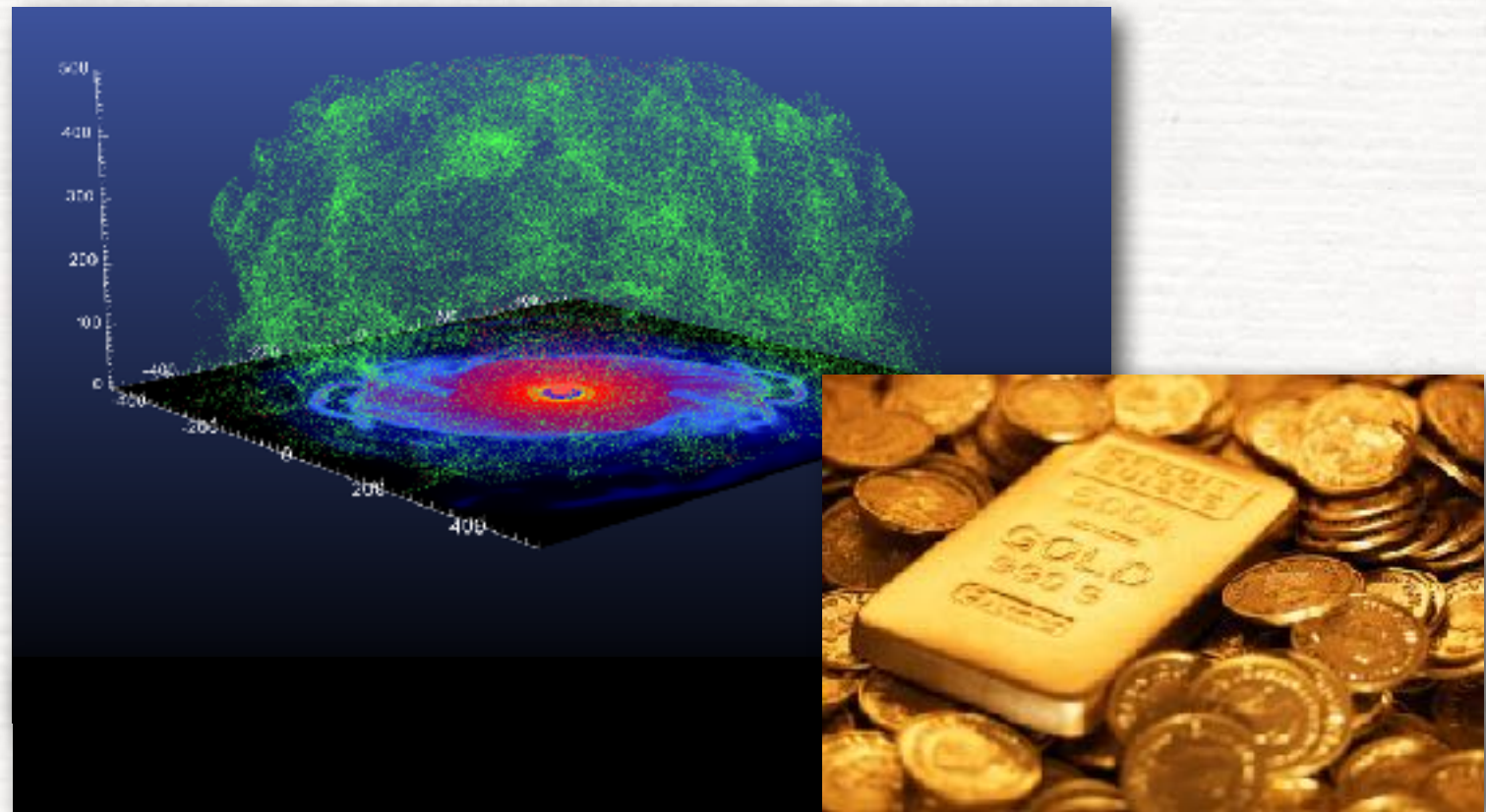
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Animations: Breu, Radice, LR



$$M = 2 \times 1.35 M_{\odot}$$

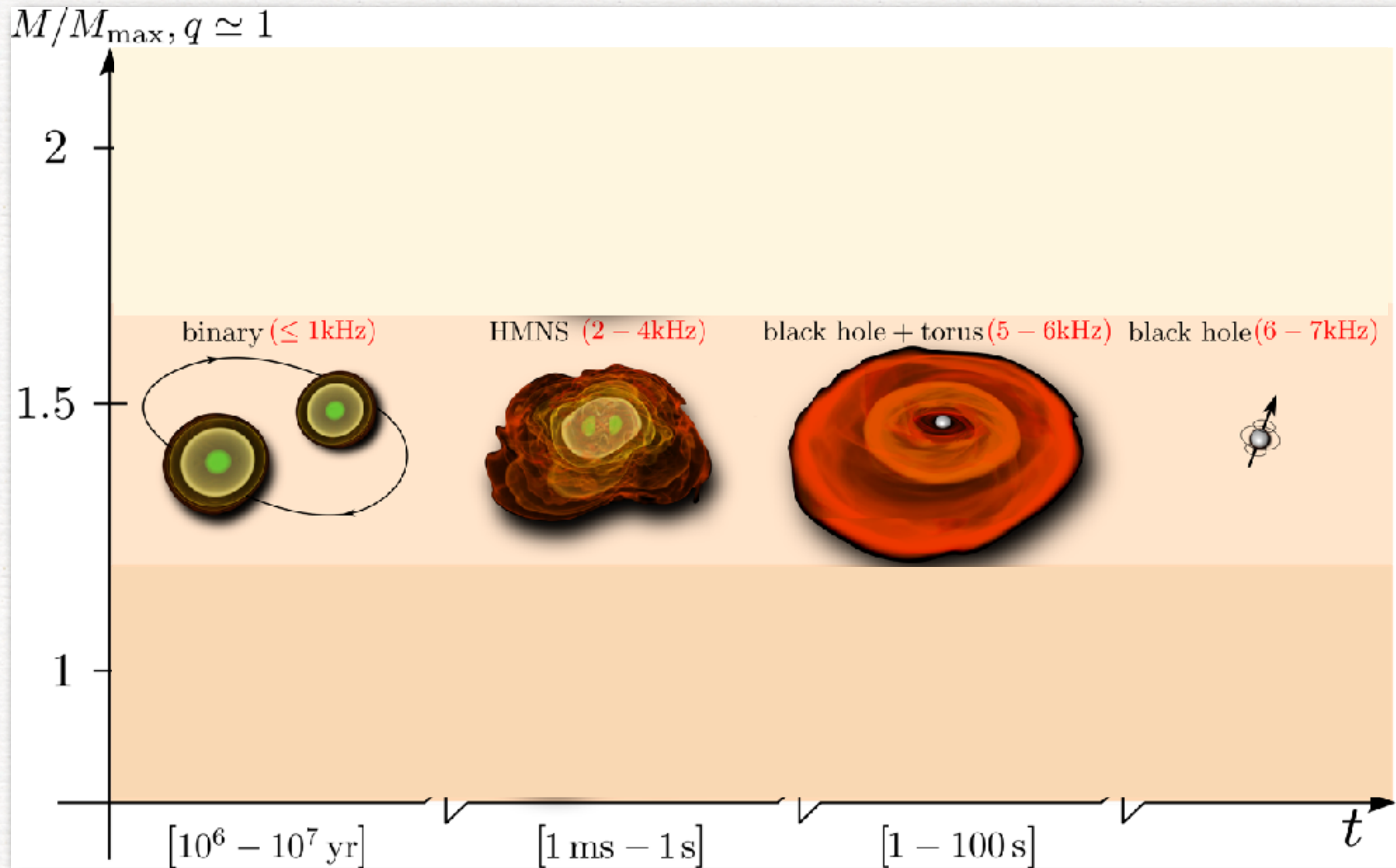
LS220 EOS



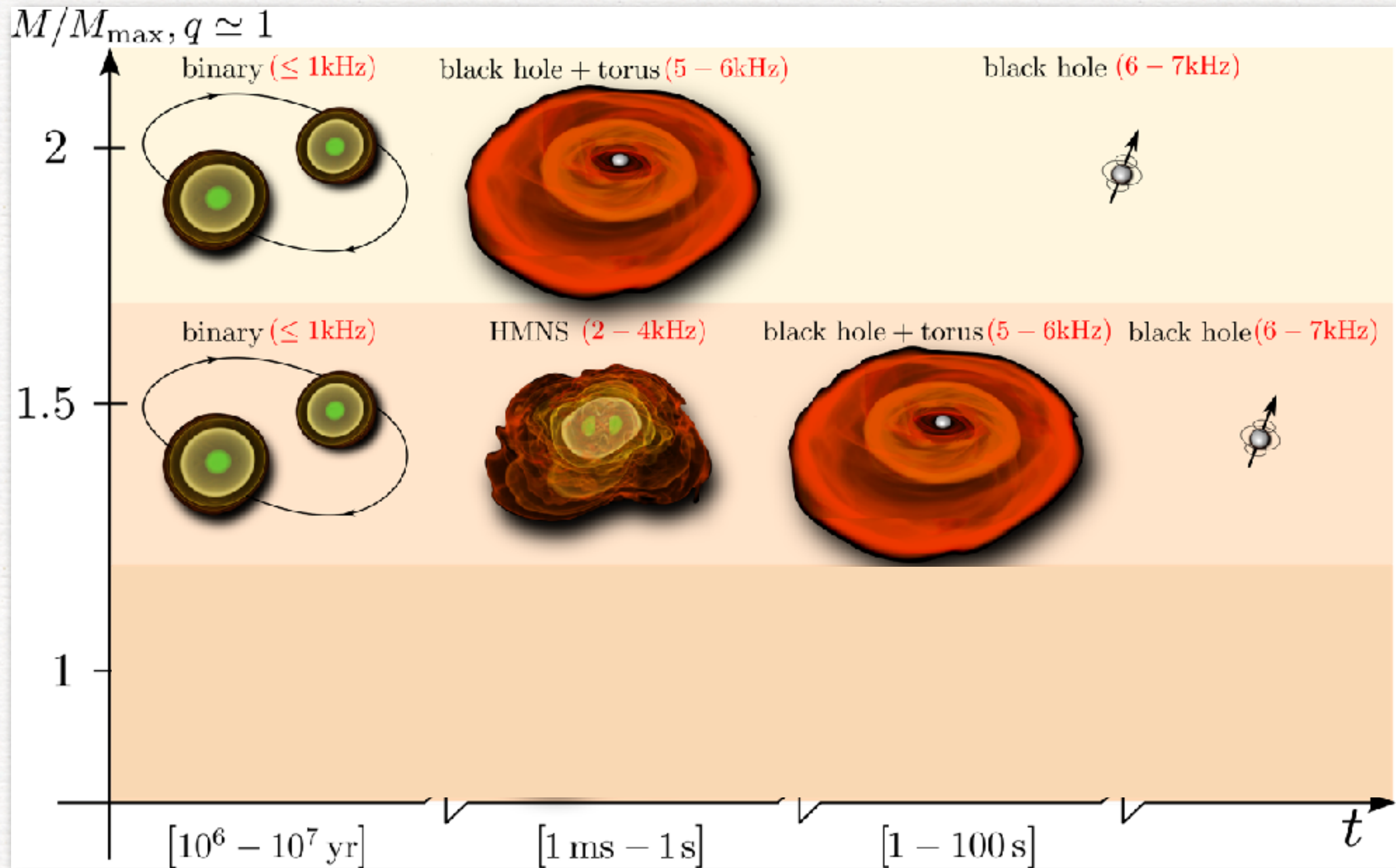


merger → HMNS → BH + torus

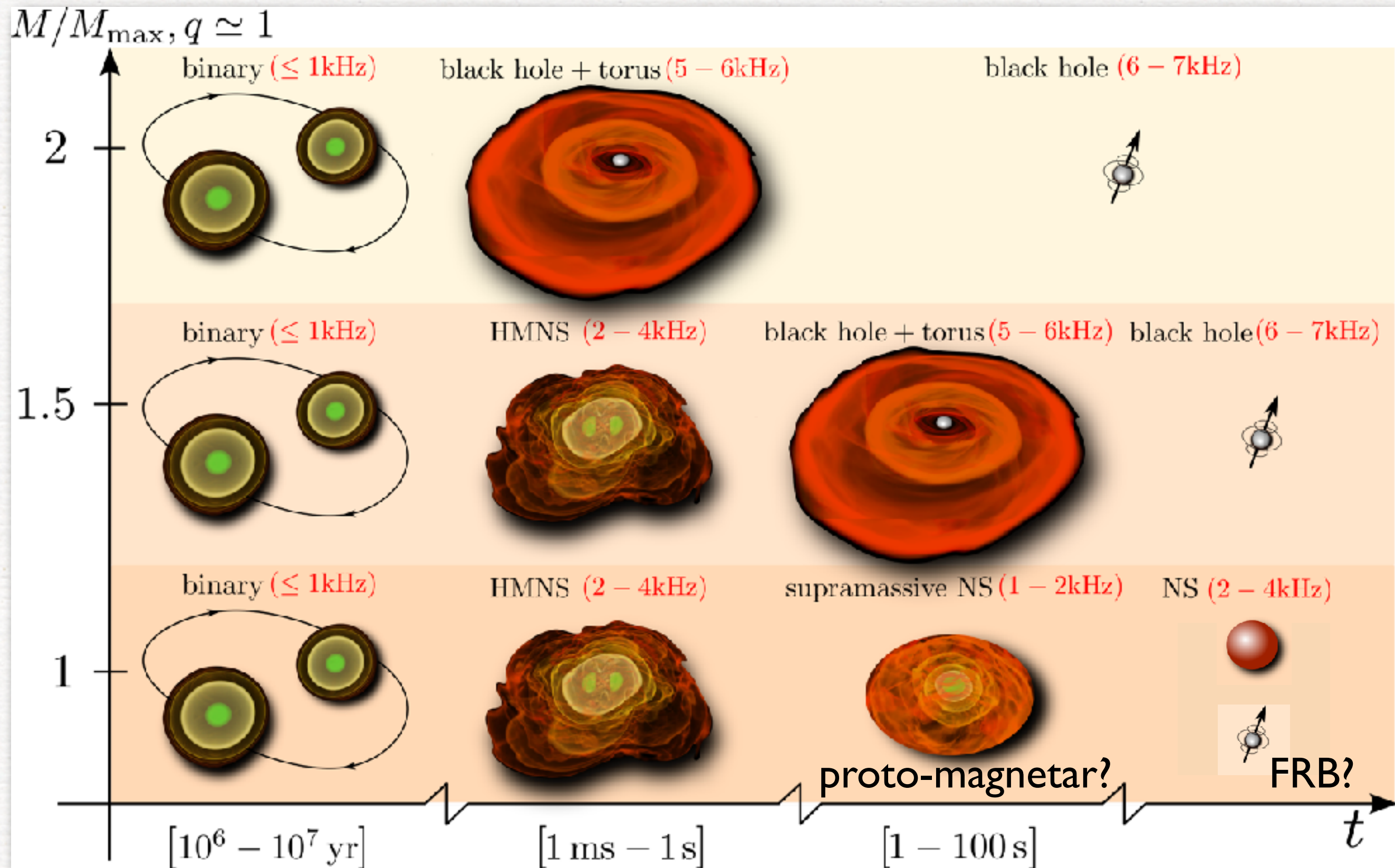
Broadbrush picture



Broadbrush picture



Broadbrush picture



merger \longrightarrow HMNS \longrightarrow BH + torus

Quantitative differences are produced by:

- total mass (prompt vs delayed collapse)

merger \longrightarrow HMNS \longrightarrow BH + torus

Quantitative differences are produced by:

- total mass (prompt vs delayed collapse)
- mass asymmetries (HMNS and torus)

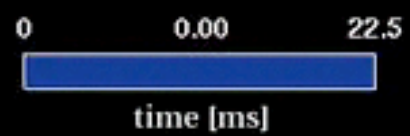
0 0.00 22.5
time [ms]

Animations: Giacomazzo, Koppitz, LR

Total mass : $3.37 M_{\odot}$; mass ratio :0.80;



9 15
 $\log(\rho)[\text{g}/\text{cm}^3]$



0 0.00 22.5
time [ms]



- * the torii are generically more massive
- * the torii are generically more extended
- * the torii tend to stable quasi-Keplerian configurations
- * overall unequal-mass systems have all the ingredients needed to create a GRB

merger \longrightarrow HMNS \longrightarrow BH + torus

Quantitative differences are produced by:

- total mass (prompt vs delayed collapse)
- mass asymmetries (HMNS and torus)

merger \longrightarrow HMNS \longrightarrow BH + torus

Quantitative differences are produced by:

- total mass (prompt vs delayed collapse)
- mass asymmetries (HMNS and torus)
- Equation of State (EOS) soft/stiff (grav. waves)

merger \longrightarrow HMNS \longrightarrow BH + torus

Quantitative differences are produced by:

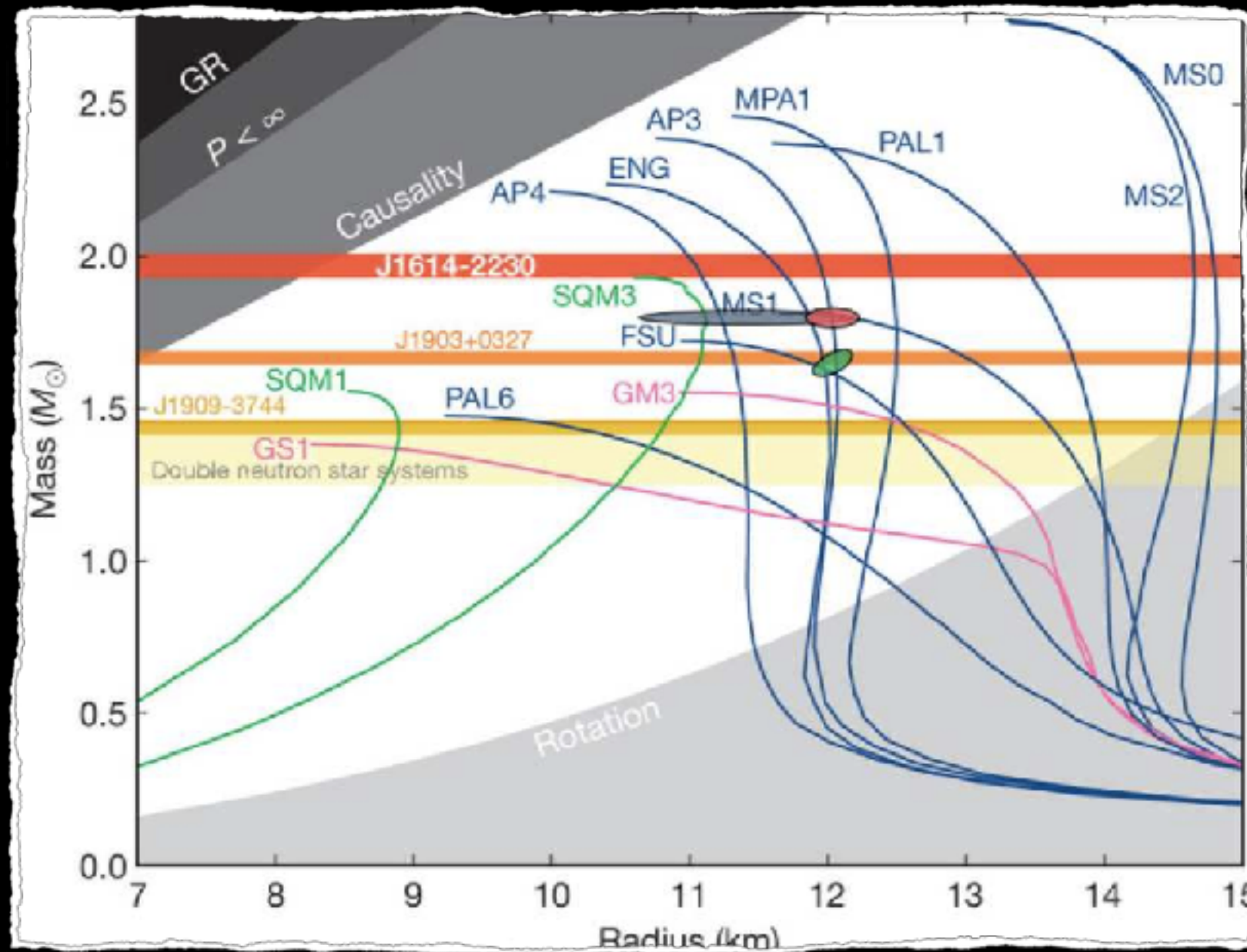
- total mass (prompt vs delayed collapse)
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- Equation of State (EOS) soft/stiff (grav. waves)
- magnetic fields (equil. and EM emission)

merger \longrightarrow HMNS \longrightarrow BH + torus

Quantitative differences are produced by:

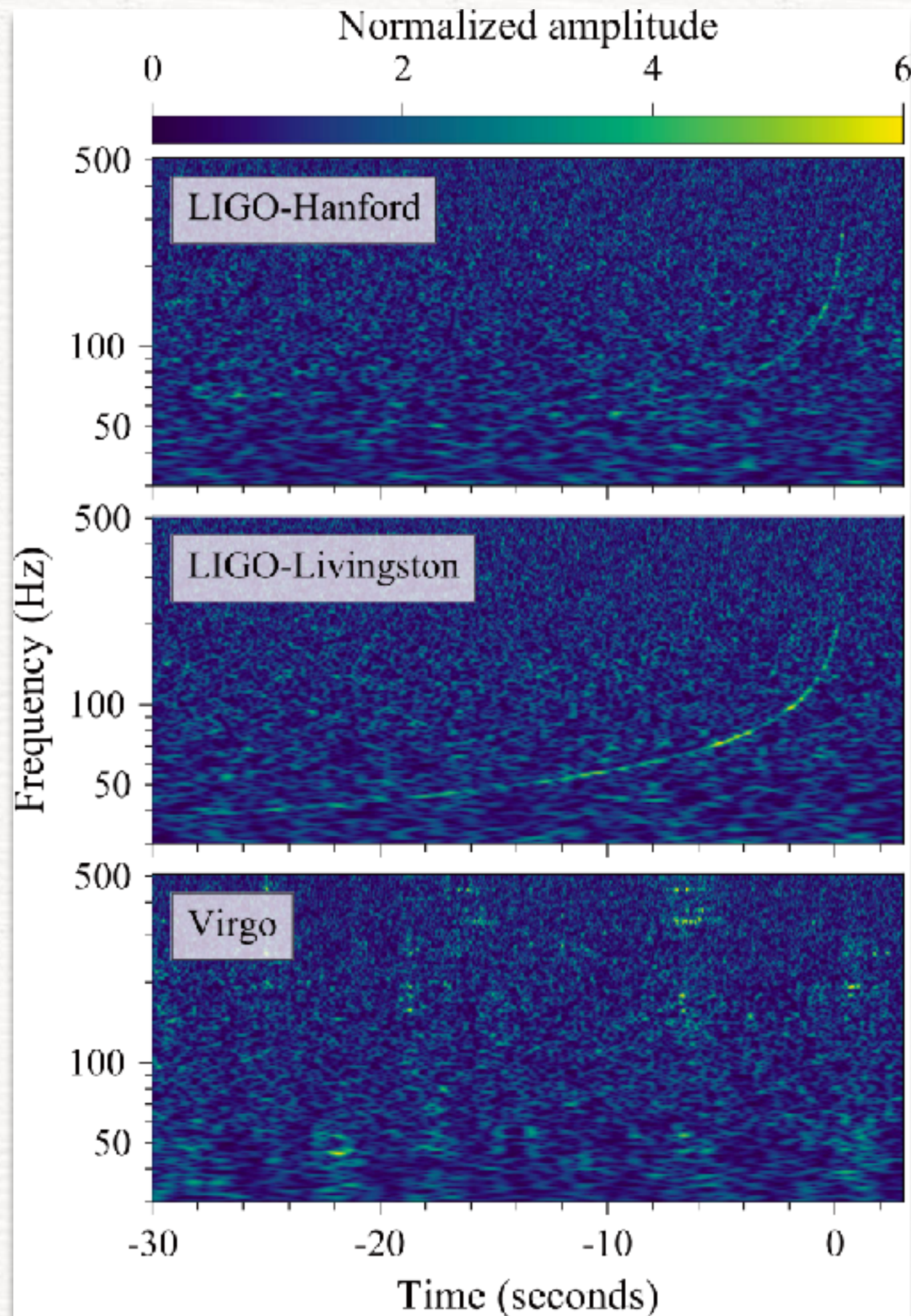
- total mass (prompt vs delayed collapse)
- mass asymmetries (HMNS and torus)
- Equation of State (EOS) soft/stiff (grav. waves)
- magnetic fields (equil. and EM emission)
- radiative losses (equil. and nucleosynthesis)

How to constrain the EOS



GW170817

- On 16 October 2017 the LSC/Virgo collaboration announced detection of the gravitational signal from merging binary neutron-star system.



GW170817

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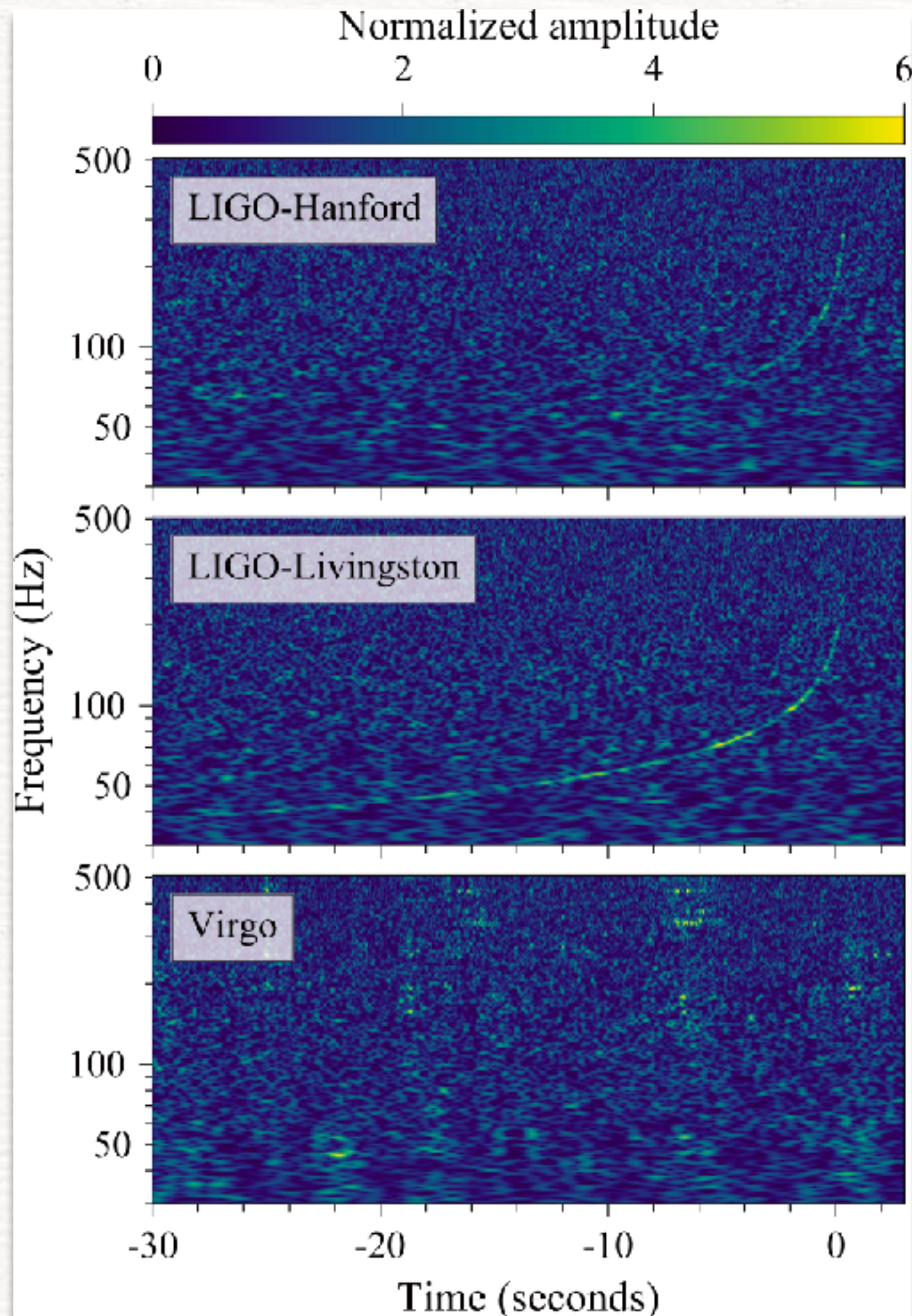
- Total mass:

$$M_1 + M_2 = 2.74^{+0.04}_{-0.01} M_{\odot}$$

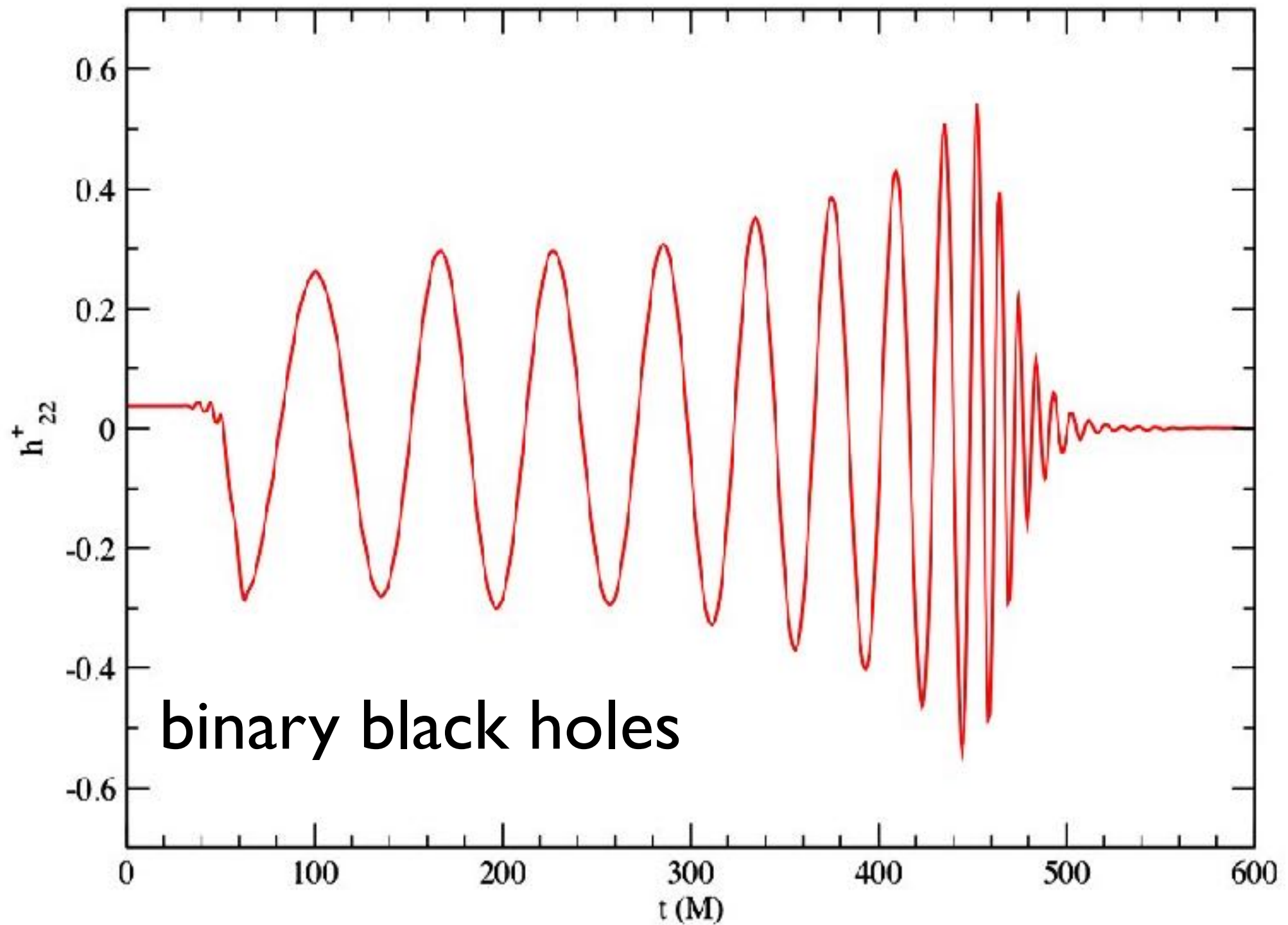
- Individual masses:

$$M_1 = 1.36 - 1.60 M_{\odot}$$

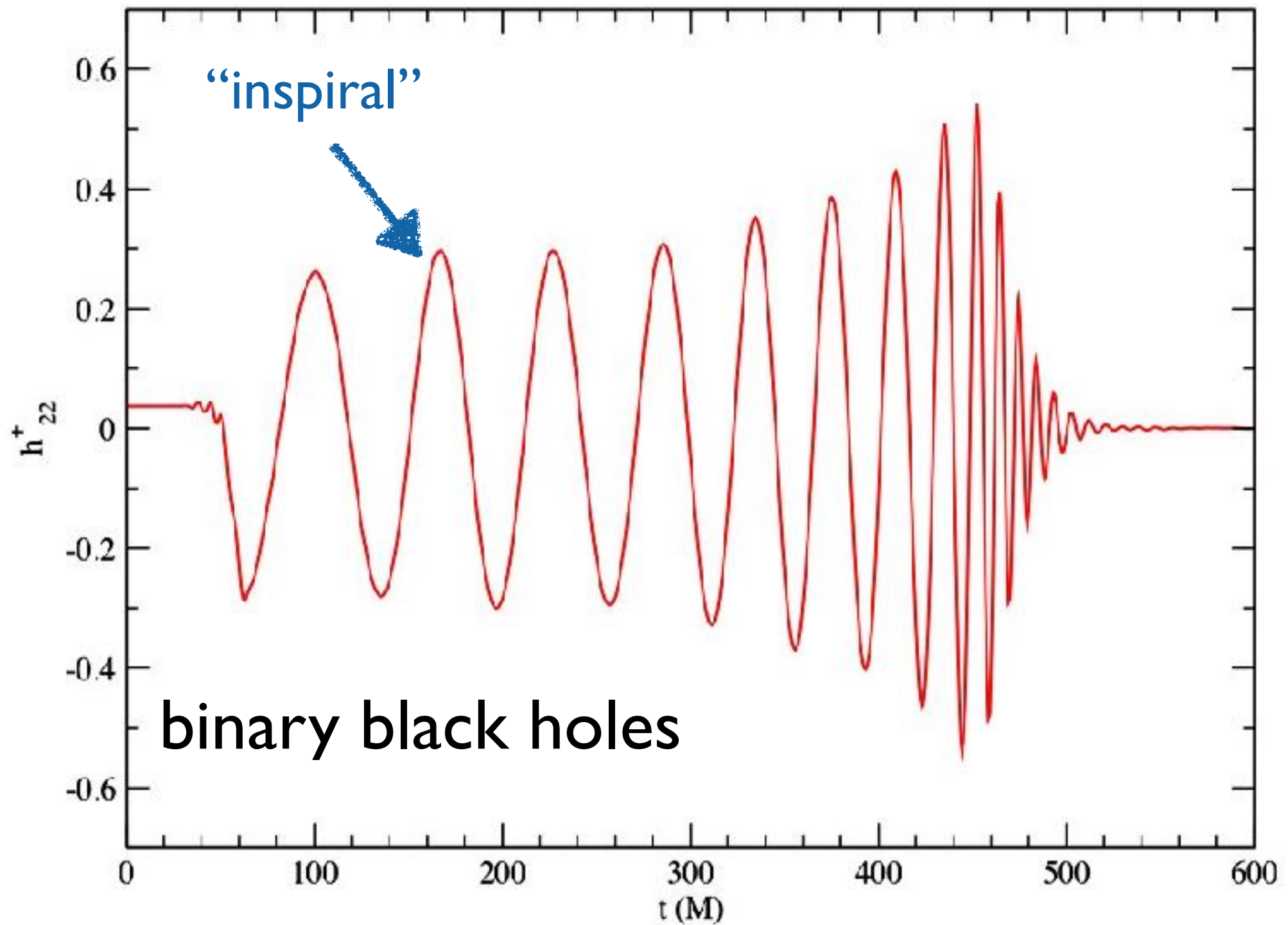
$$M_2 = 1.17 - 1.36 M_{\odot}$$



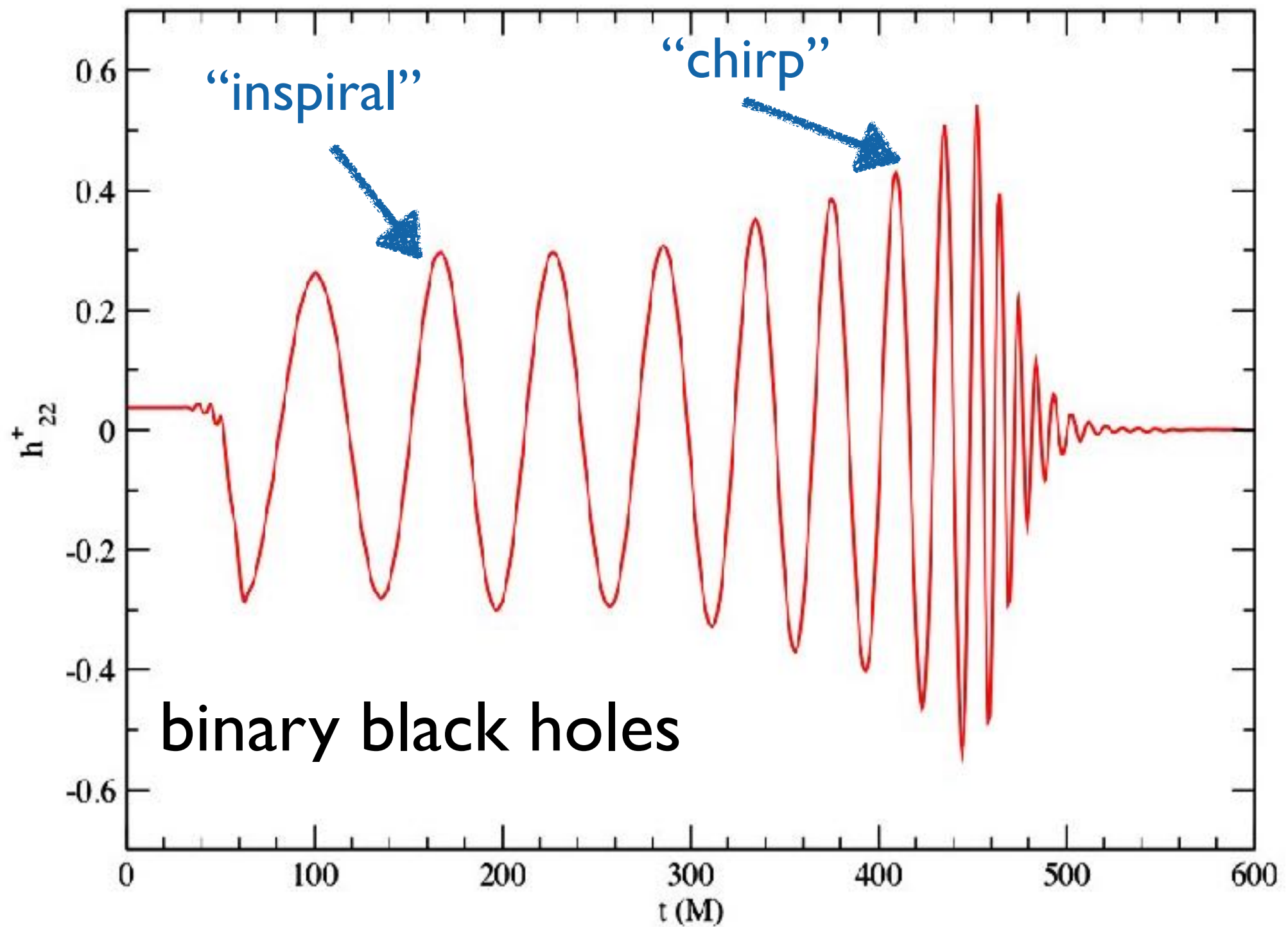
Anatomy of the GW signal



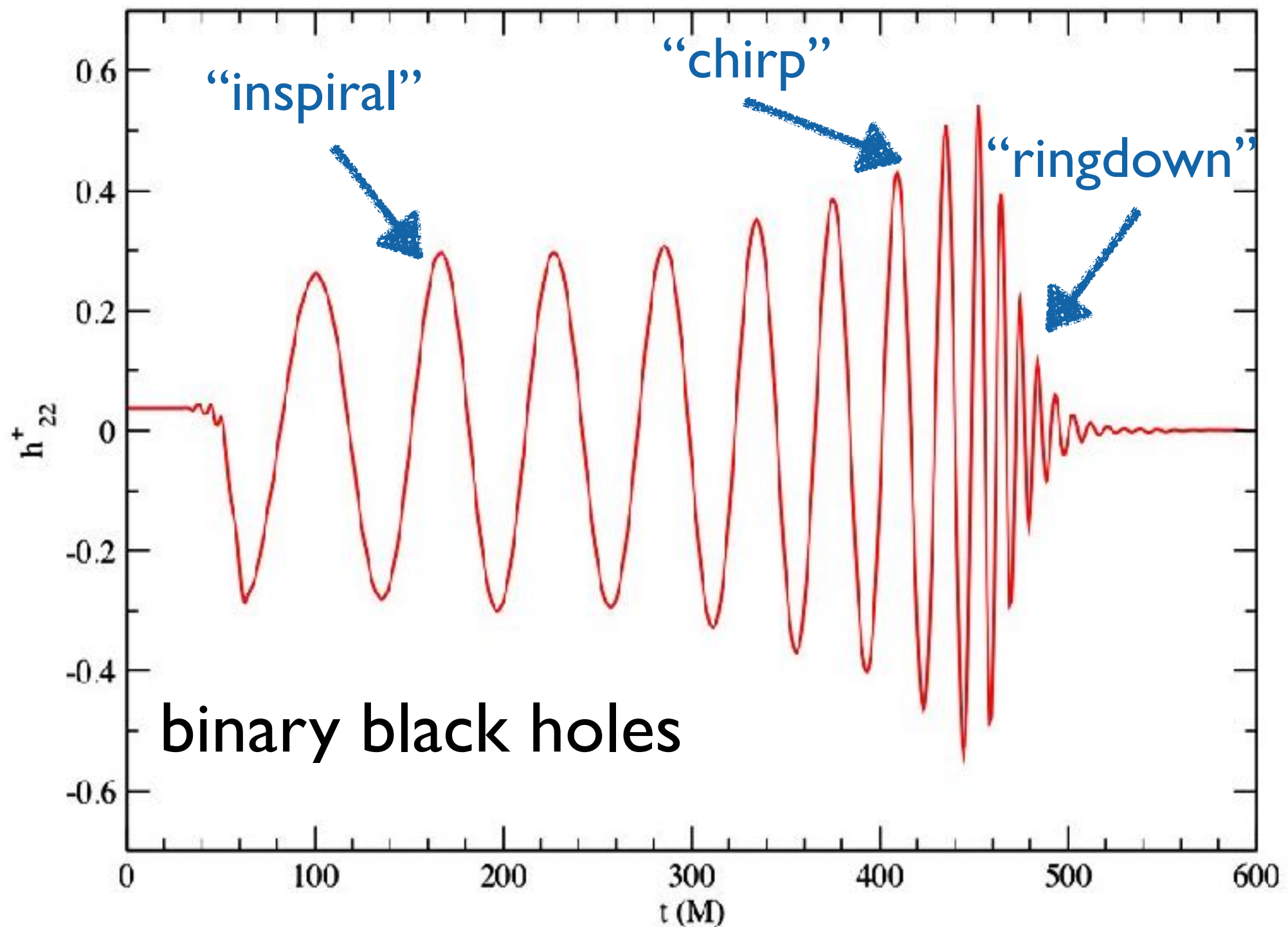
Anatomy of the GW signal



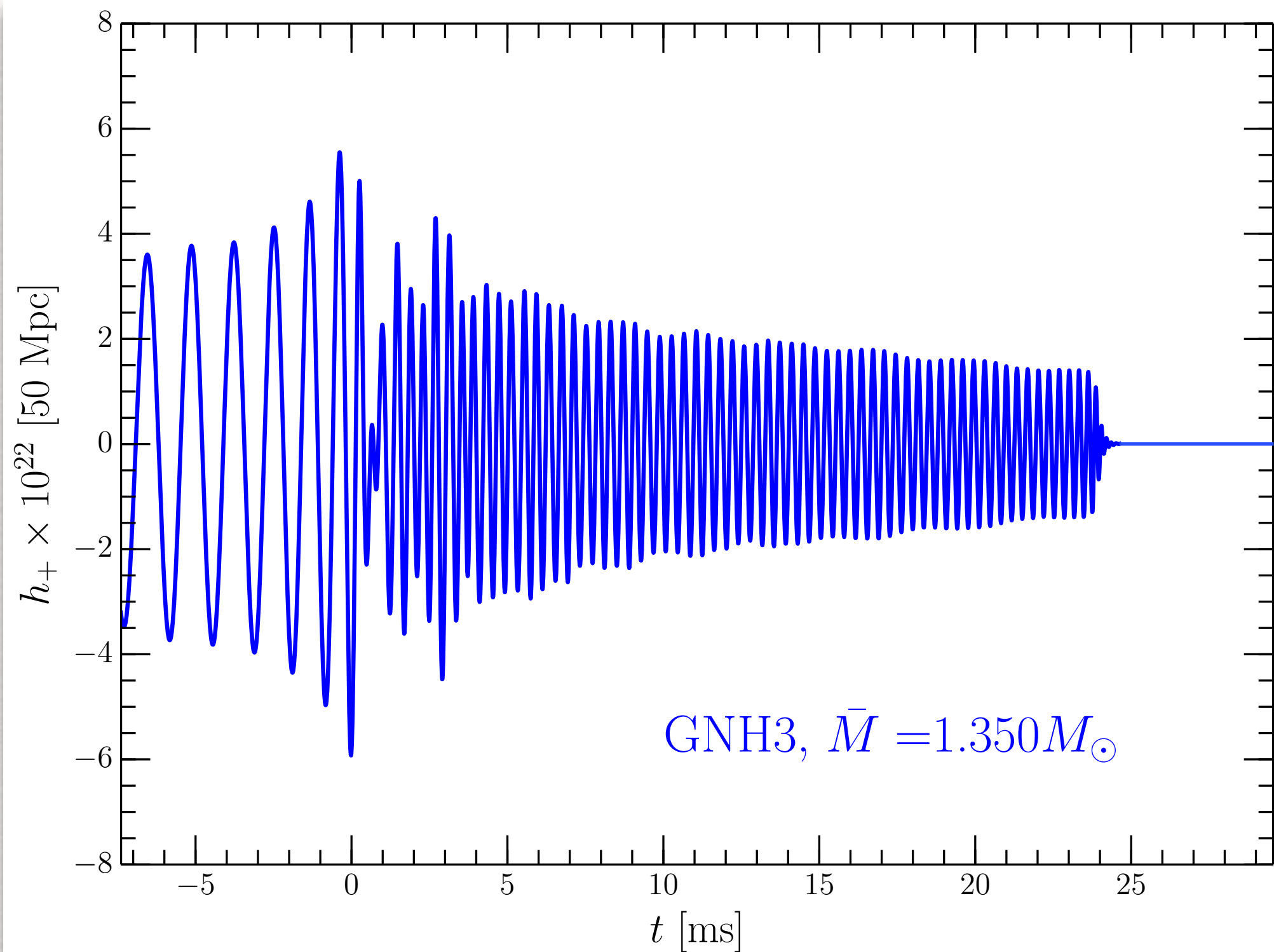
Anatomy of the GW signal



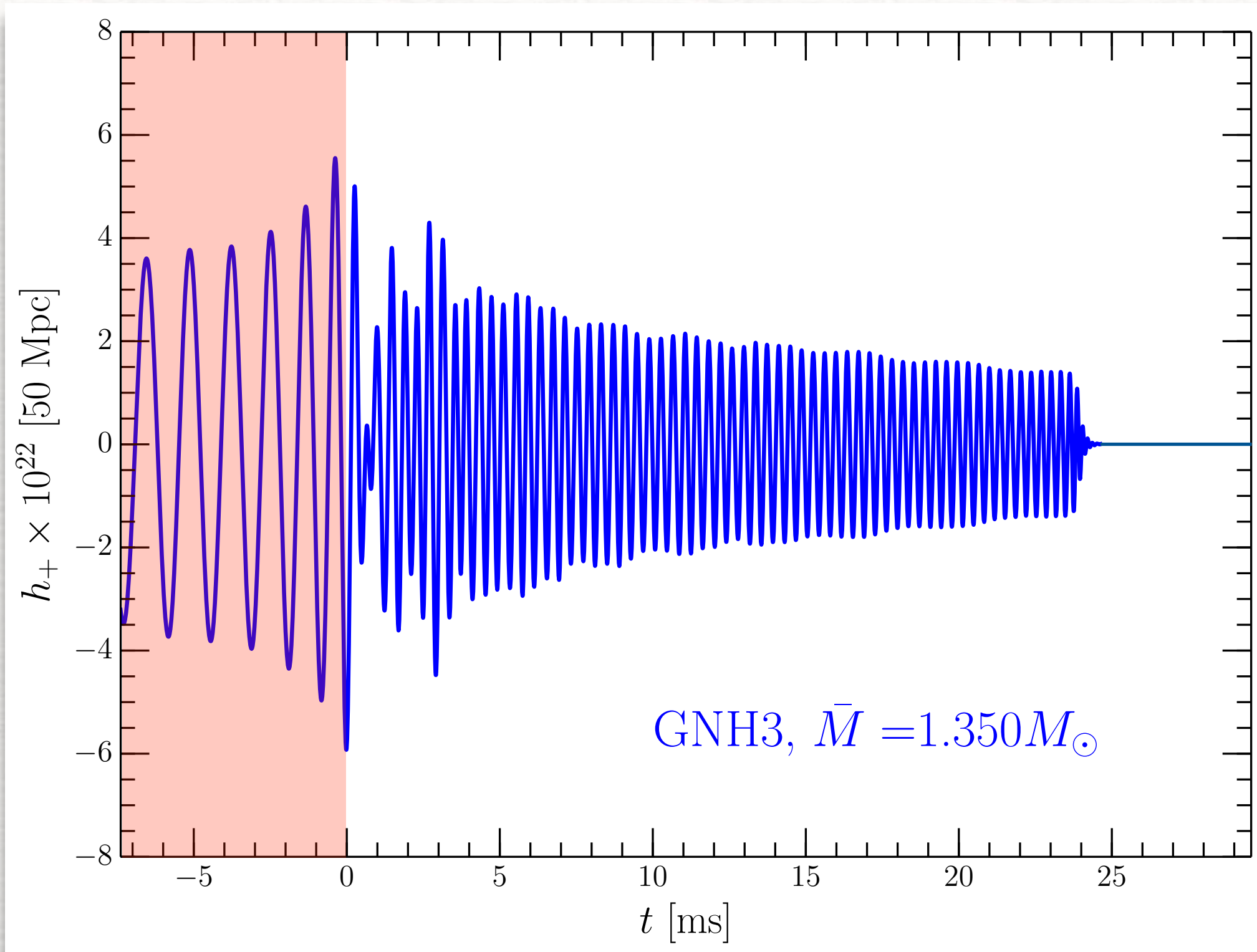
Anatomy of the GW signal



Anatomy of the GW signal

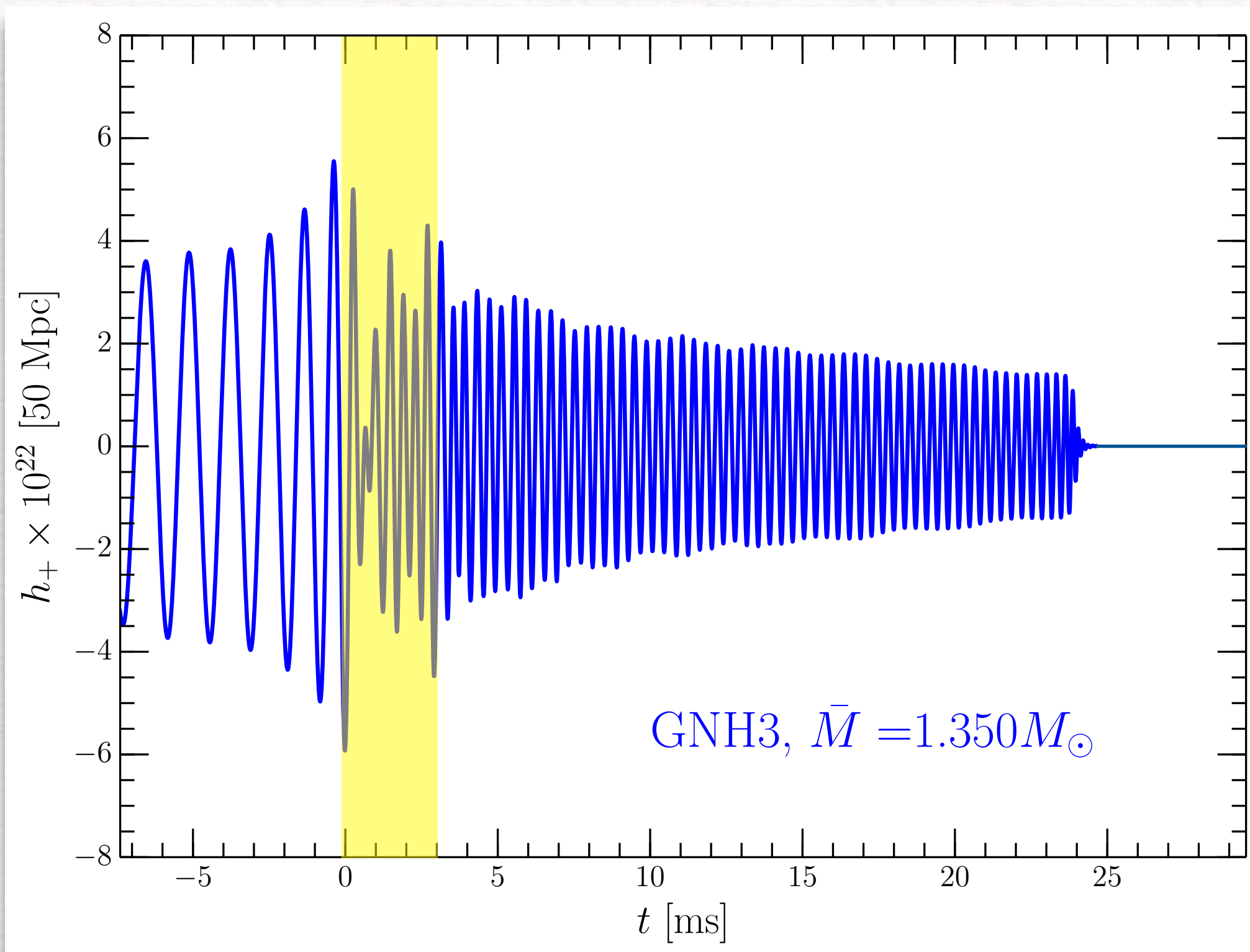


Anatomy of the GW signal



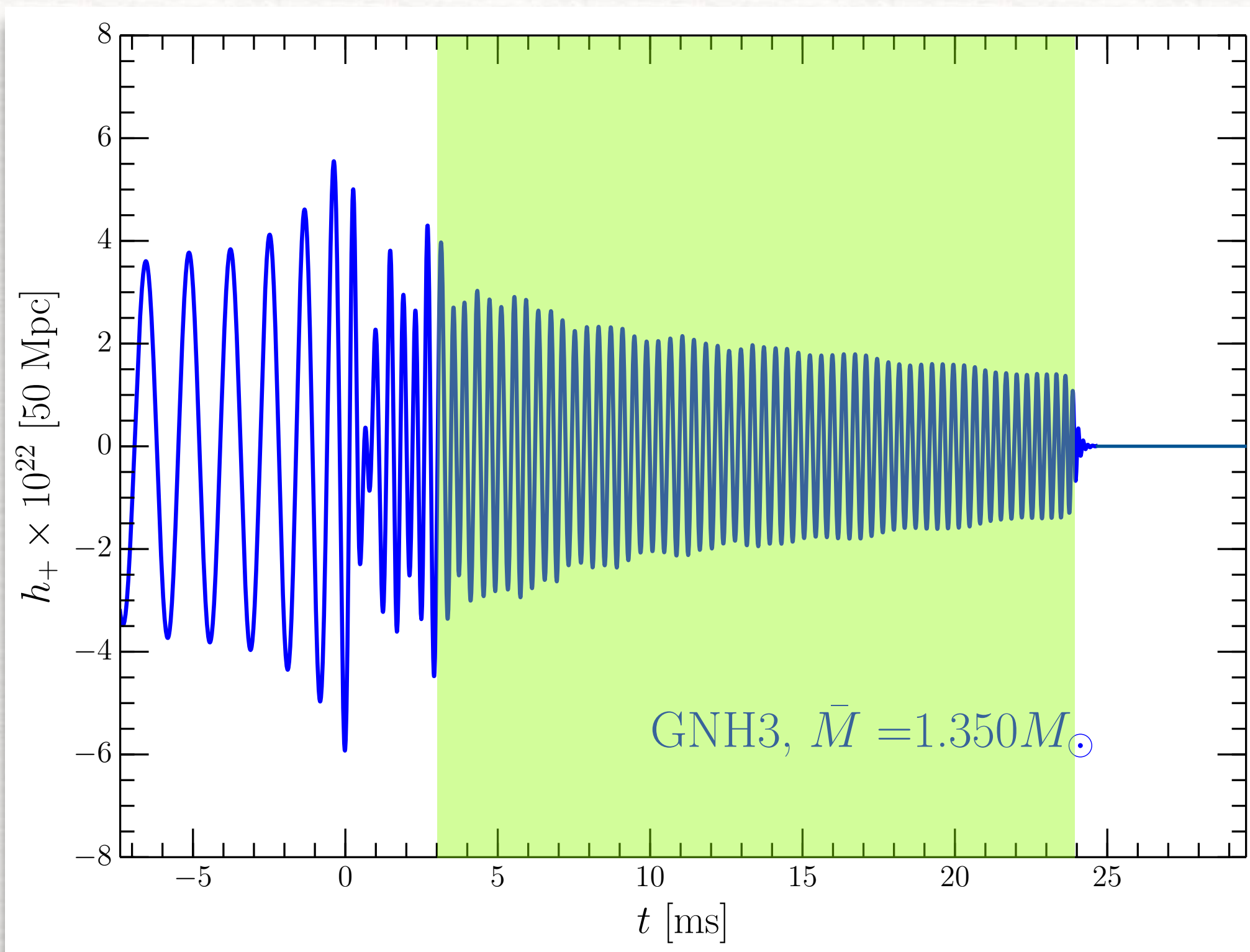
Inspiral/chirp: well approximated by semianalytic approaches

Anatomy of the GW signal



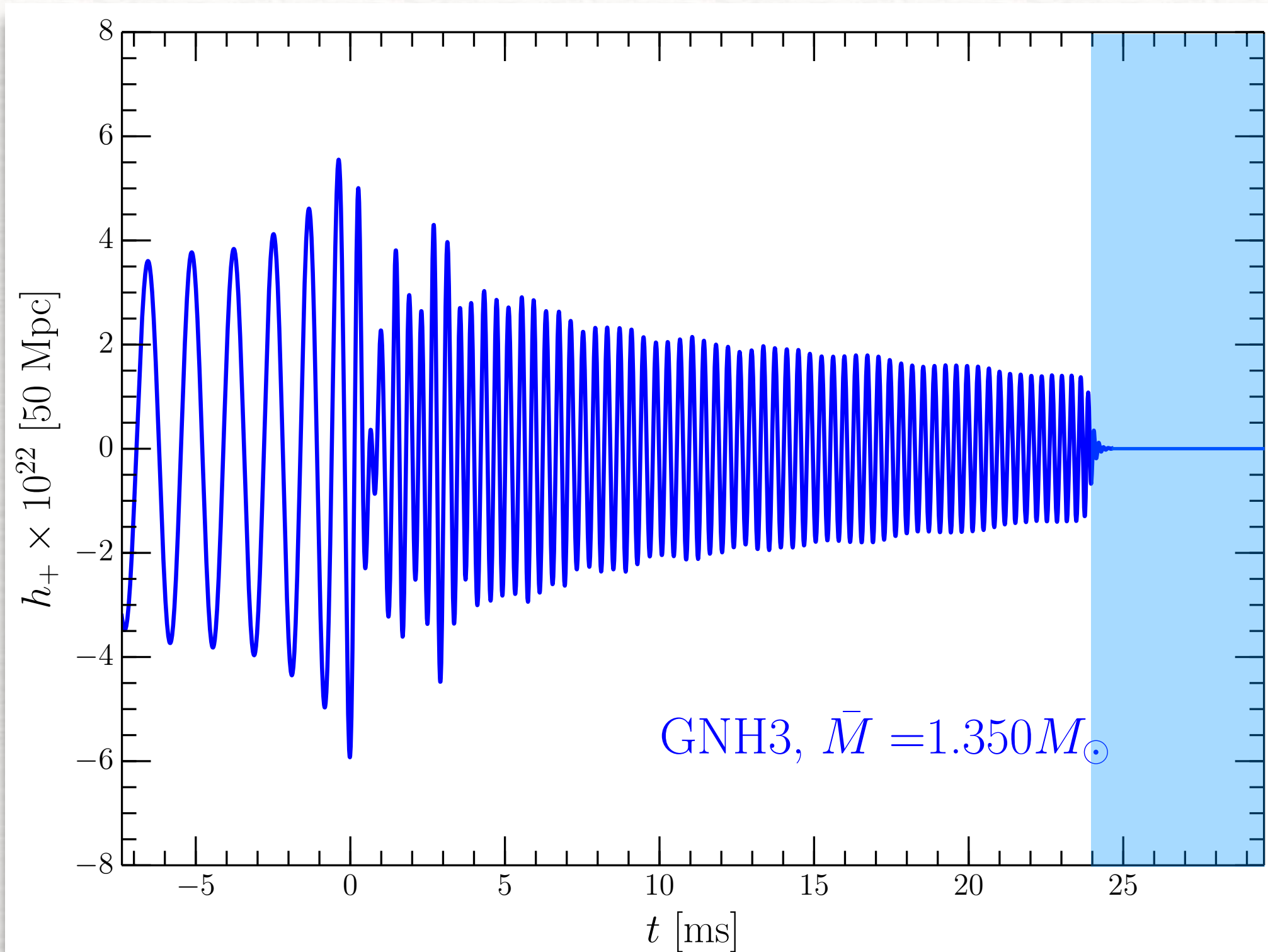
Merger: highly nonlinear but analytic description possible

Anatomy of the GW signal



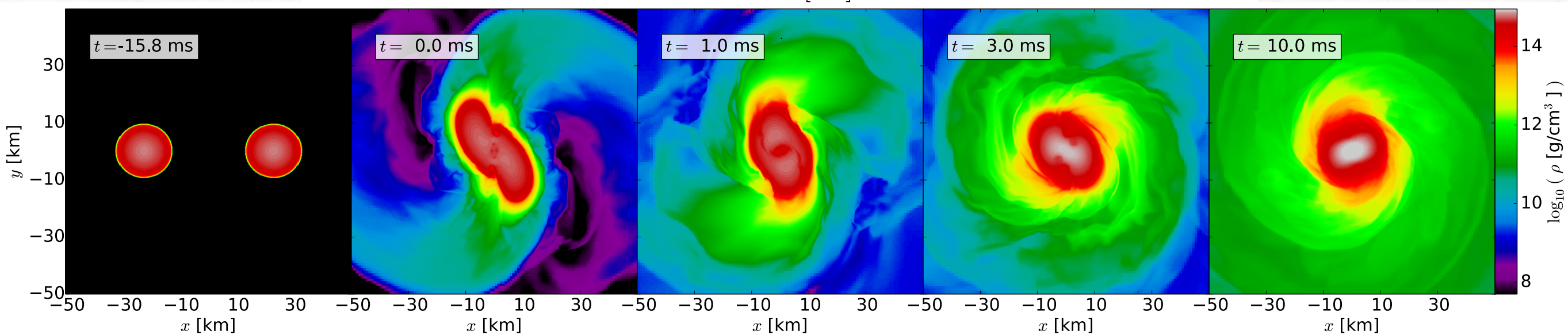
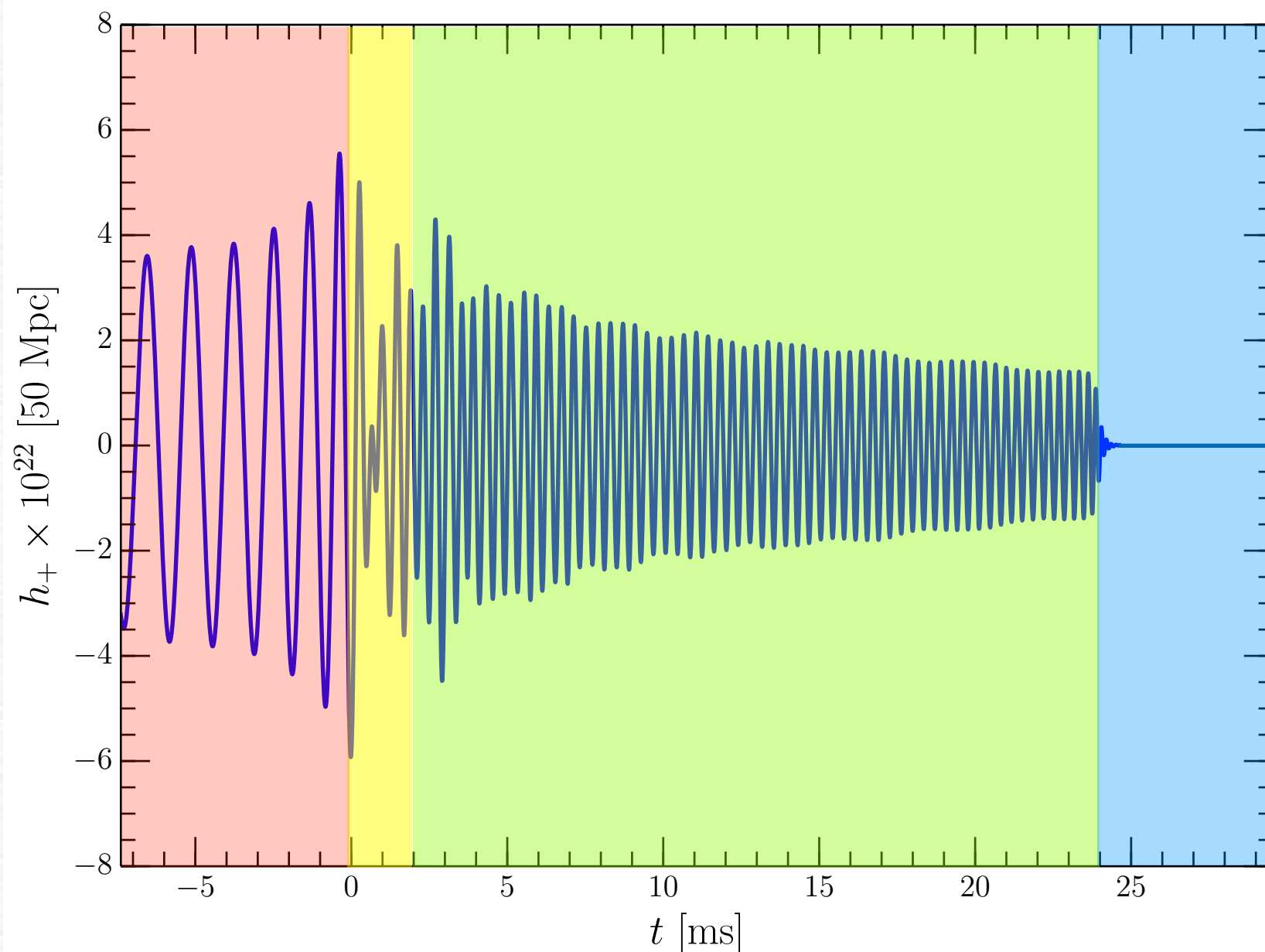
post-merger: quasi-periodic emission of bar-deformed HMNS

Anatomy of the GW signal

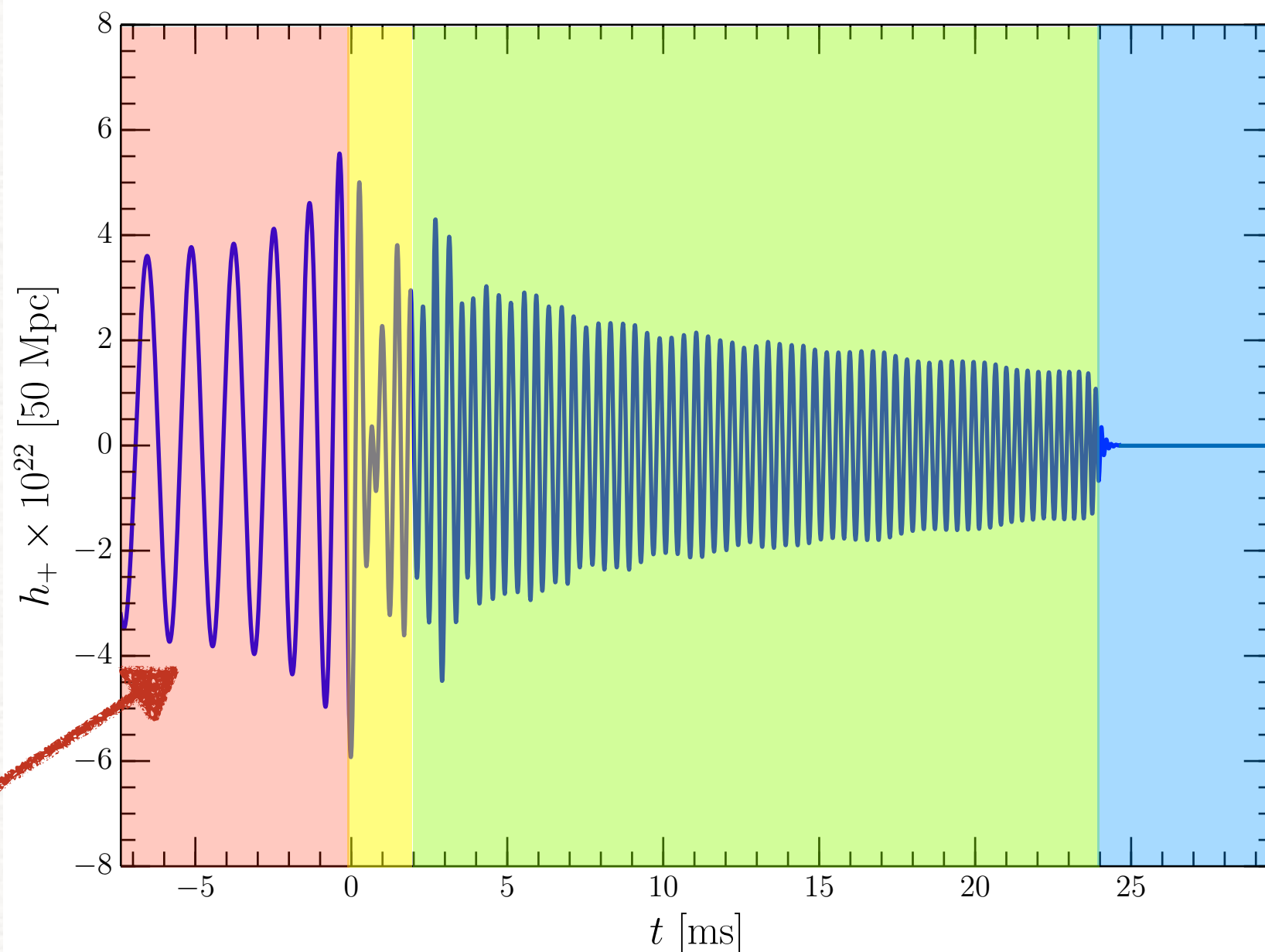


Collapse-ringdown: signal essentially shuts off.

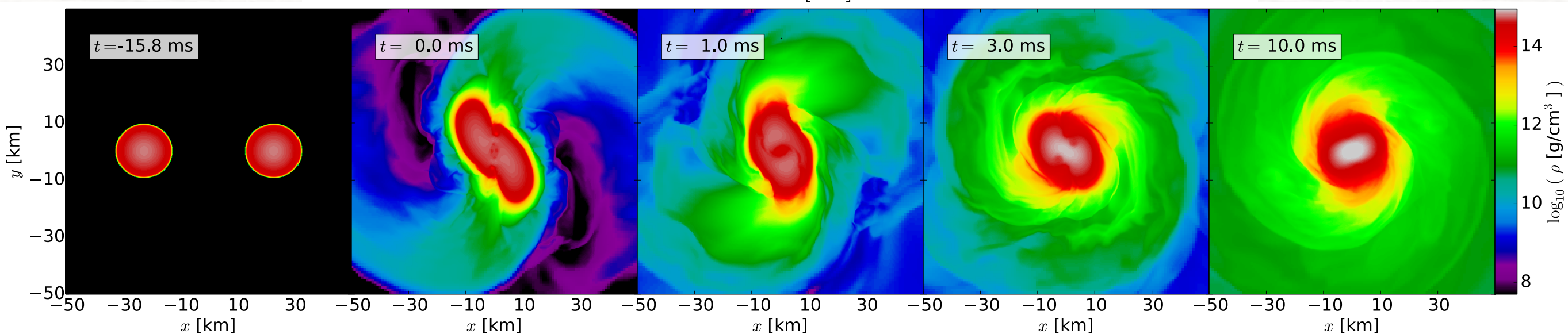
Anatomy of the GW signal



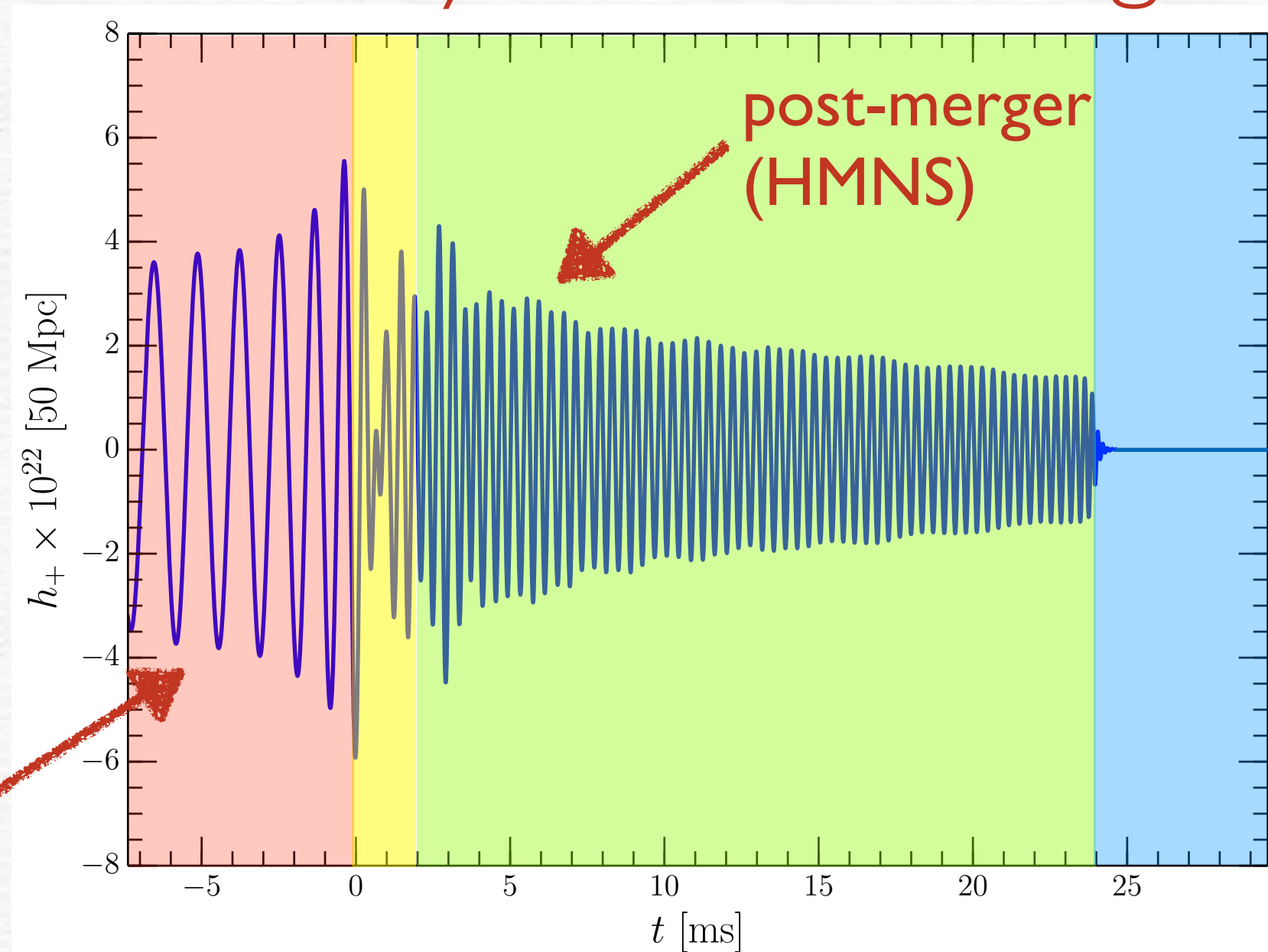
Anatomy of the GW signal



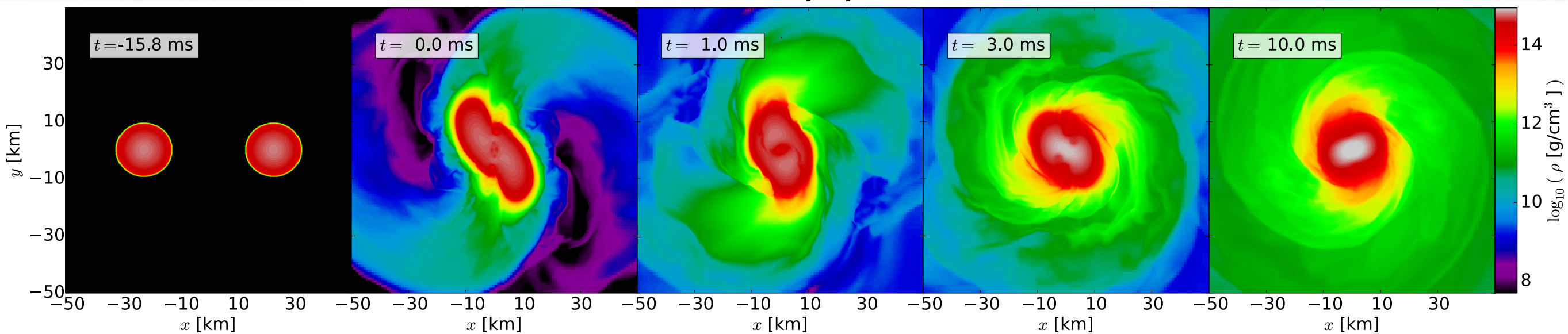
Chirp signal



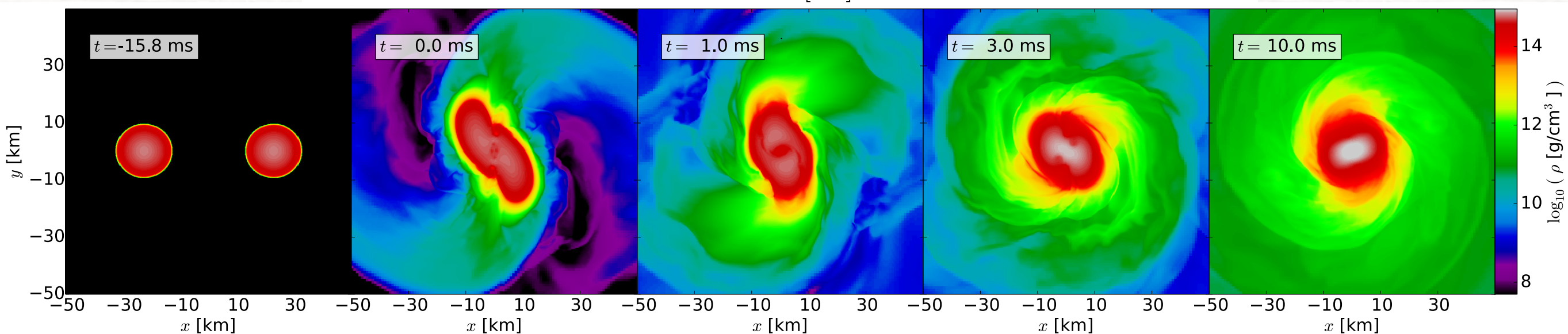
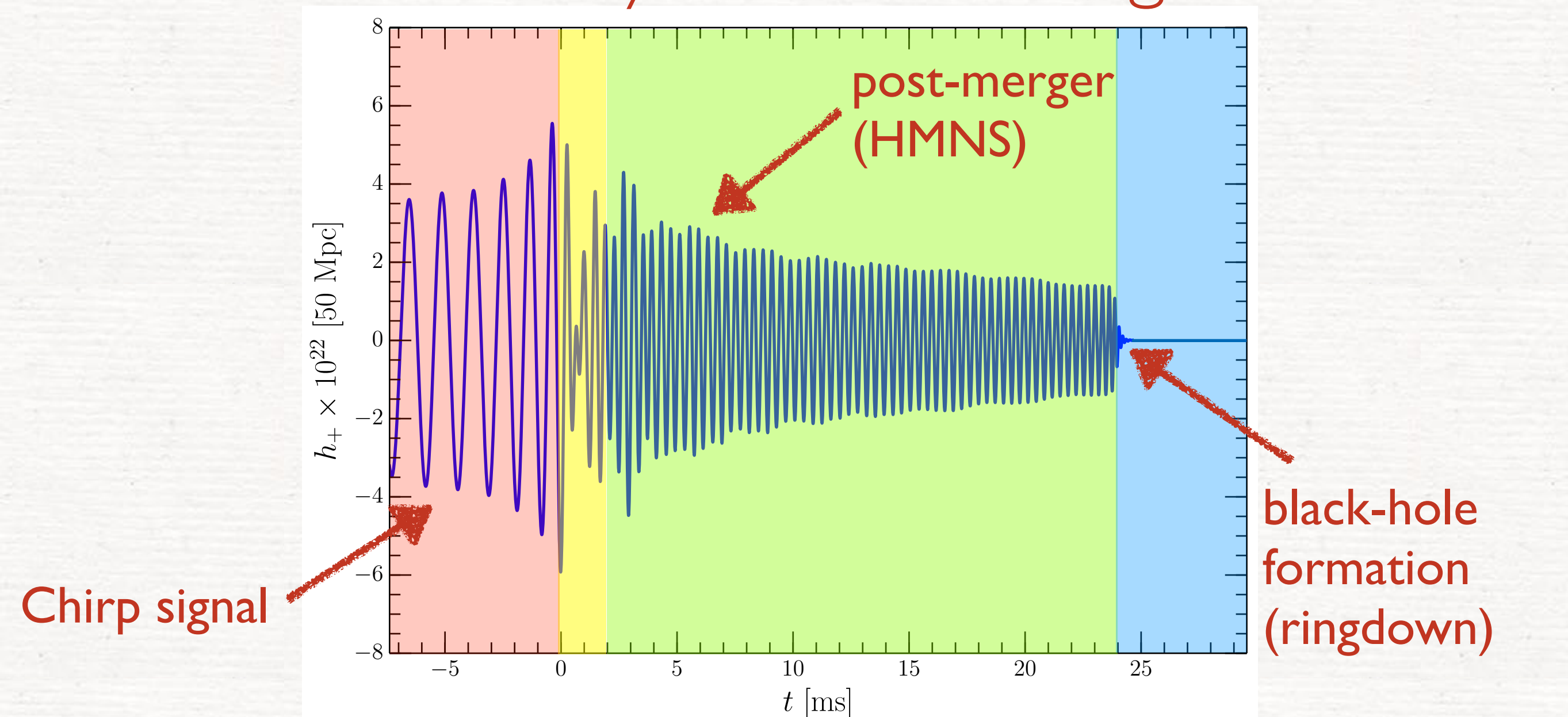
Anatomy of the GW signal



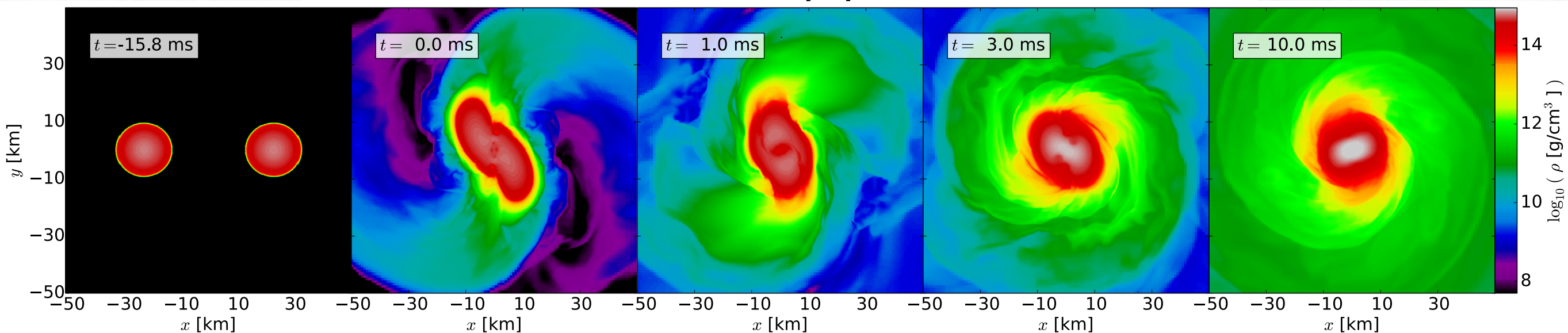
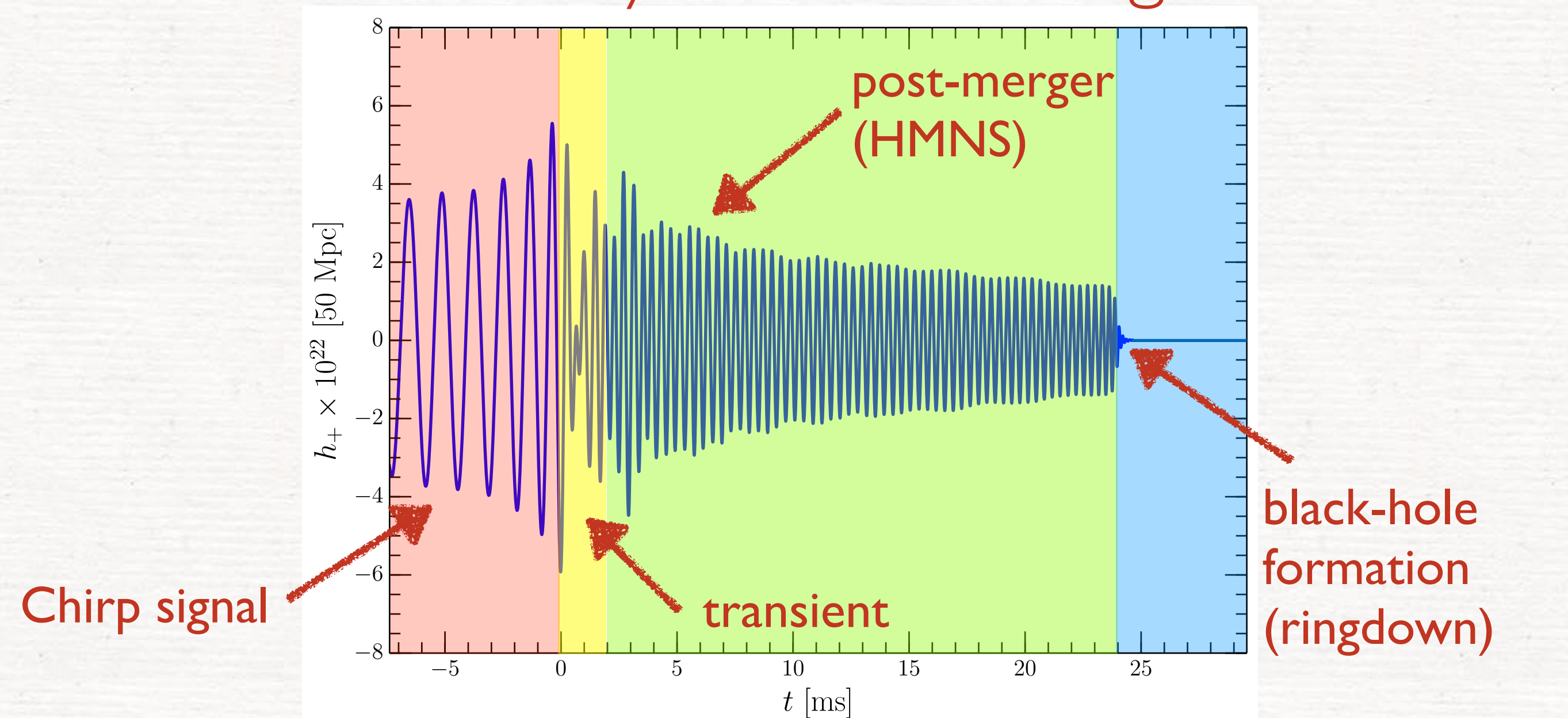
Chirp signal



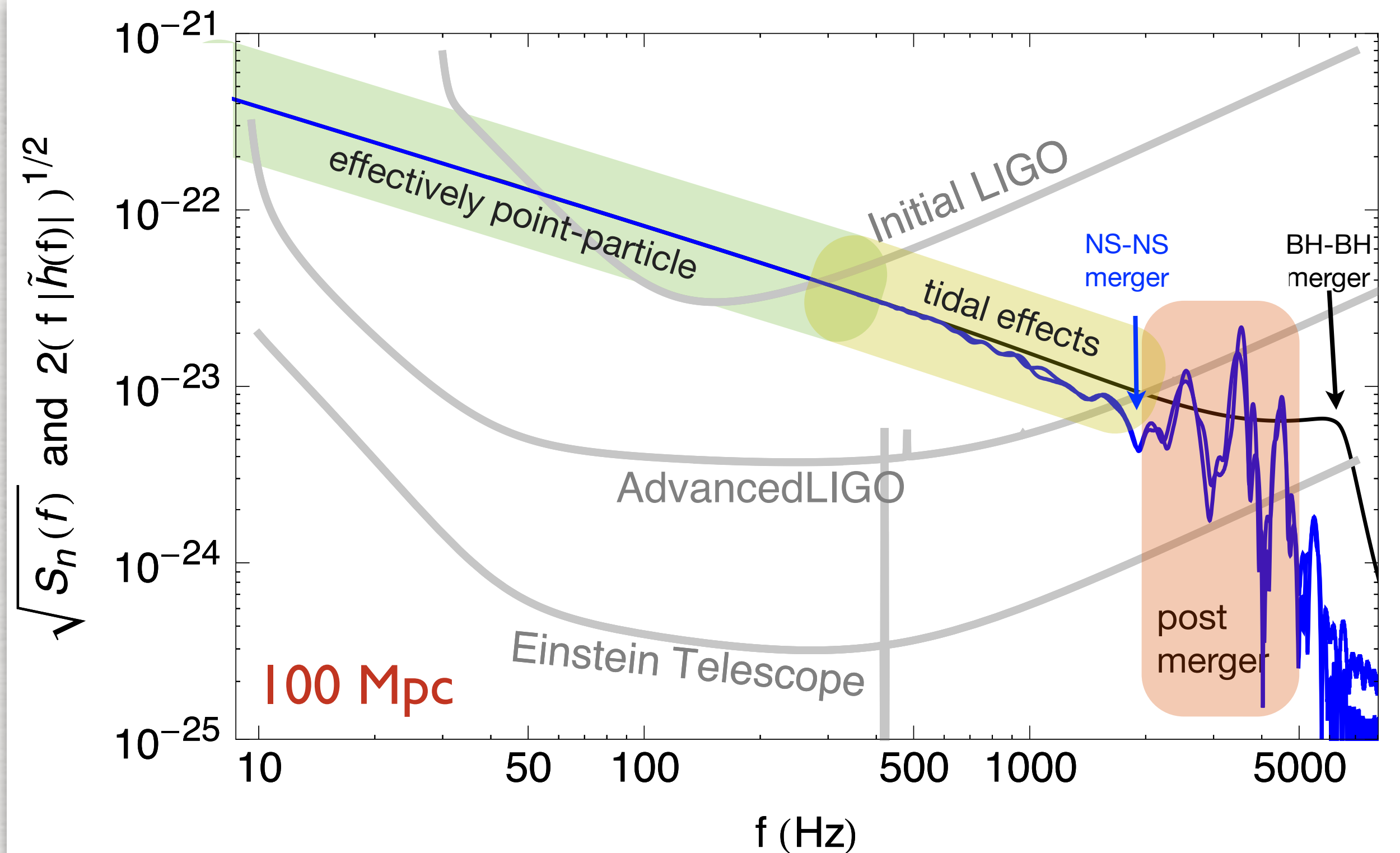
Anatomy of the GW signal



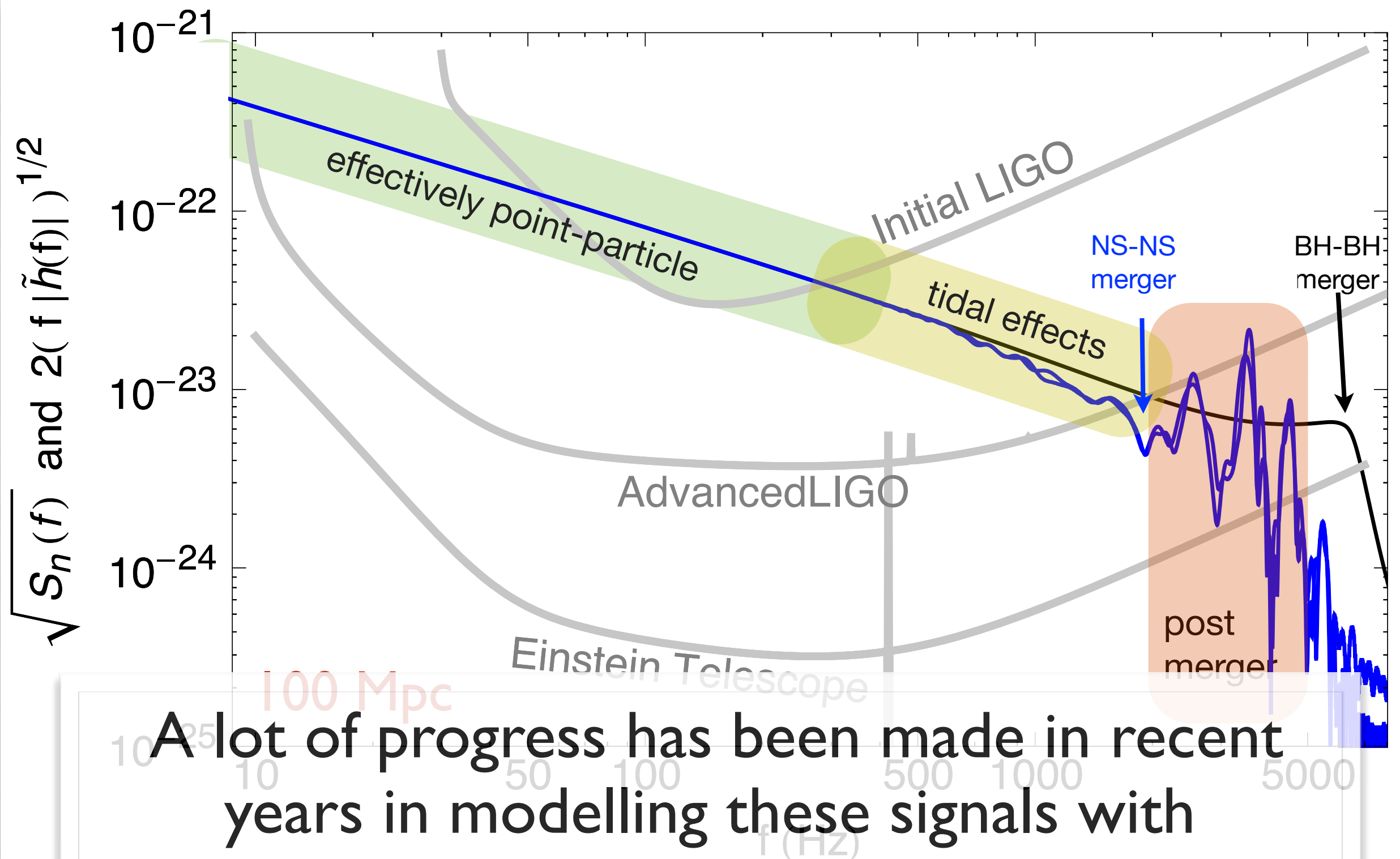
Anatomy of the GW signal



In frequency space



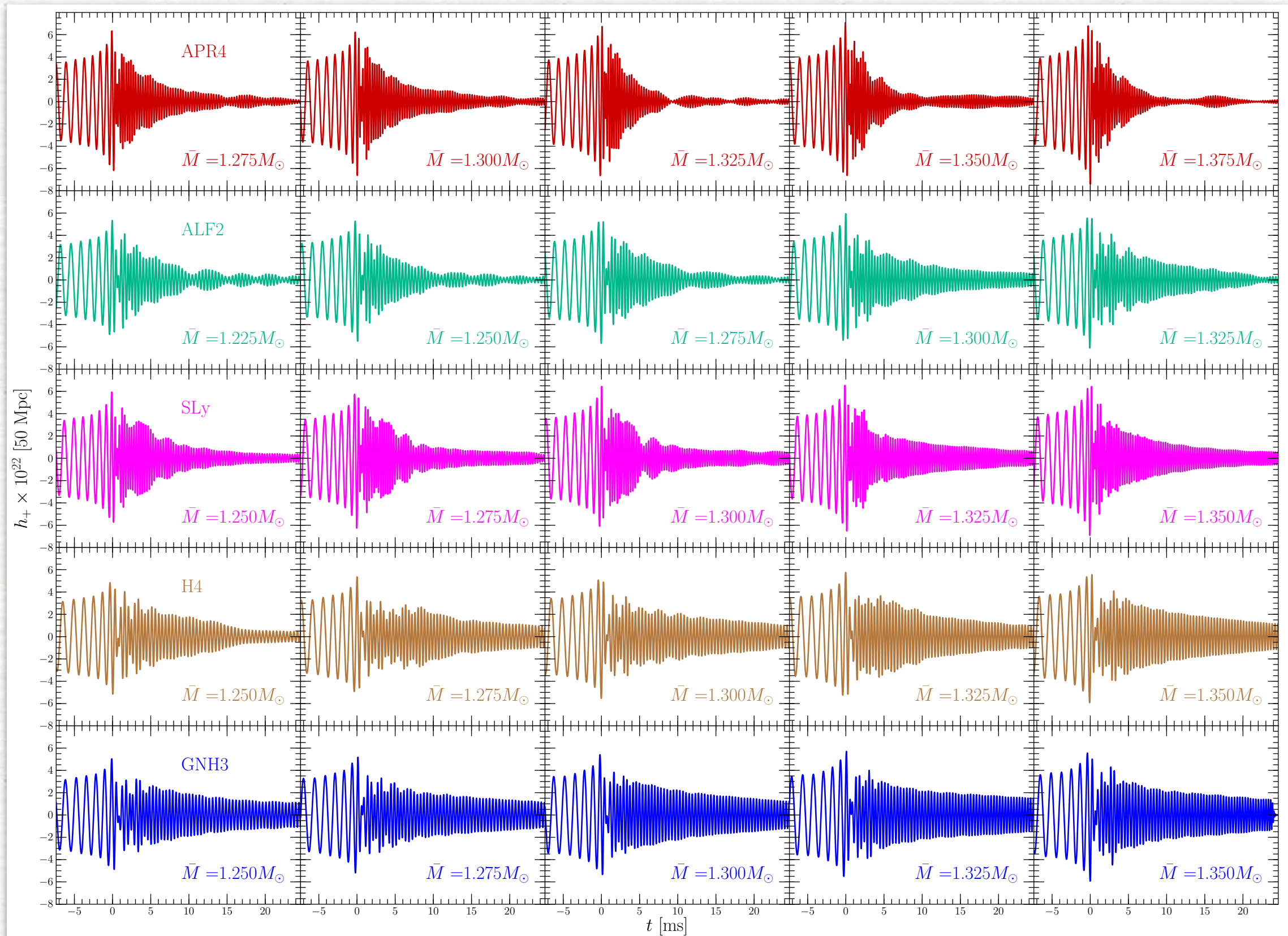
In frequency space



A lot of progress has been made in recent years in modelling these signals with numerical simulations of different binaries

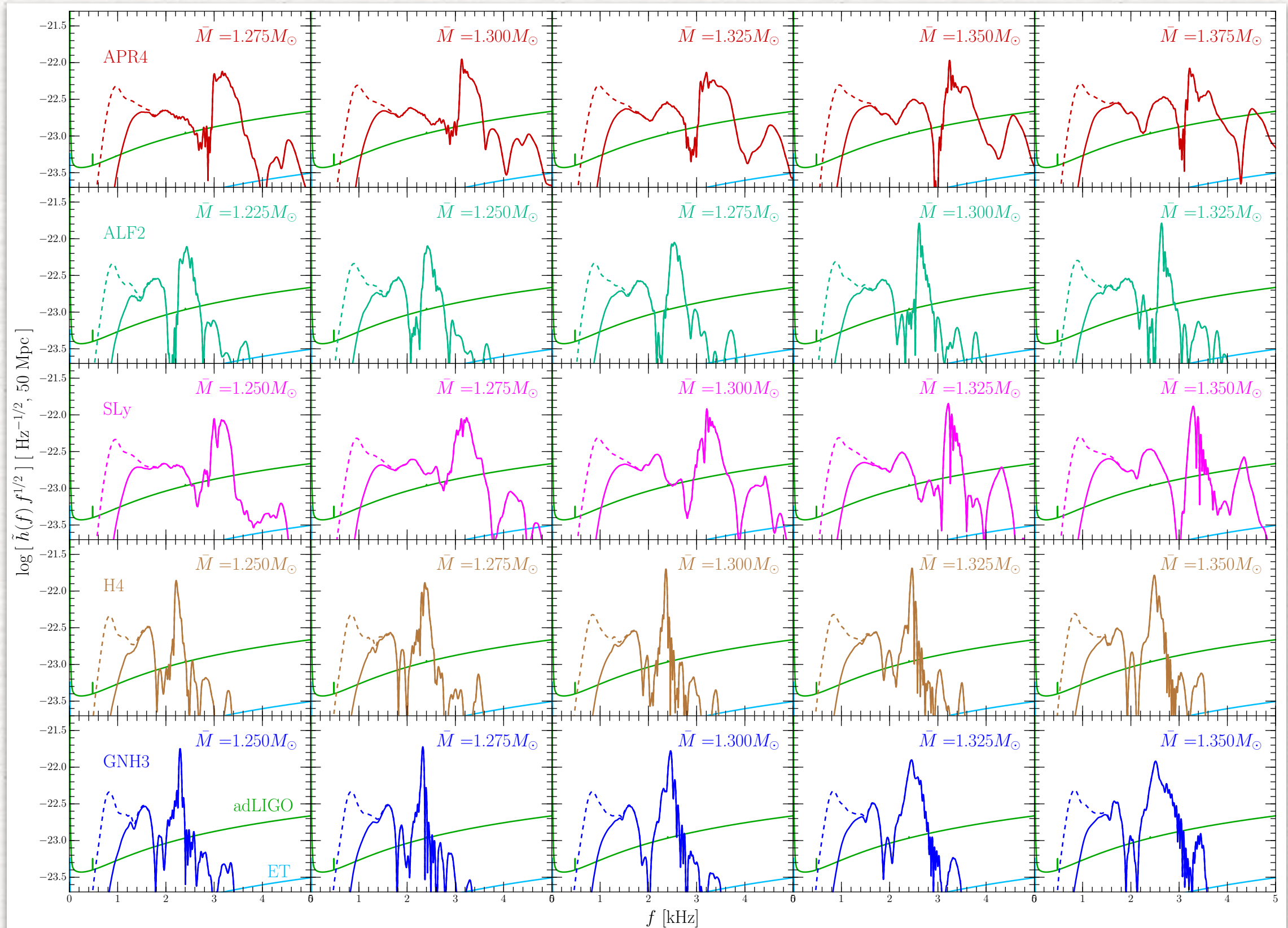
What we can do nowadays

Takami, LR, Baiotti (2014, 2015), LR+ (2016)



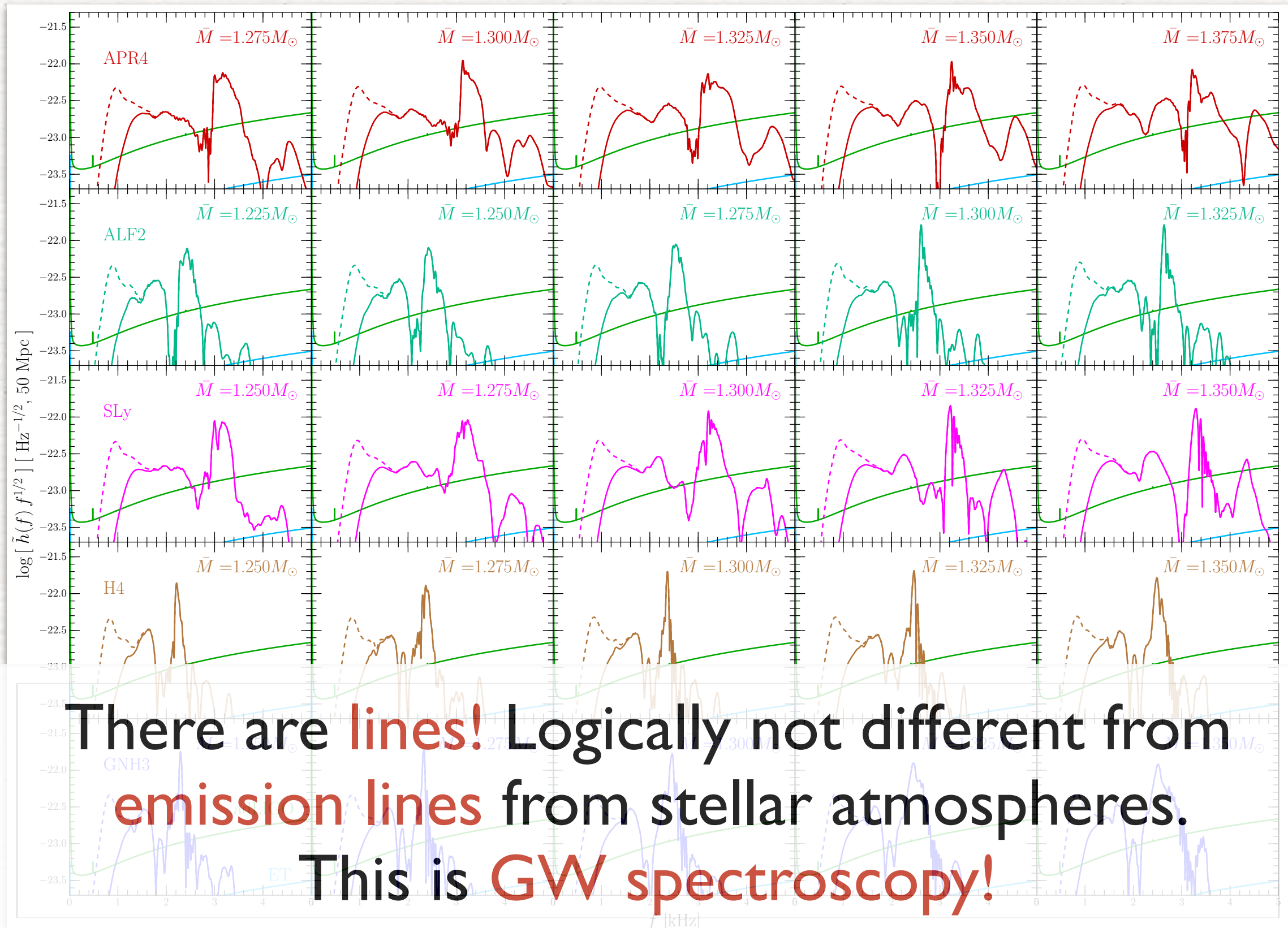
Extracting information from the EOS

Takami, LR, Baiotti (2014, 2015), LR+ (2016)



Extracting information from the EOS

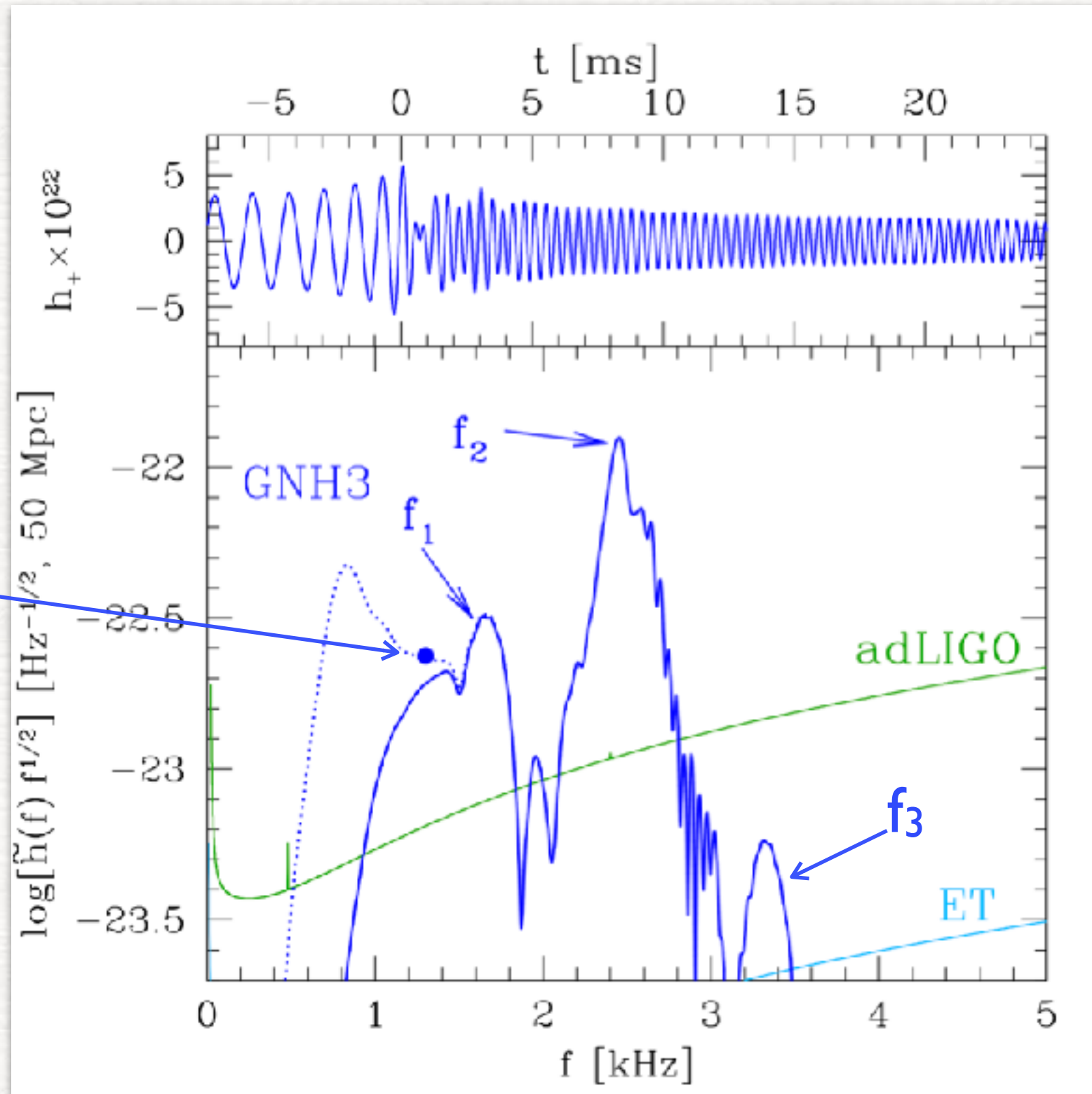
Takami, LR, Baiotti (2014, 2015), LR+ (2016)



A new approach to constrain the EOS

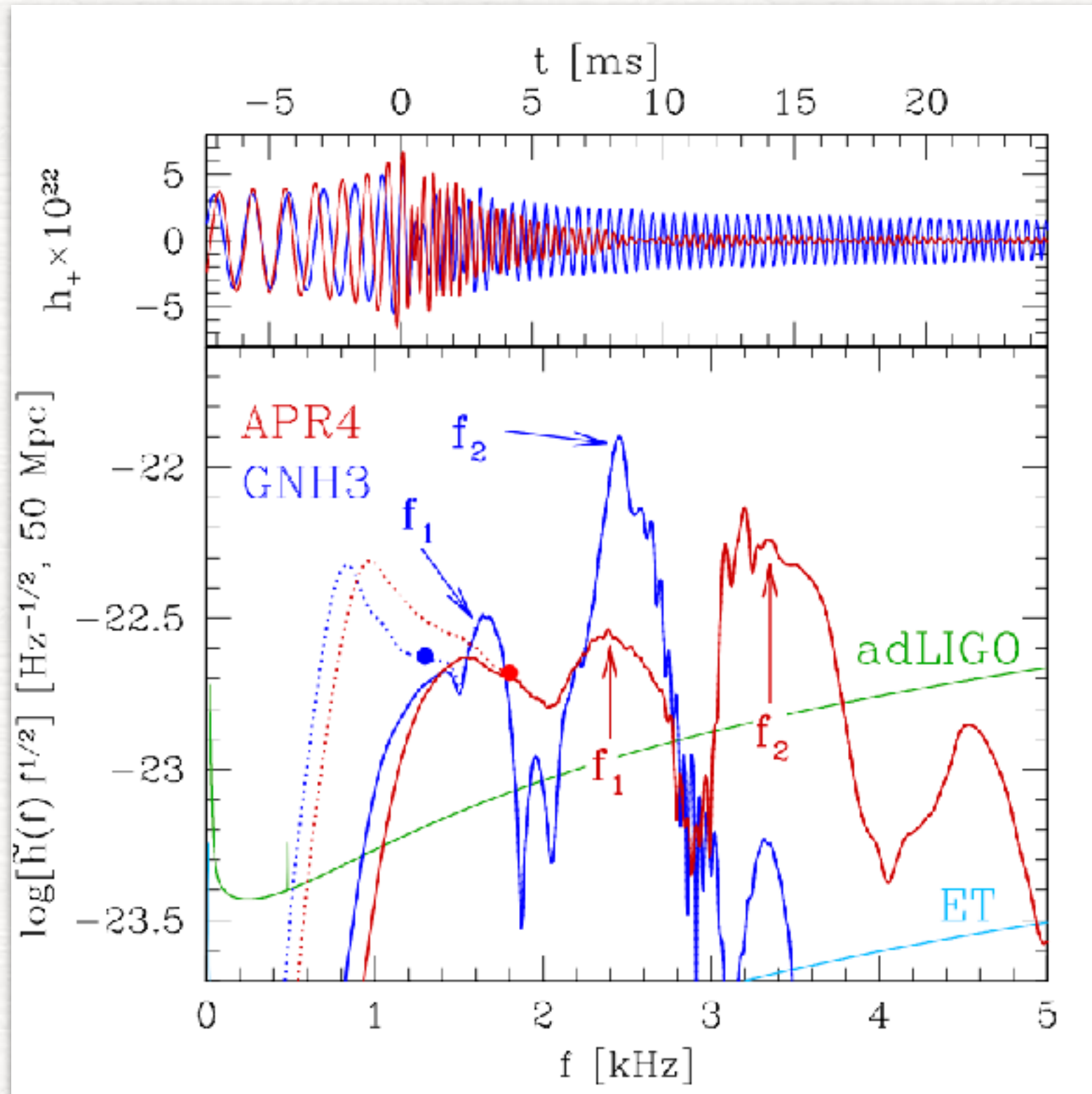
Oechslin+2007, Baiotti+2008, Bauswein+ 2011, 2012, Stergioulas+ 2011, Hotokezaka+ 2013, Takami 2014, 2015, Bernuzzi 2014, 2015, Bauswein+ 2015, Palenzuela+ 15, Lehner+ 2016, LR+2016...

merger
frequency
 f_{max}



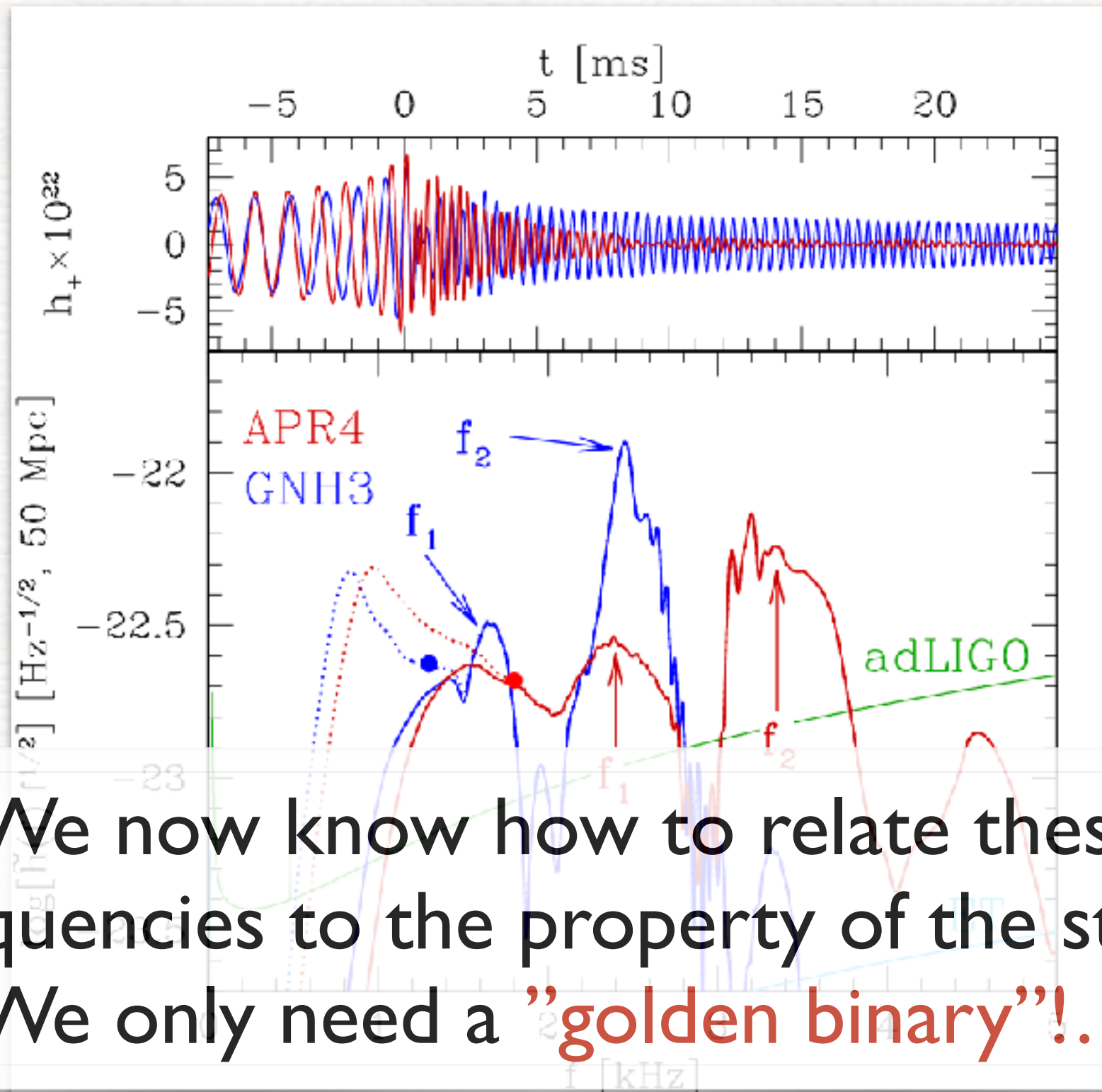
A new approach to constrain the EOS

Oechslin+2007, Baiotti+2008, Bauswein+ 2011, 2012, Stergioulas+ 2011, Hotokezaka+ 2013, Takami 2014, 2015, Bernuzzi 2014, 2015, Bauswein+ 2015, Palenzuela+ 15, Lehner+ 2016, LR+2016...



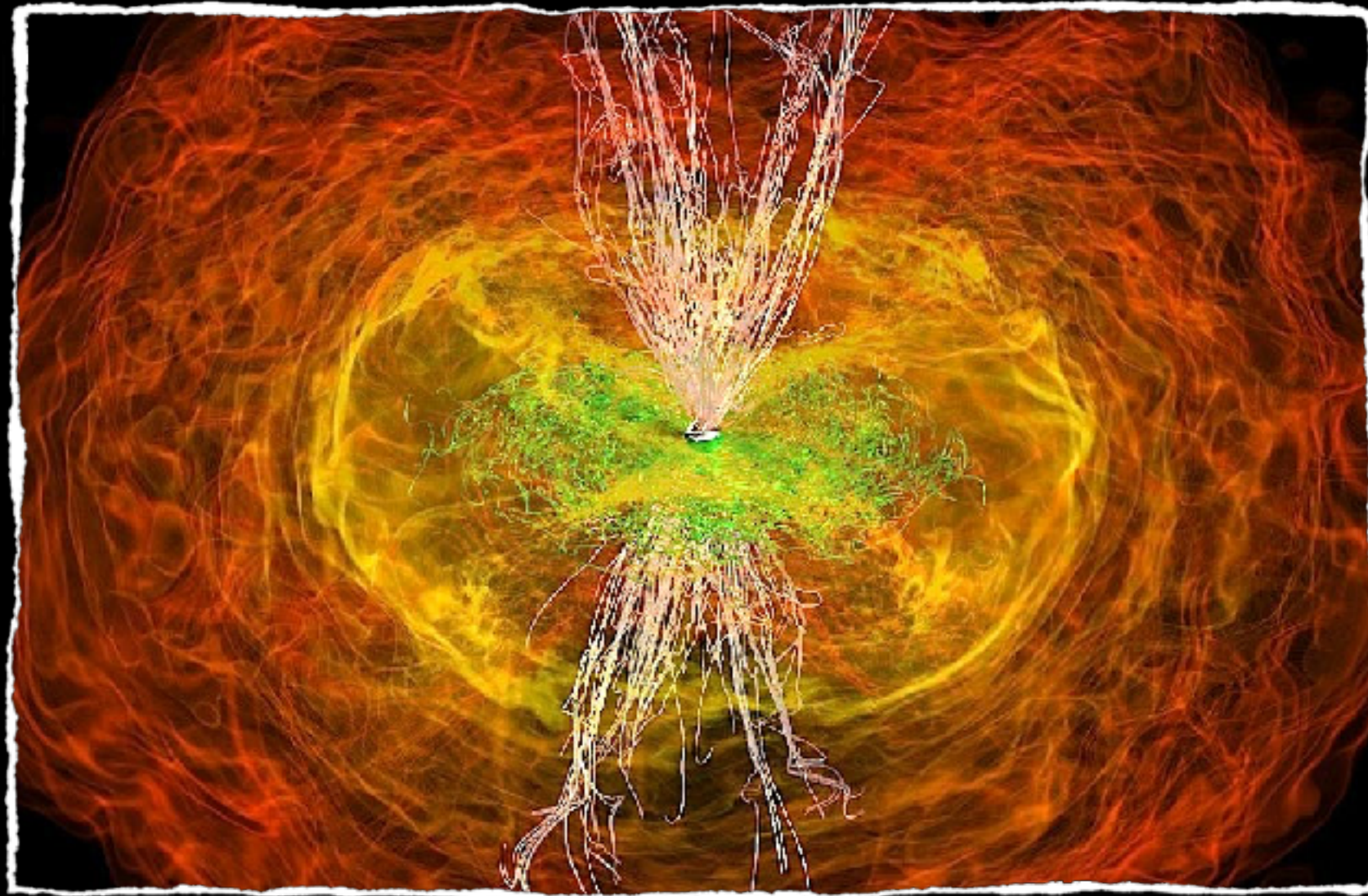
A new approach to constrain the EOS

Oechslin+2007, Baiotti+2008, Bauswein+ 2011, 2012, Stergioulas+ 2011, Hotokezaka+ 2013, Takami 2014, 2015, Bernuzzi 2014, 2015, Bauswein+ 2015, Palenzuela+ 15, Lehner+ 2016, LR+2016...



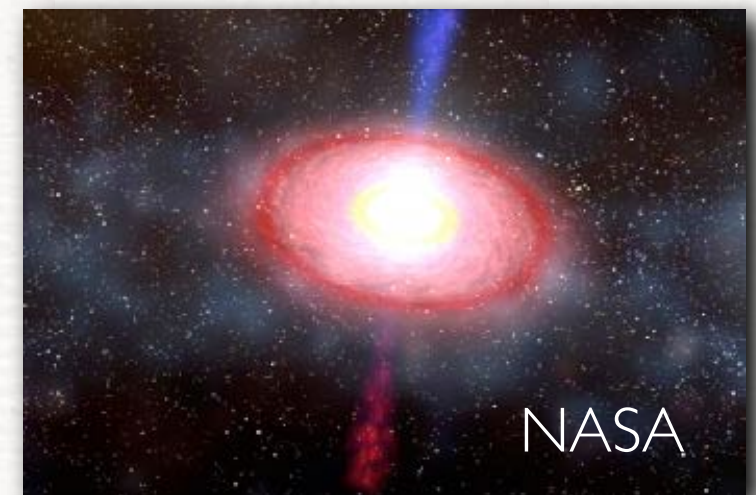
We now know how to relate these frequencies to the property of the stars!
We only need a "golden binary"!!!!

Electromagnetic counterparts



Electromagnetic counterparts

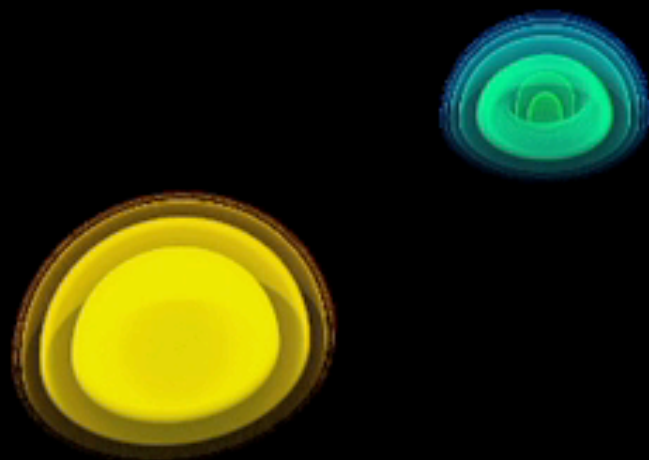
- Already in the 70's, astronomers realised that very rapid flashes of gamma rays are observed regularly by satellites
- These flashes come from most remote corners and have enormous energies of 10^{50-53} erg: **gamma-ray bursts**.
- There are two families of bursts: “**long**” and “**short**”
- The first ones last **tens** or more of **seconds** and seem to be due to the collapse of very massive stars.
- The second ones last **less** than a **second**.
- Merging neutron stars always though to be most reasonable explanation but how do you produce a **jet**?



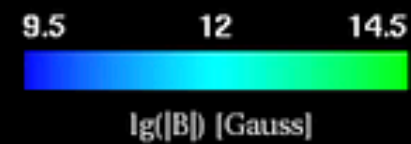
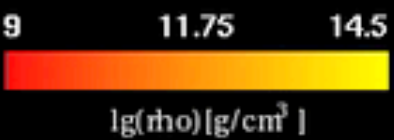
What happens when magnetised stars collide?

What happens when magnetised stars collide?

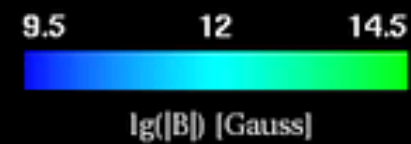
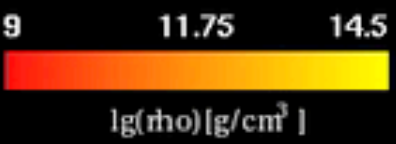
Need to solve equations of
magnetohydrodynamics in addition to the
Einstein equations



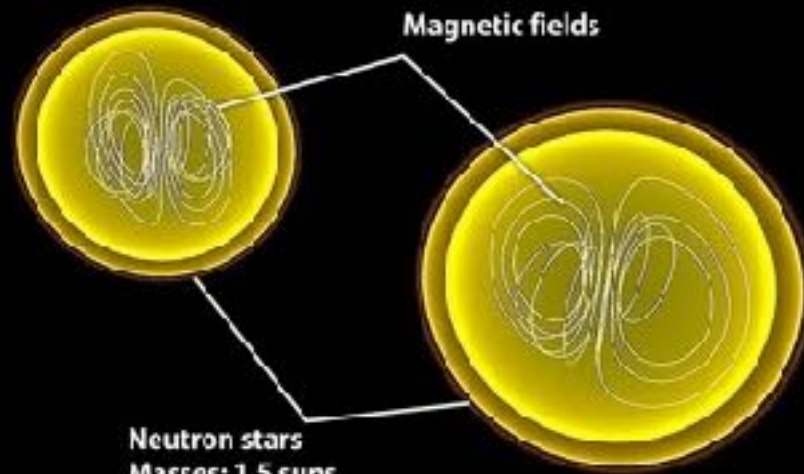
$$M = 1.5 M_{\odot}, B_0 = 10^{12} \text{ G}$$



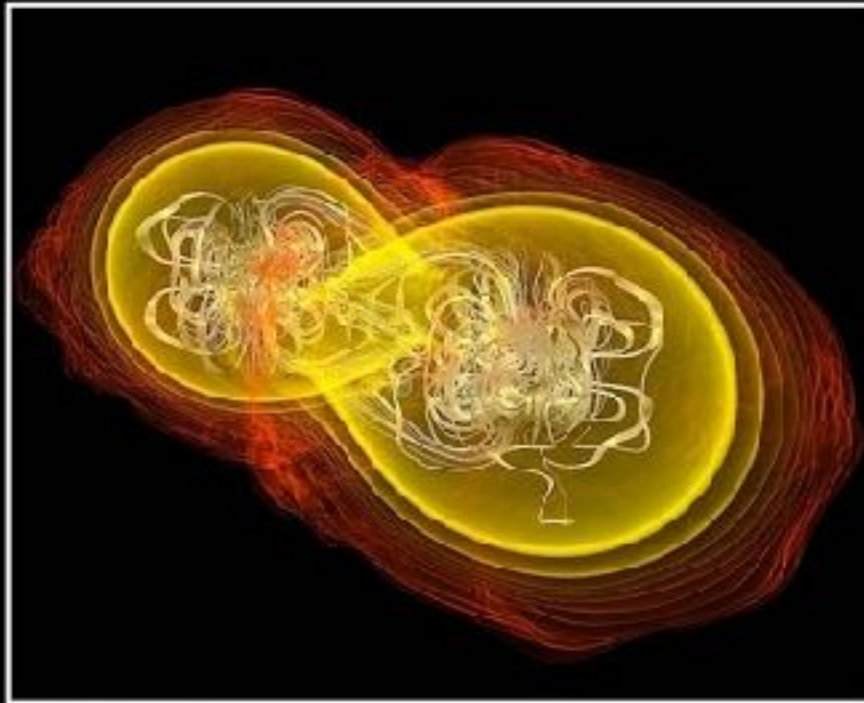
Animations:, LR, Koppitz



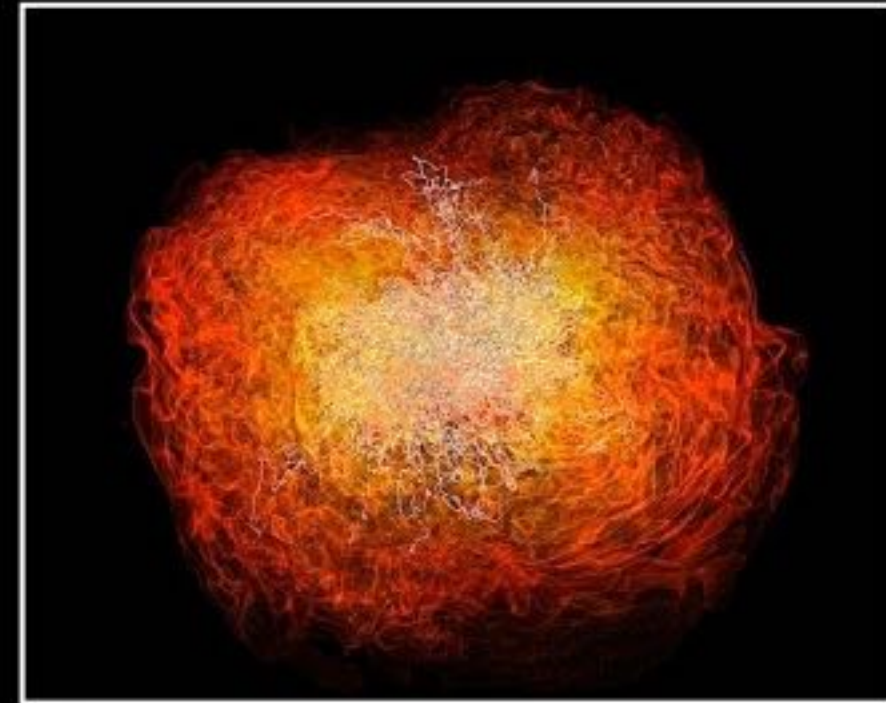
What happens when magnetised stars collide?



Simulation begins

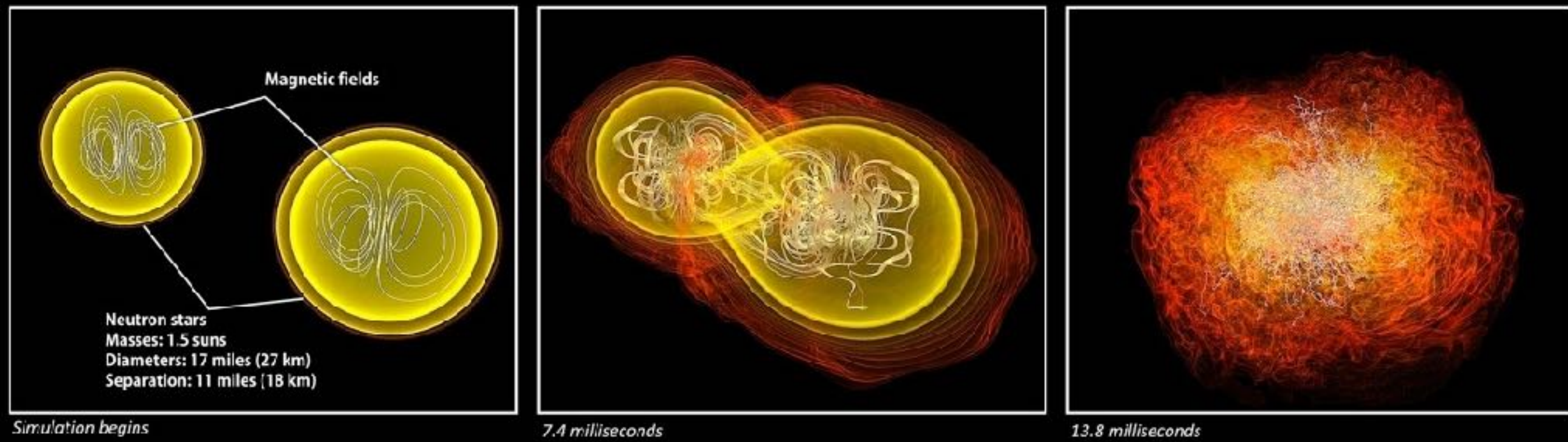


7.4 milliseconds

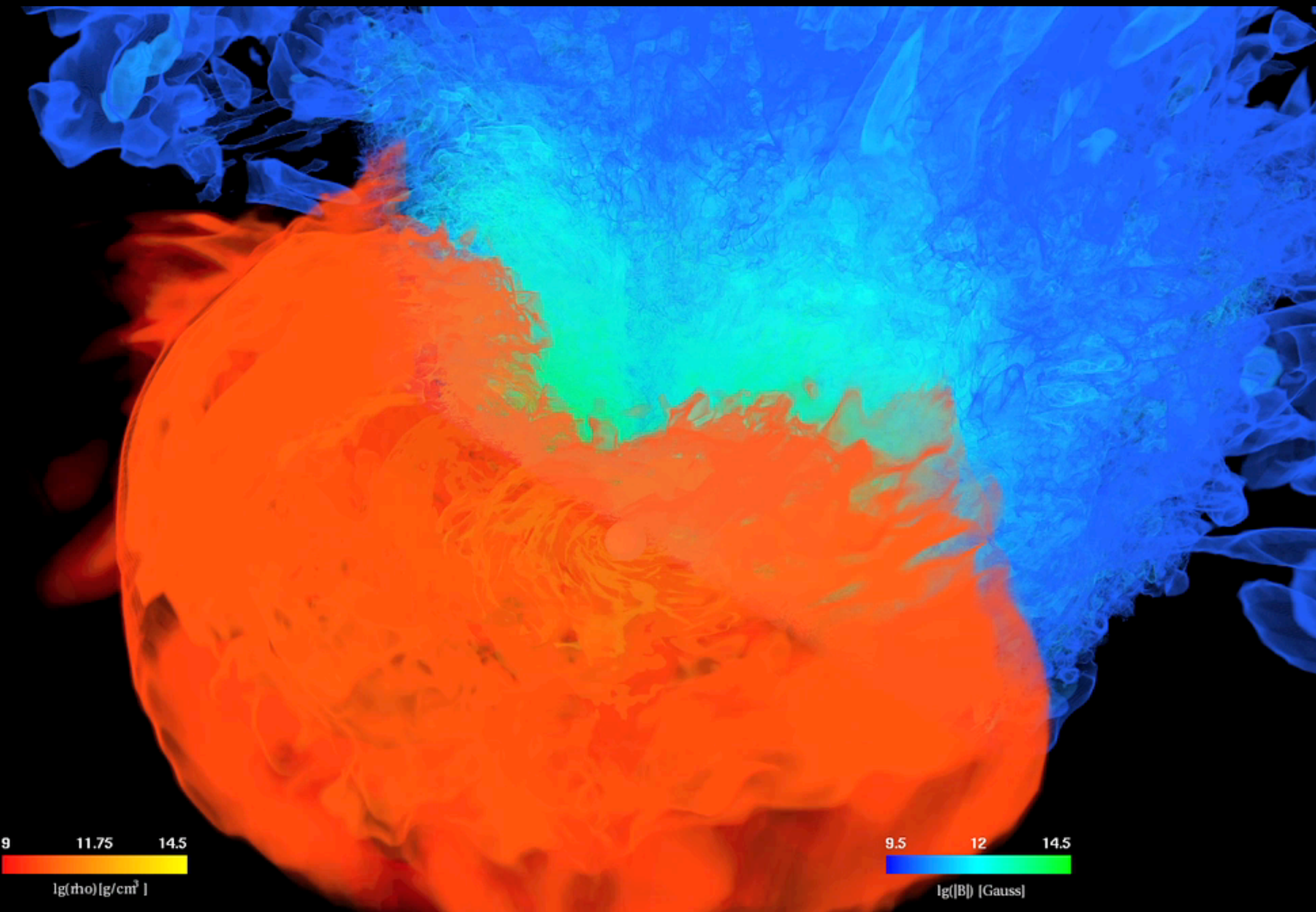


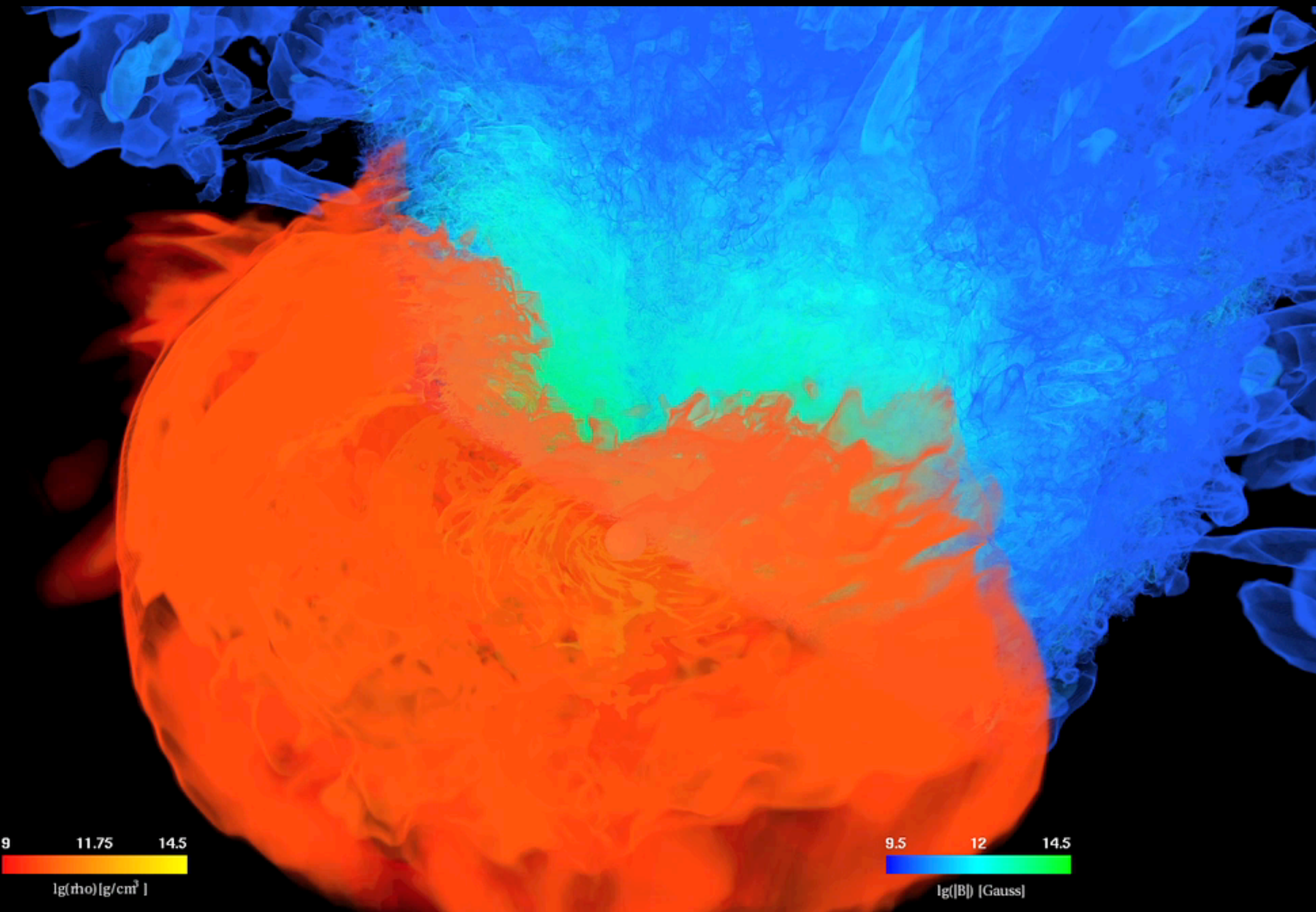
13.8 milliseconds

What happens when magnetised stars collide?

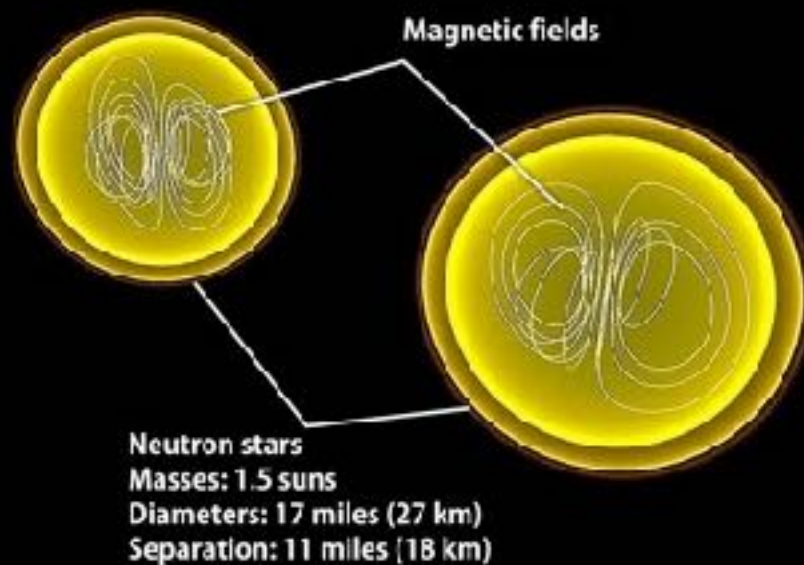


Magnetic fields in the HMNS have complex topology: dipolar fields are destroyed.

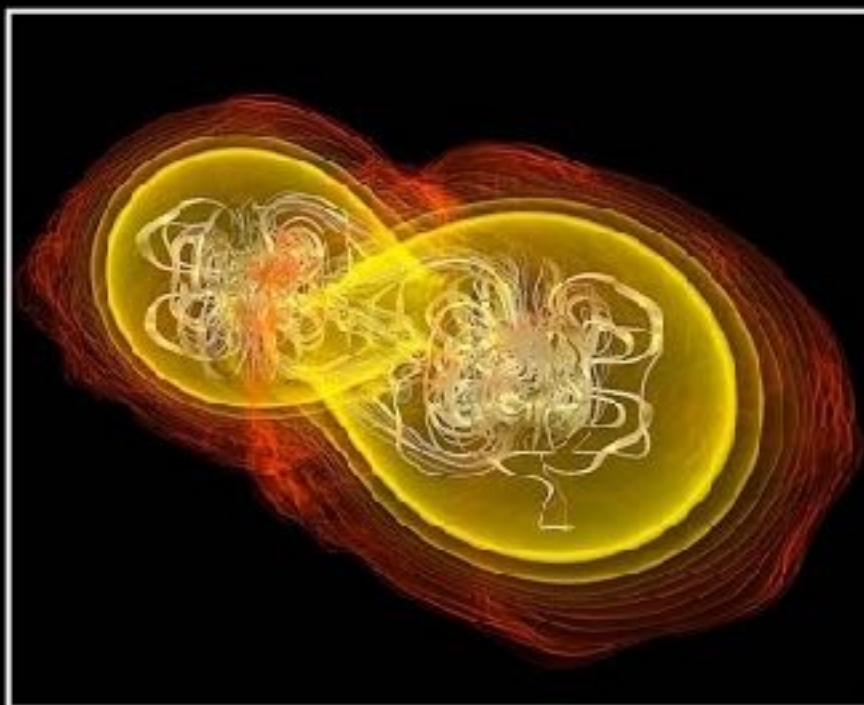




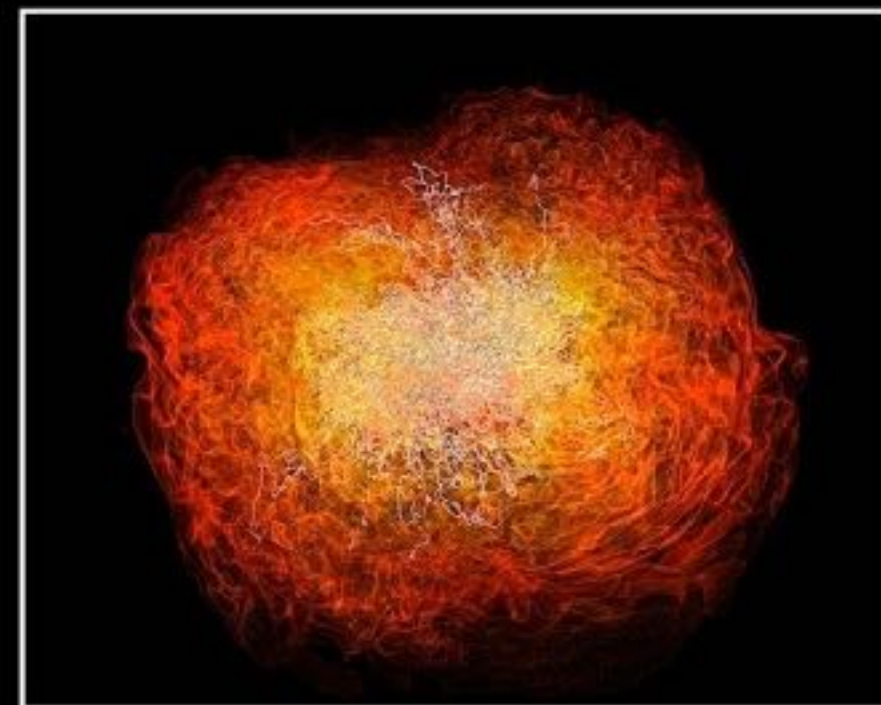
LR+ 2011



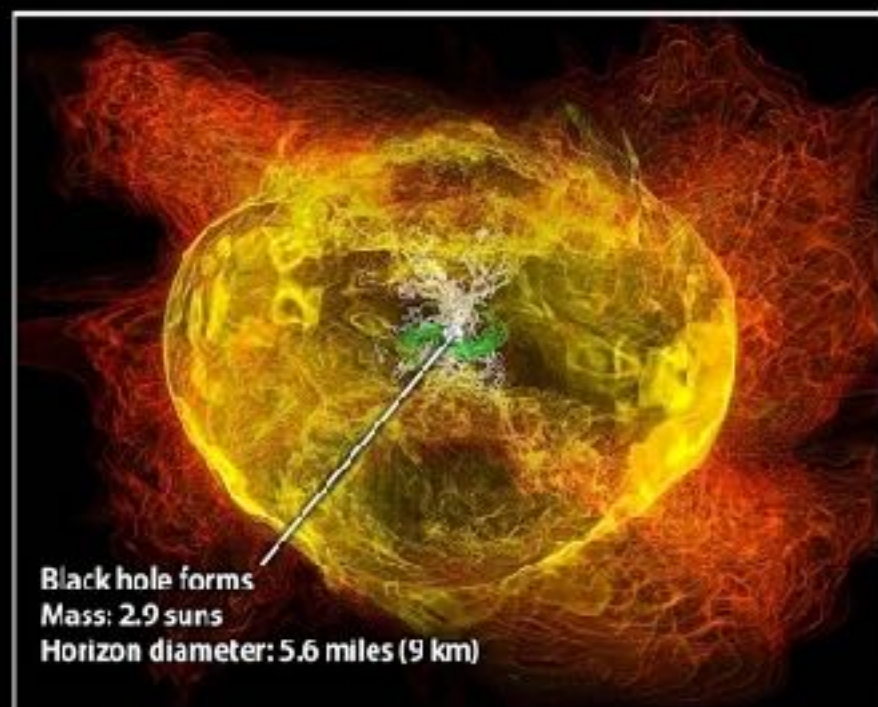
Simulation begins



7.4 milliseconds



13.8 milliseconds



15.3 milliseconds



21.2 milliseconds



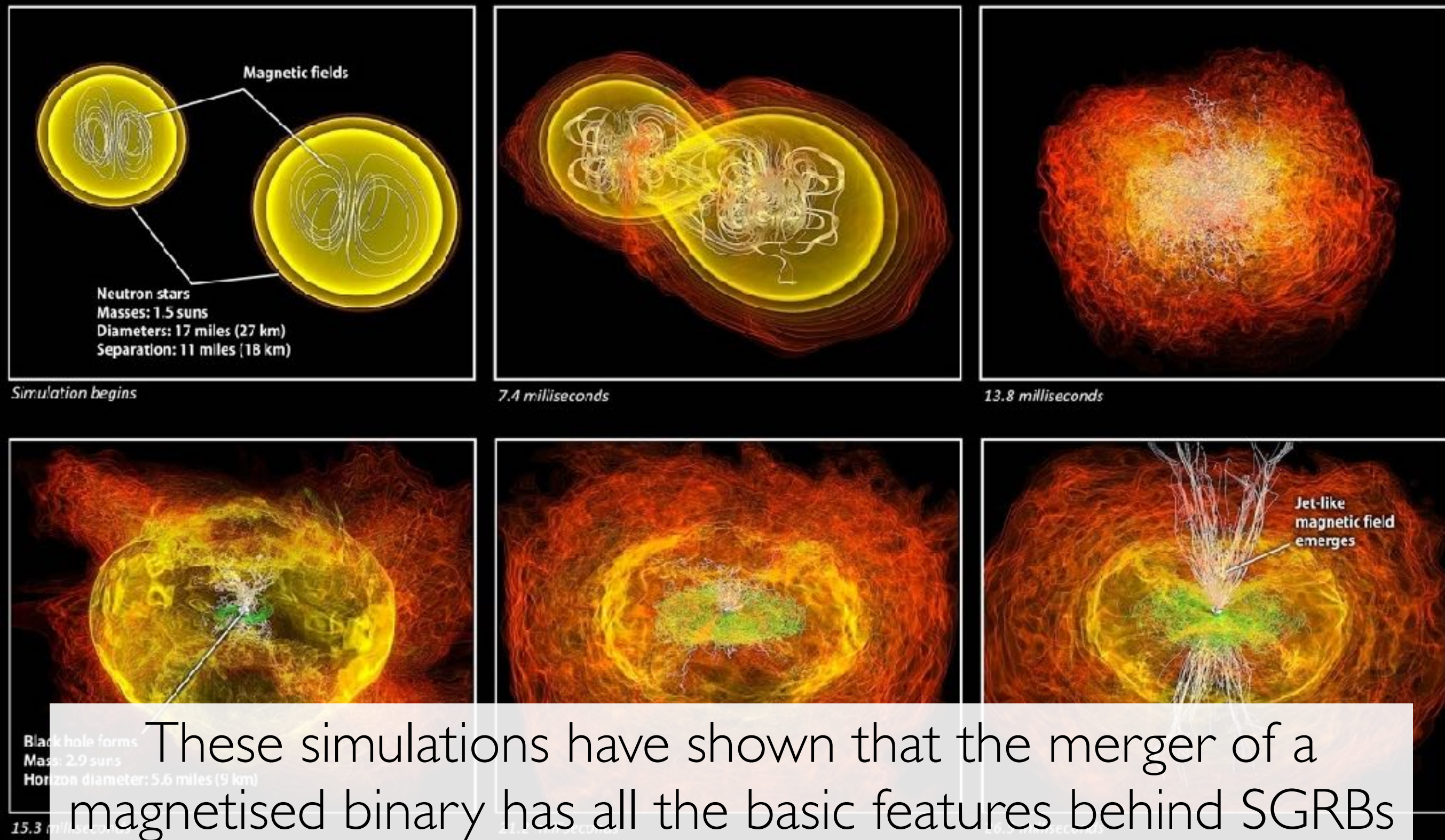
26.5 milliseconds

Credit: NASA/AEI/ZIB/M. Koppitz and L. Rezzolla

$$J/M^2 = 0.83$$

$$M_{\text{tor}} = 0.063 M_{\odot}$$

$$t_{\text{accr}} \simeq M_{\text{tor}} / \dot{M} \simeq 0.3 \text{ s}$$

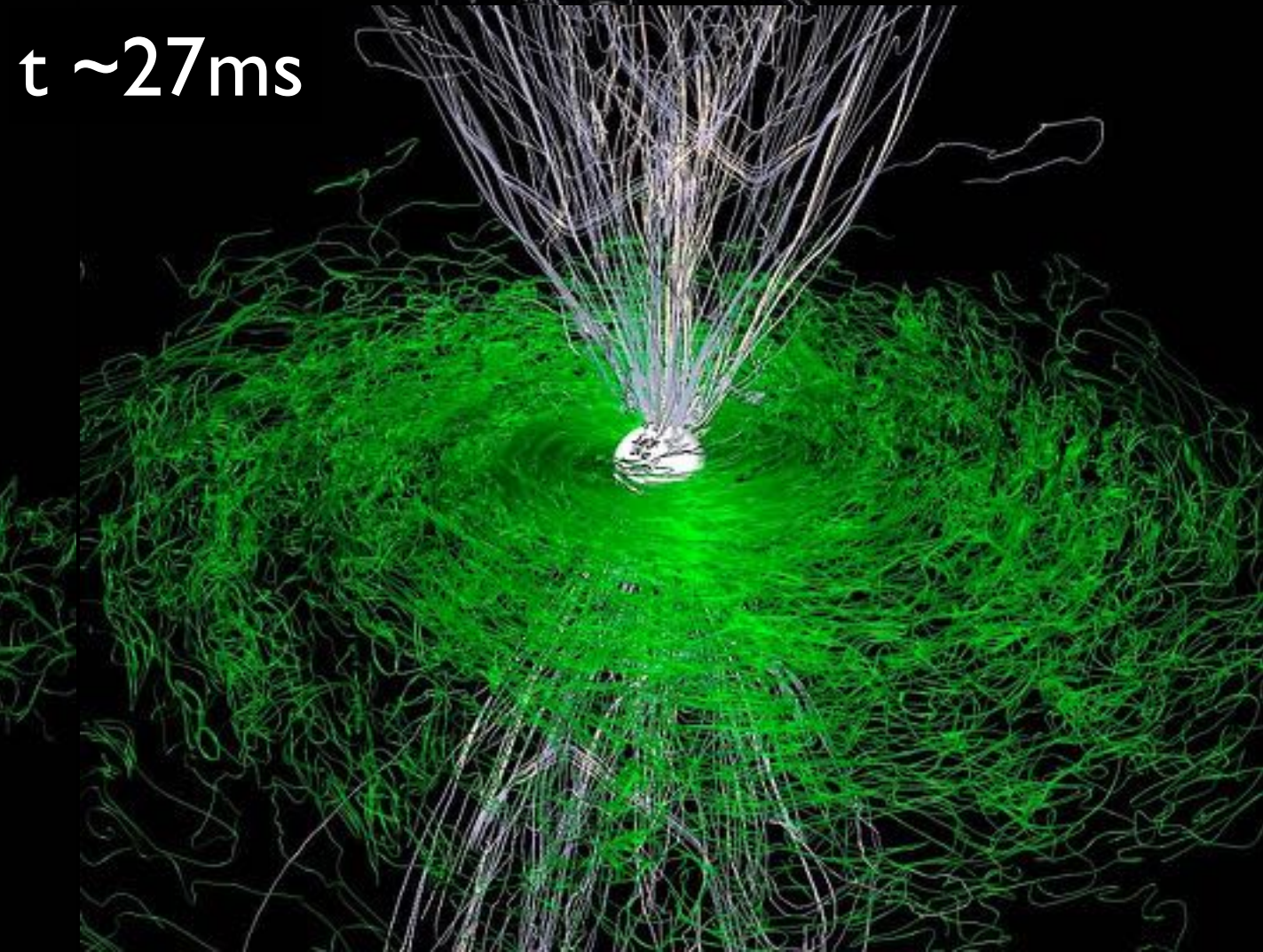
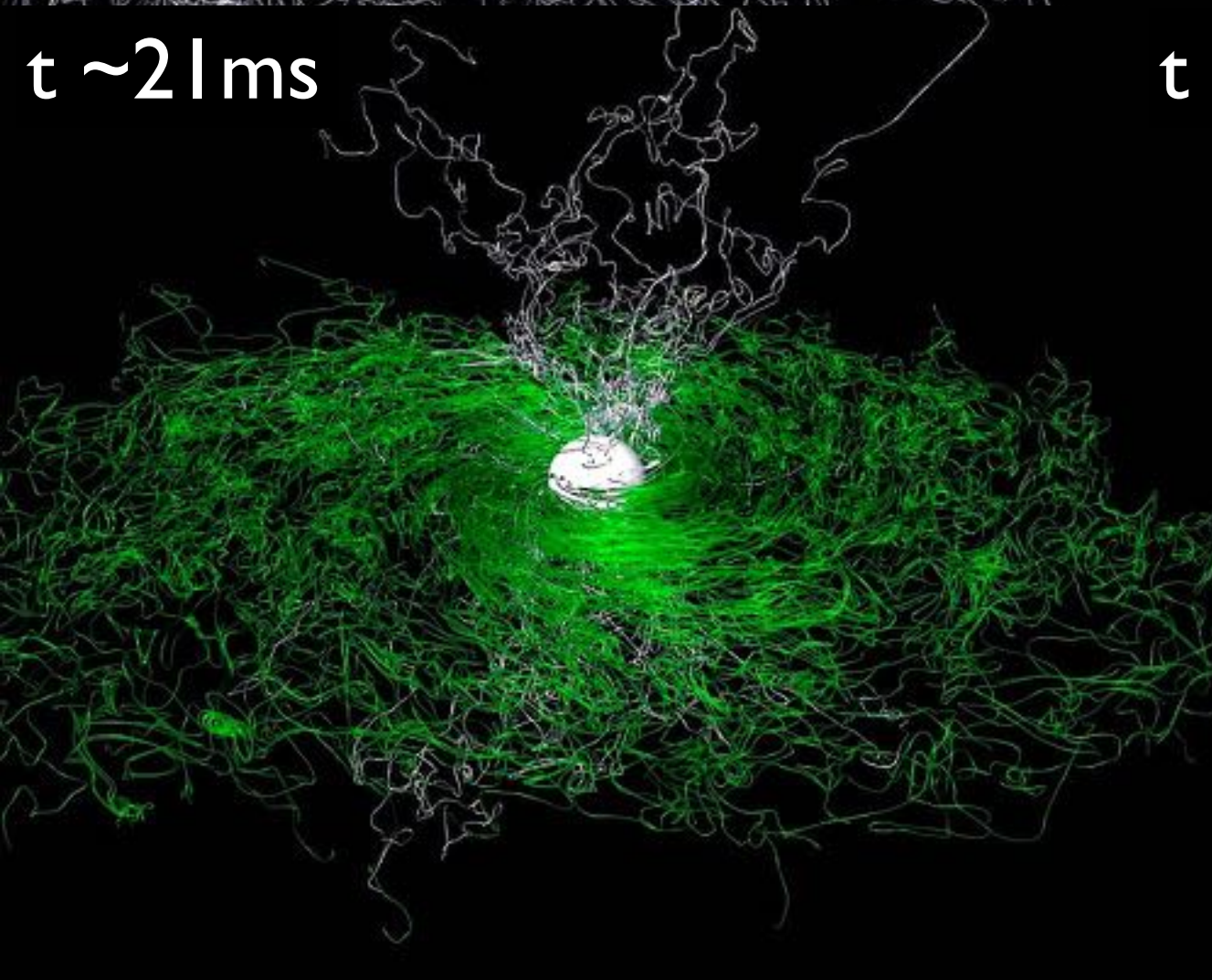
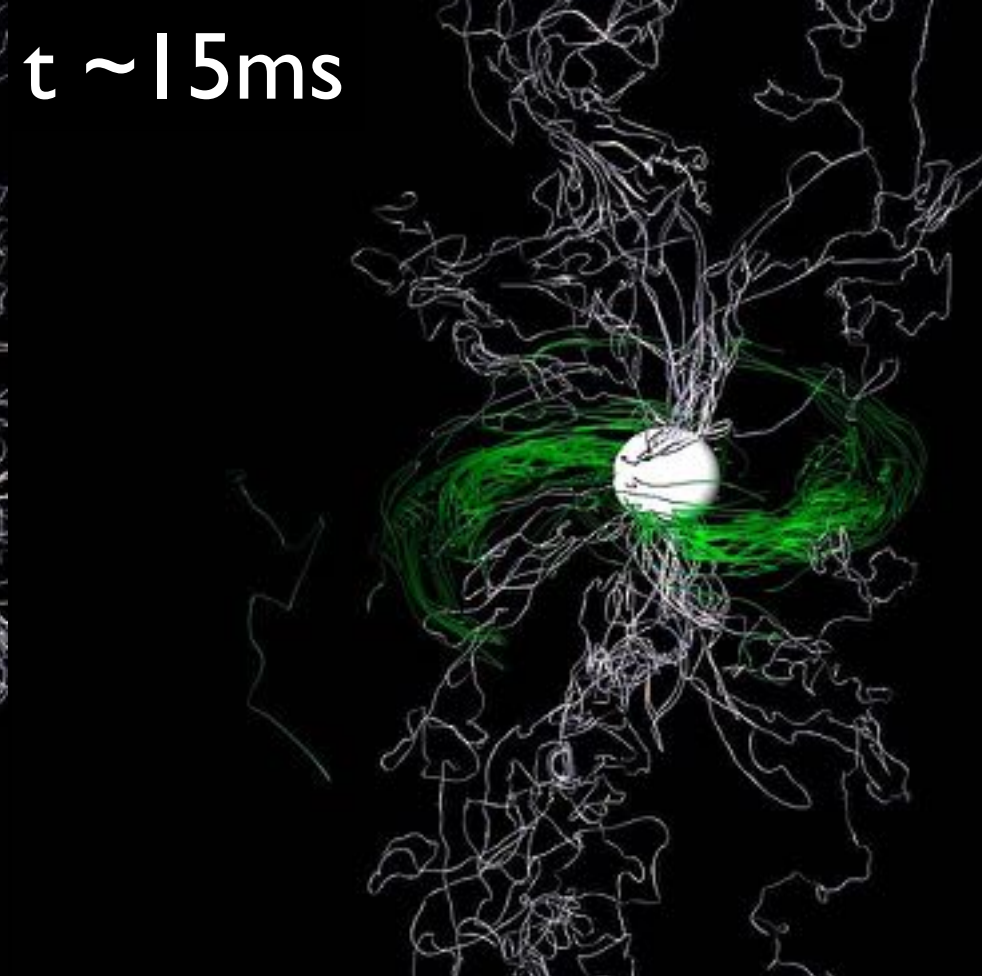
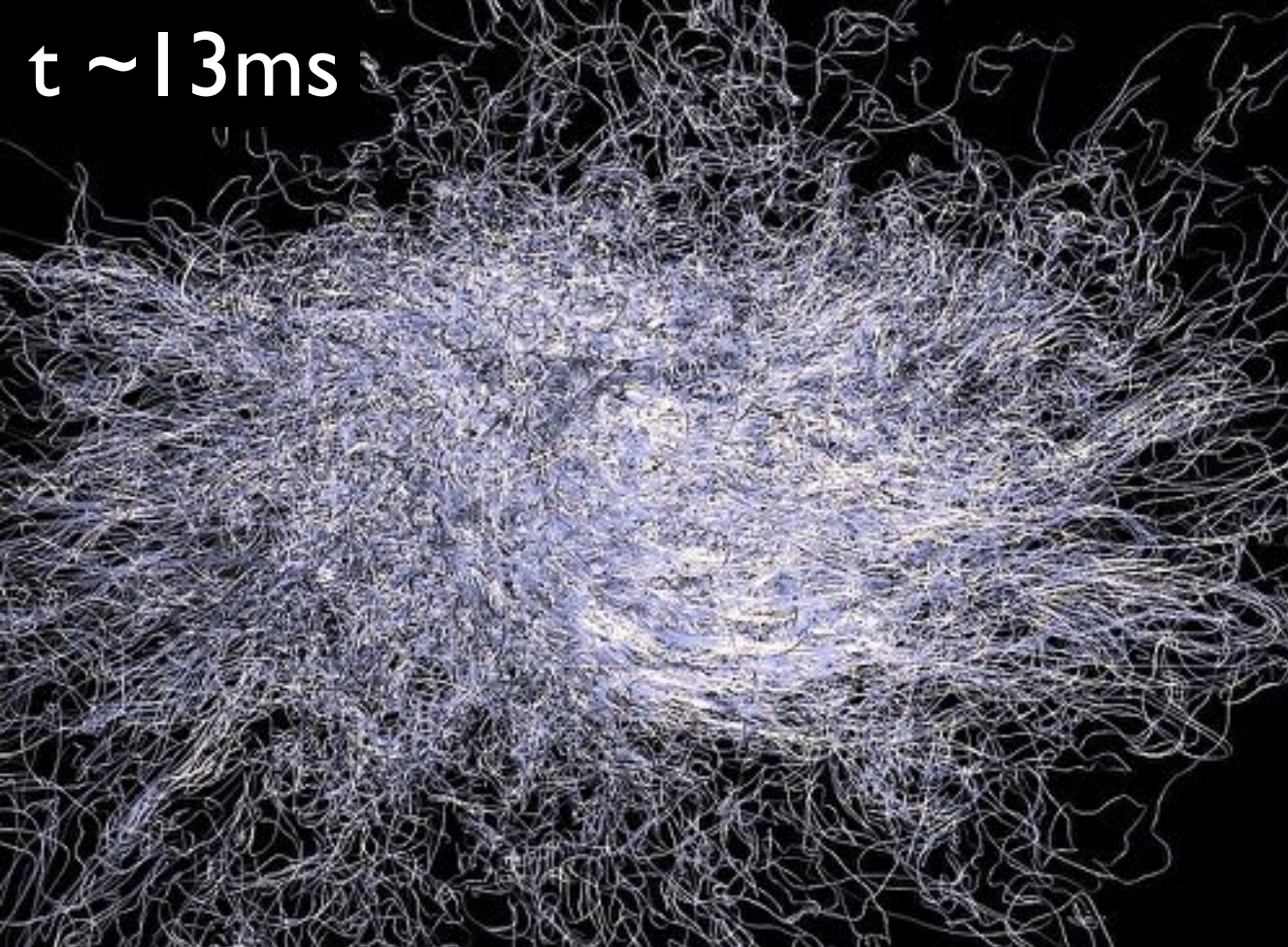


Credit: NASA/AEI/ZIB/M. Köpitz and L. Rezzolla

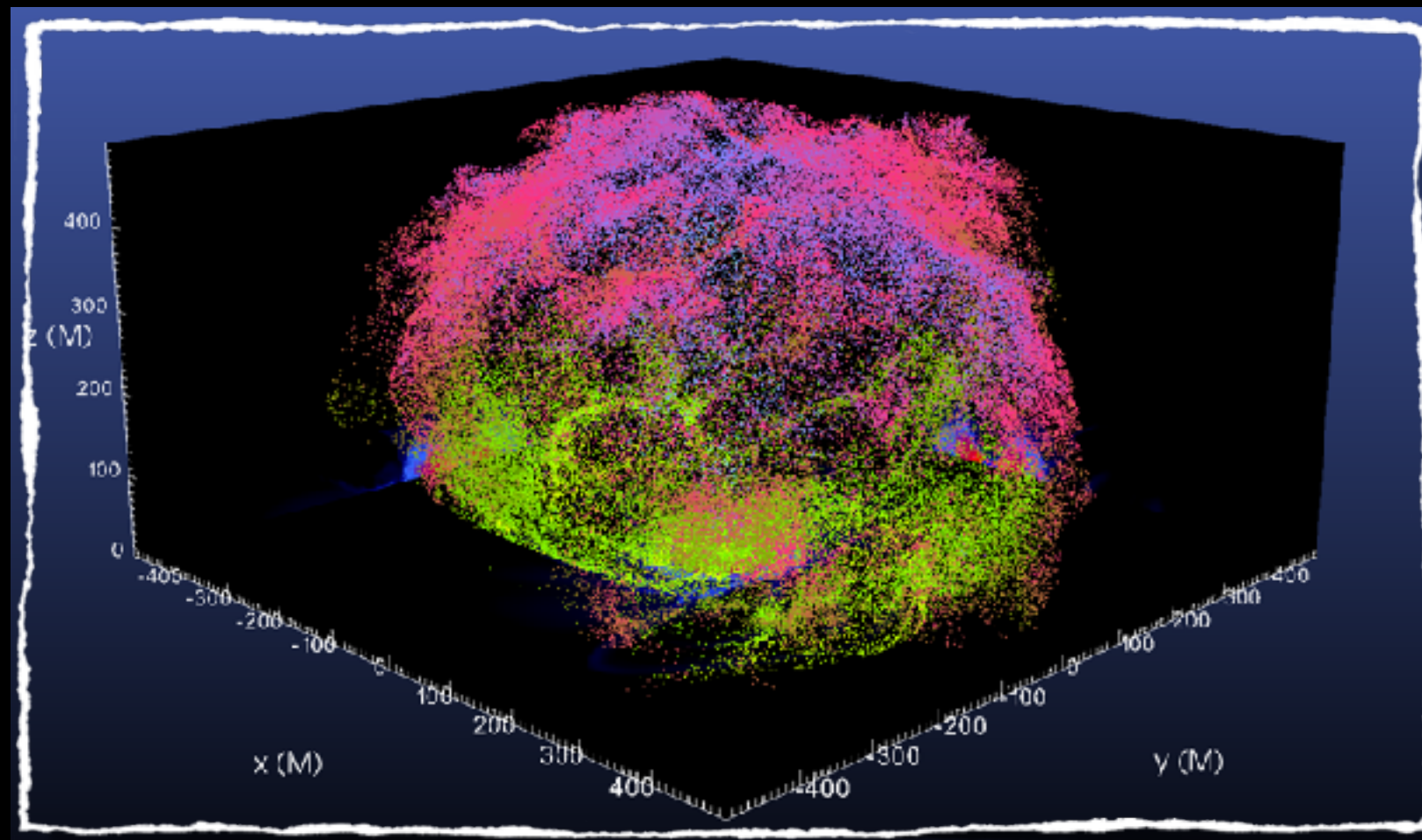
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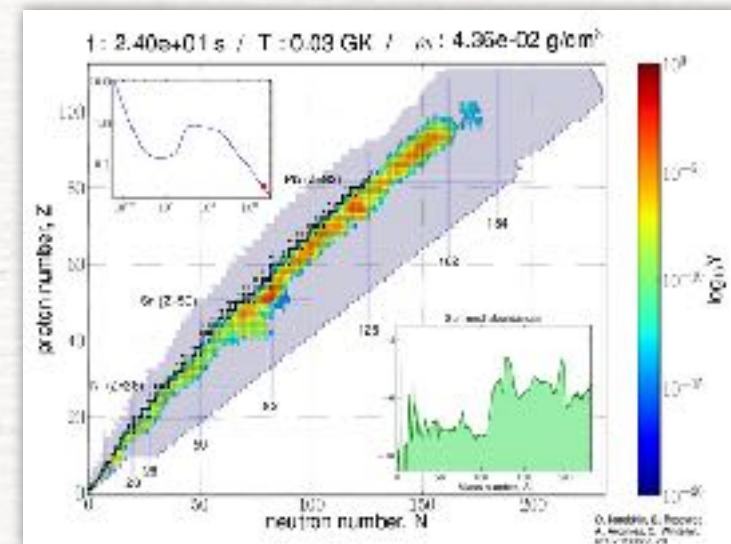


Ejected matter and nucleosynthesis



Nucleosynthesis

- Already in the 50's, nuclear physicists had tracked the production of elements in stars via nuclear fusion.
- **Heavy elements** ($A \gtrsim 56$) cannot be produced in stellar interiors but can be synthesised during a **supernova**.
- Modern numerical simulations of supernovae have shown that the temperature and energies are not large enough to produce the “**very heavy**” elements ($A \gtrsim 120$).
- To produce such elements one needs very high temperatures and “**neutron-rich**” material.
- **Neutron-star mergers** seem perfect candidates for this process!

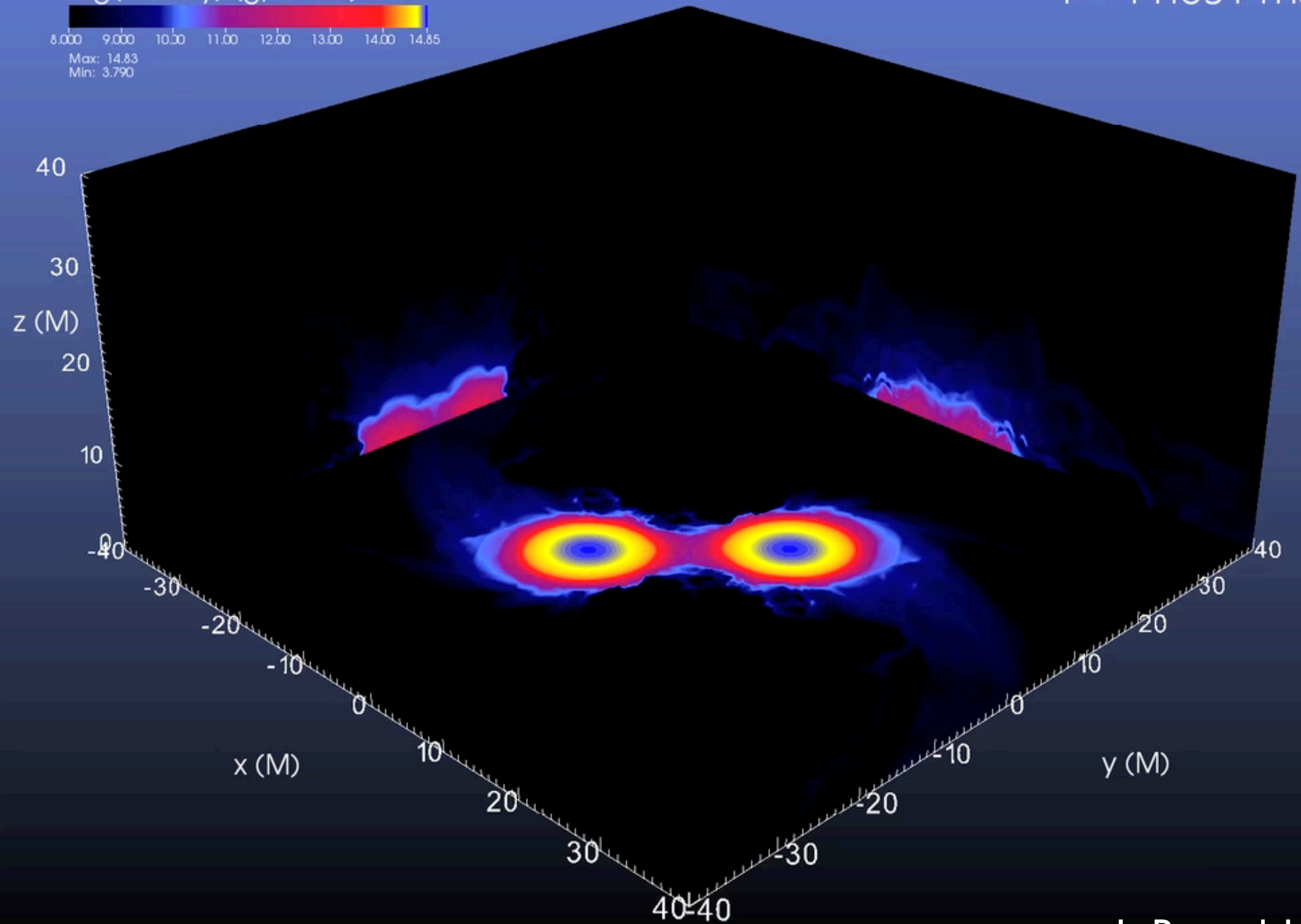


log(density) (g/cm³)



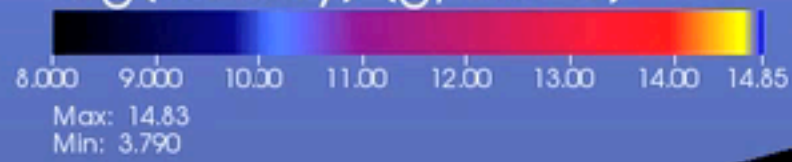
Max: 14.83
Min: 3.790

$t = 11.801$ ms

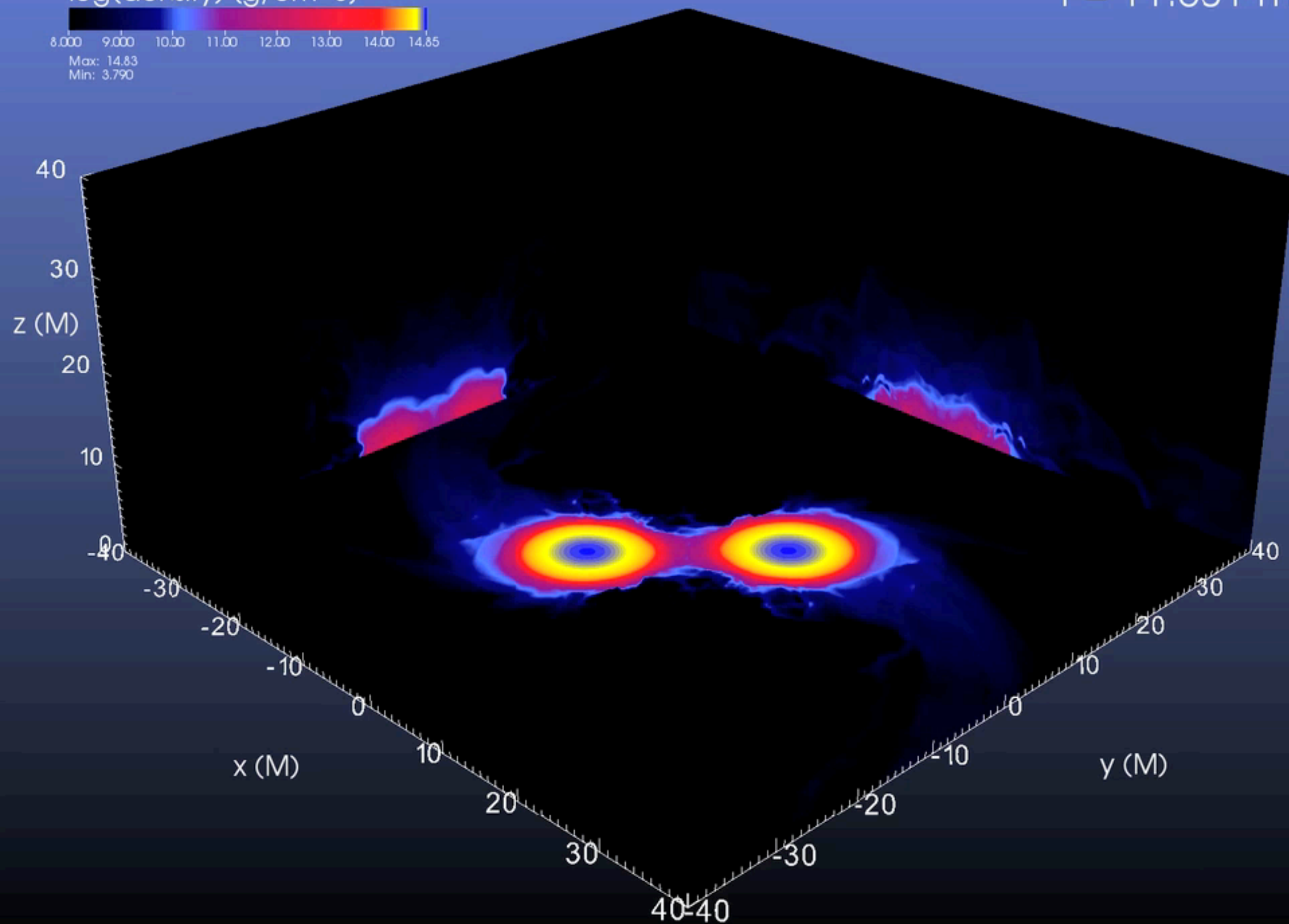


L. Bovard, LR

log(density) (g/cm³)



$t = 11.801$ ms



Relative abundances

Relative abundances

- Abundance pattern for **$A > 120$** in good agreement with solar.

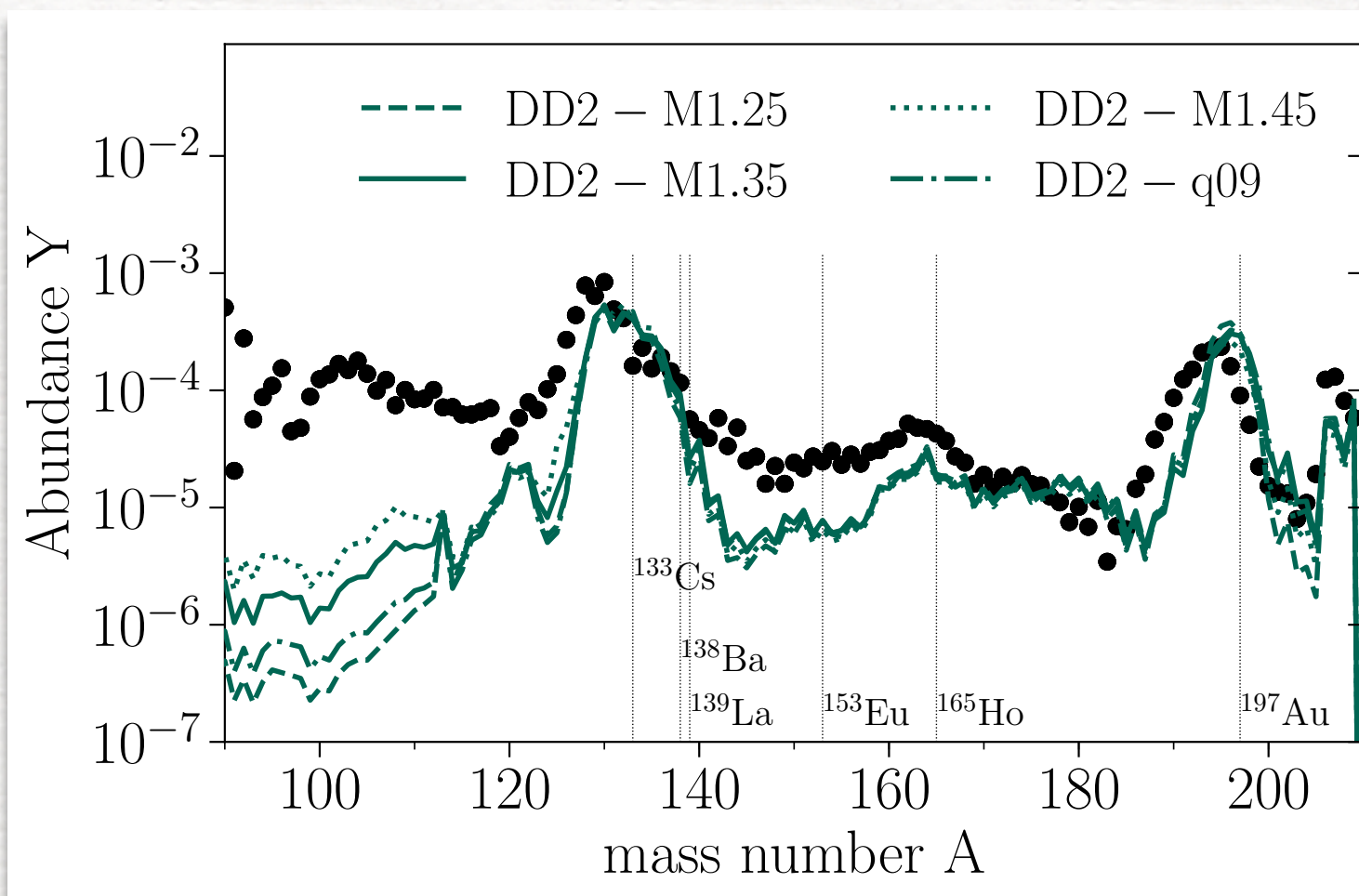
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- Even **tiny amounts** of ejected matter ($0.01 M_{\odot}$) sufficient to explain observed abundances.

Relative abundances

Bovard+ 17

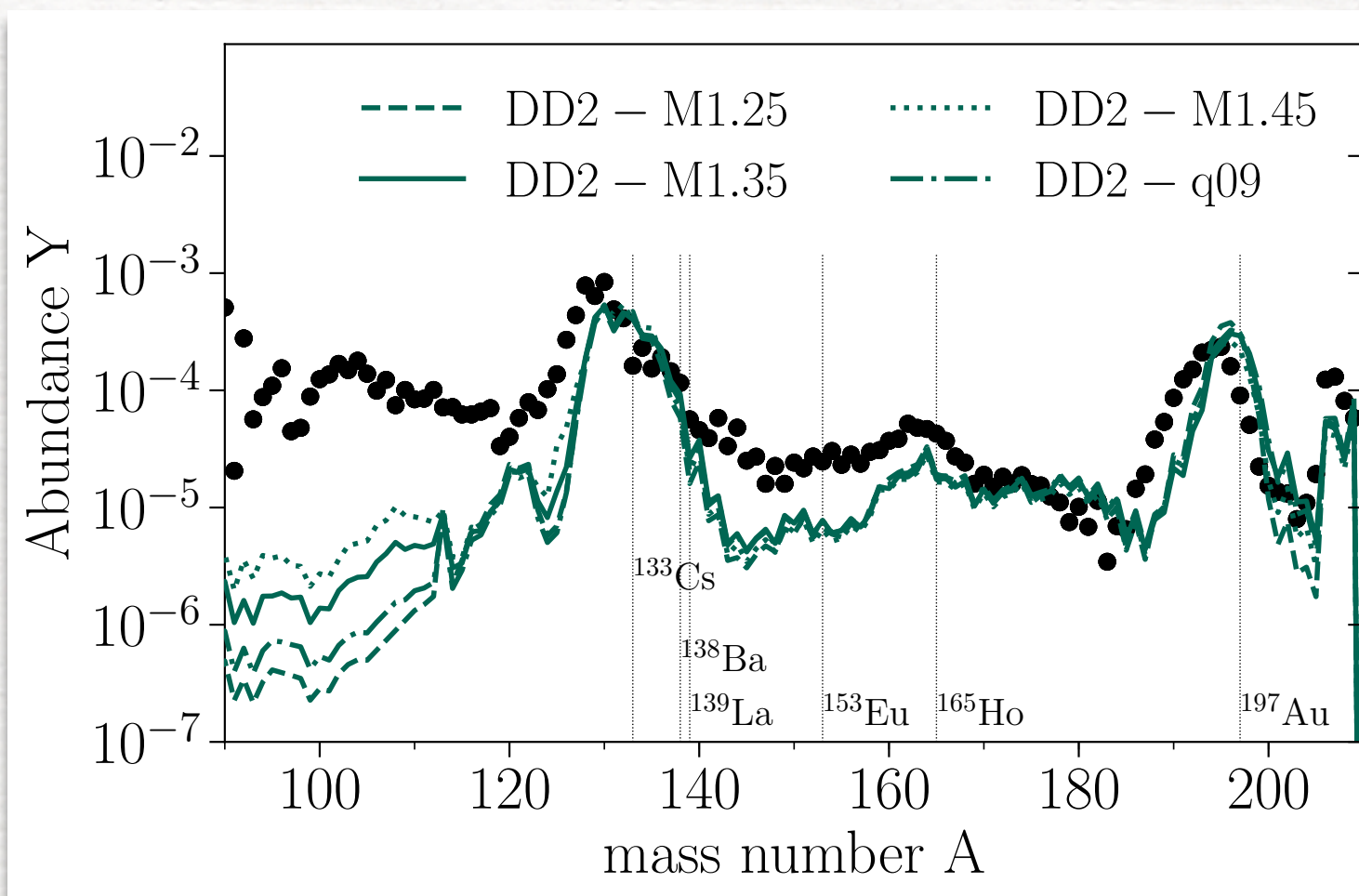
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Bovard+ 17

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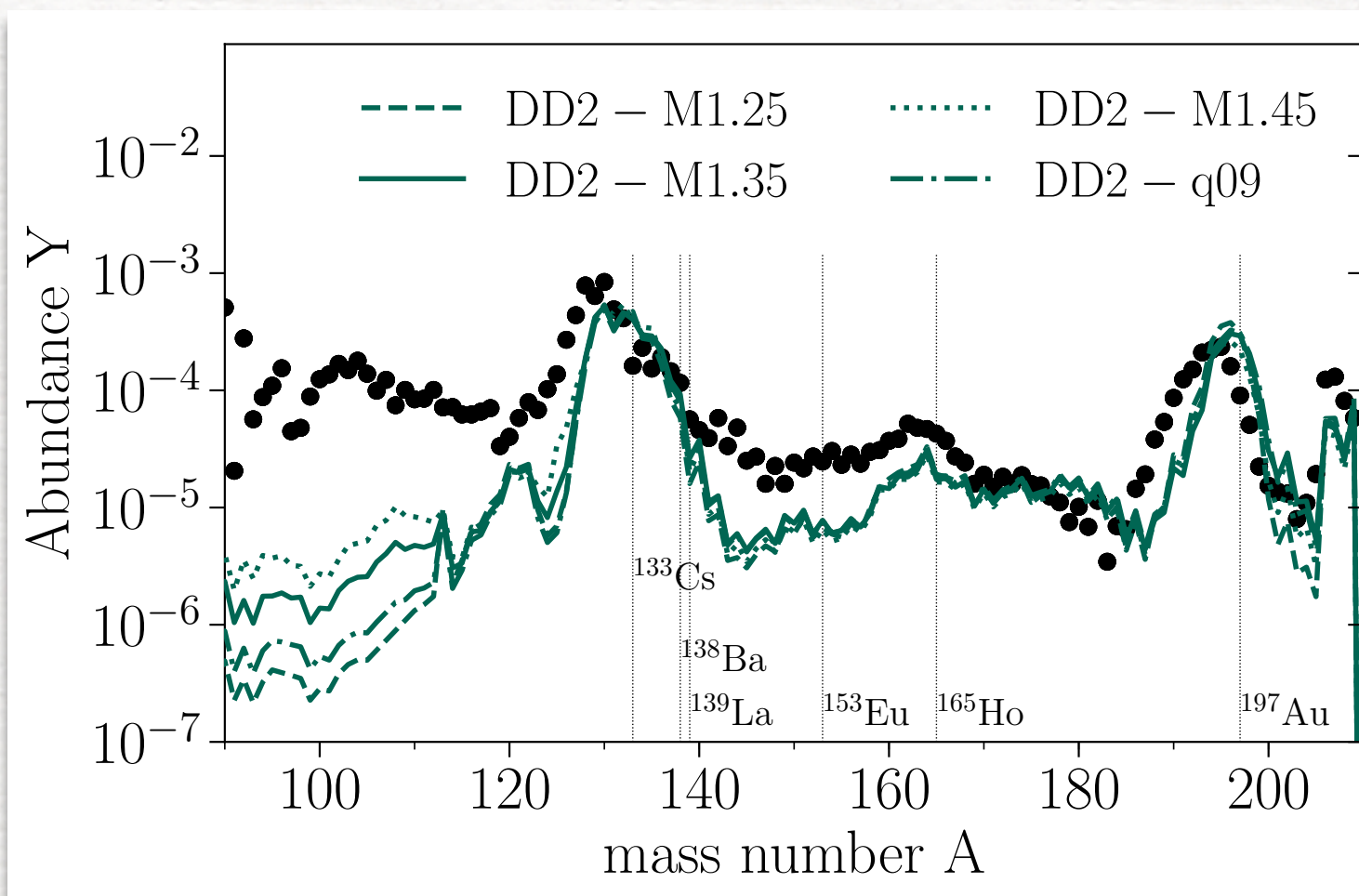


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Relative abundances

Bovard+ 17

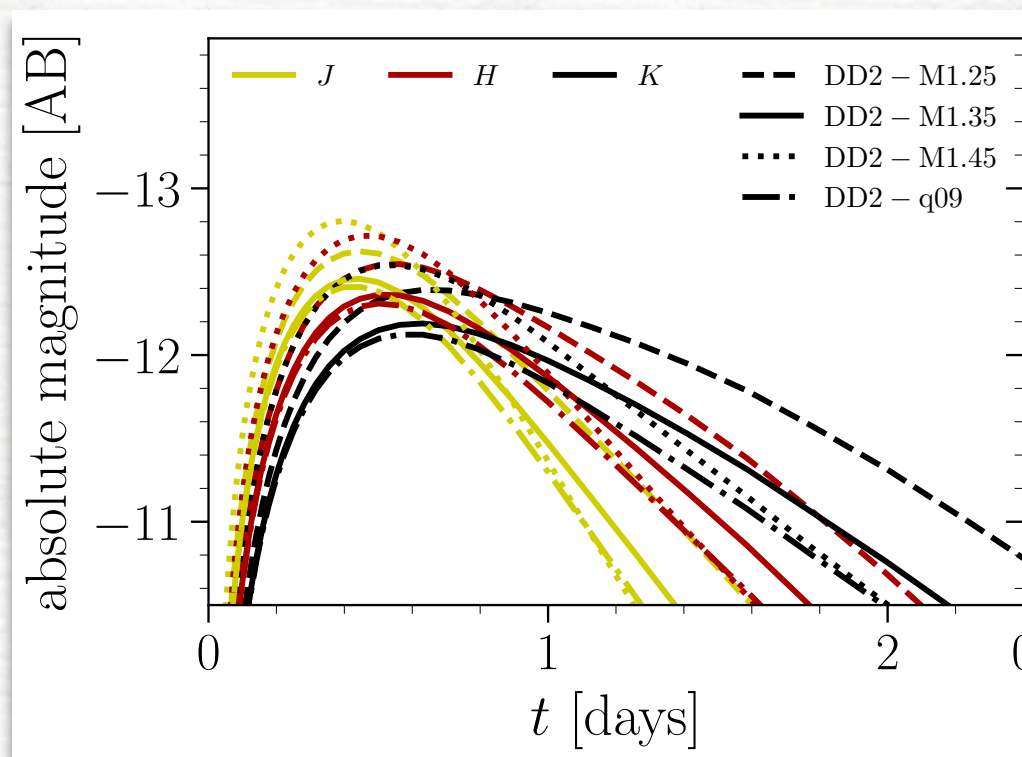
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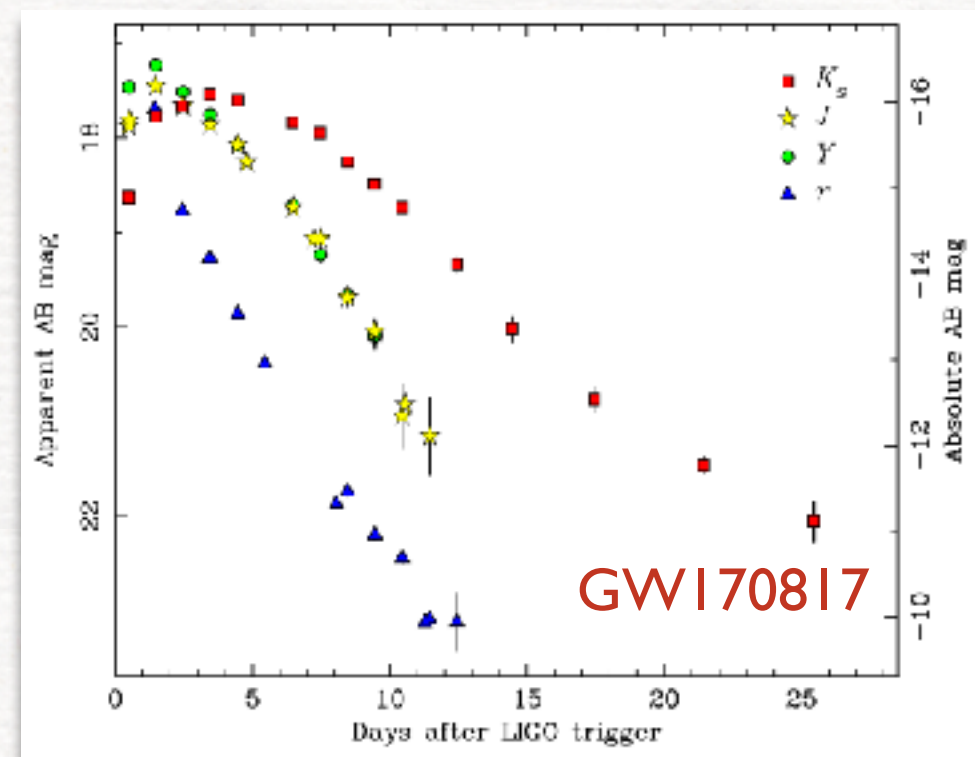
- GW170817 produced total of **16,000** times the mass of the Earth in heavy elements (**10** Earth masses in **gold/platinum**)
- We are not only **stellar dust** but also **neutron-star dust!**

Kilonova emission

- Ejected matter undergoes **nucleosynthesis** as expands and cools.
- When critical densities and temperatures are reached, matter undergoes radioactive decay emitting light (optical/infrared): **kilonova/macronova** (Li & Paczynski '98).



simulations



observations

- Astronomical observations of GW170817 show **kilonova emission**: evidence connection **GRBs** and **binary neutron stars!**

Conclusions

- ✱ Binary neutron stars are arguably Einstein's richest laboratory.
- ✱ They combine extreme gravity with some of the most extreme states of matter in the universe.
- ✱ Exploring these objects requires advanced mathematical and numerical methods and the power of supercomputers.
- ✱ Gravitational waves from these systems can teach us a lot about gravity, nuclear physics and solve astrophysical puzzles.
- ✱ A single detection (GW170817) has already provided us with a wealth of information: more are to come in the near future.

Working in this area has never been as exciting!...